

## Section Handout #5: Linked Lists

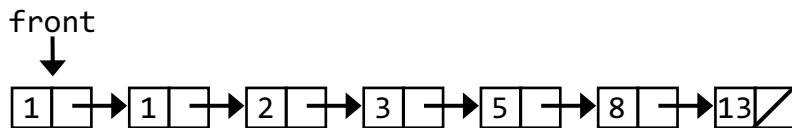
Based on handouts by various current and past CS106B/X instructors and TAs.

Extra practice problems: CodeStepByStep – linked list pointers; Textbook – 11.2, 11.7

Recall our definition of the `ListNode` structure, which you'll be getting more practice with during this section. For these problems, **do not modify a node's data field or use auxiliary structures like Vectors, Stacks, Queues, etc.**

```
struct ListNode {  
    int data;  
    ListNode* next;  
};
```

Also, note that a linked list written as {1, 1, 2, 3, 5, 8, 13}, e.g., really refers to a linked list structured like this:



### 1. `isSorted` (*linked lists*)

Write a function called `isSorted` that accepts a pointer to a `ListNode` at the front of a linked list and returns true if the list of integers being passed is in sorted (nondecreasing) order and false otherwise. An empty list is considered to be sorted.

**Bonus:** Solve this problem both recursively and non-recursively. Which solution do you like better?

### 2. `removeAllThreshold` (*linked lists*)

Write a function called `removeAllThreshold` that accepts a pointer to a `ListNode` at the front of a list and removes all occurrences of a given integer value, plus or minus a provided threshold value, from that list. For example, if `front` points to the first `ListNode` in the following list, then calling `removeAllThreshold(front, 3, 2)` would remove all occurrences of  $3 \pm 2$  from the list (nodes to be removed are underlined):

{3, 9, 4, 2, 1, 0, 3, 5, -2, 10} → {9, 0, -2, 10}

### 3. `doubleList` (*linked lists*)

Write a function `doubleList` that doubles the size of a list of integers by appending a copy of the original sequence to the end of the list. For example, if a list initially stores the sequence below at left, then passing in the front `ListNode` into `doubleList` would result in the list storing the sequence on the right (new nodes underlined):

{1, 3, 2, 7} → {1, 3, 2, 7, 1, 3, 2, 7}

If the original list contains  $N$  nodes, then you should dynamically allocate exactly  $N$  new nodes to be added. You may not use any auxiliary data structures to solve this problem (no vector, stack, queue, string, etc.). Your function should run in  $O(N)$  time, where  $N$  is the number of nodes in the list.

#### 4. split (*linked lists*)

Write a function `split` that accepts a pointer the front `ListNode` in a linked list as a parameter and rearranges the elements of a list of integers so that all negative values appear before all of the non-negatives, with each group in the same relative order. For example, a call to `split` would change the list on the left into the list on the right:

`{8, 7, -4, 19, 0, 43, -8, -7, 2} -> {-4, -8, -7, 8, 7, 19, 0, 43, 2}`

Do not swap data values or create any new nodes to solve this problem; you must rearrange the list by rearranging the links of the list. Do not use auxiliary structures like arrays, vectors, stacks, queues, etc. to solve this problem.

#### 5a. reverse (*linked lists*)

Write a function called `reverse` that reverses the order of the elements in a linked list. For example, if a list initially stores the sequence of integers below at left, it should store the sequence on the right after your function is called: `{1, 8, 19, 4, 17} -> {17, 4, 19, 8, 1}`

**Bonus:** Solve this problem without creating any new nodes.

#### 5b. braid (*linked lists*)

Now, write a function `braid` that weaves the reverse of that list into the original. For this problem, you will need to create new nodes. Here are a few examples:

`{1, 4, 2} -> {1, 2, 4, 4, 2, 1}`  
`{3} -> {3, 3}`  
`{1, 3, 6, 10, 15} -> {1, 15, 3, 10, 6, 6, 10, 3, 15, 1}`

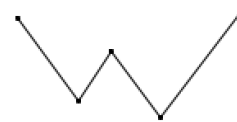
**Bonus:** This one also has an interesting recursive solution.

#### 6. drawPolygonalPath (*linked lists*)

```
struct PointNode {  
    GPoint data;  
    PointNode* next;  
}
```



A closed path



An open path



A single point

Write a function `drawPolygonalPath` that accepts a reference to a `GWindow` object and a pointer to a `PointNode` (see above) that represents the beginning of a "polygonal path," or a series of connected line segments, and draws the path as a series of dots and lines on the window.

The `GPoint` within each `PointNode` contains an `x` and `y` value representing the point along the polygonal path, and the `next` field links to the next point in the path. Each line should be 1 pixel thick and each dot should be 2 pixels wide. Recall the `drawLine` function from the `GWindow` class:

**`gw.drawLine(x1, y1, x2, y2);`**

Note that the polygonal path can be open or closed. In the case of an open polygonal path, the last `PointNode` in the path will have a `next` value of `nullptr`. In the case of a closed polygonal path (in other words, a polygon), the last node in the path will link back to the first node in the path. Note that `drawPolygonalPath` should also be able to draw a single point. Finally, in the case of a null `PointNode` parameter, you should draw nothing. See the above diagrams for examples.