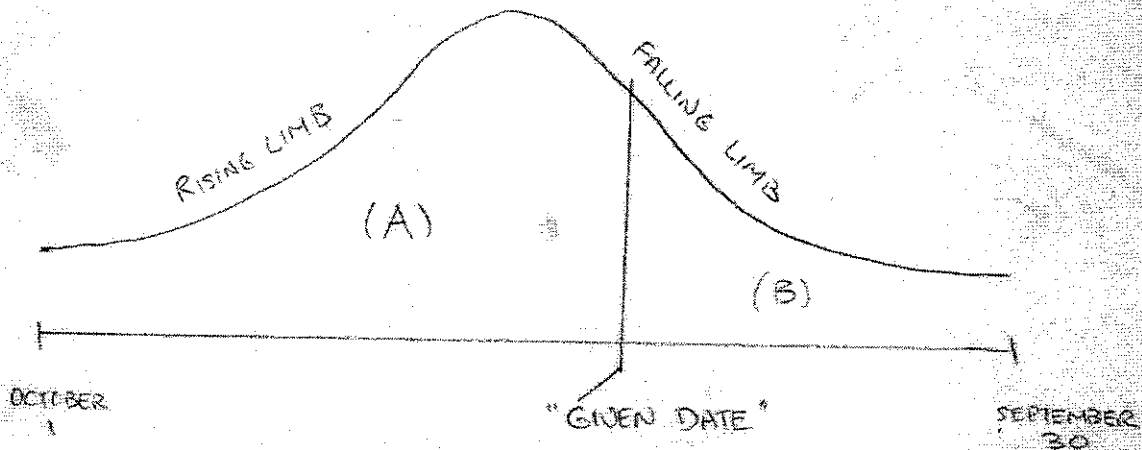


SUMMARY

Historically, two problems inherent to the interpretation of Article V undermine attempts to formulate an administrative process for the Compact:

(1) Timing Problem

Annual hydrograph:



Rising Limb Characteristics

- excess flow at gage
- reservoirs fill to maximum volume
- minimum demand for water

Falling Limb Characteristics

- minimal water at gage
- reservoirs release storage
- maximum demand for water

The hydrology and distinct water supply/demand characteristics of the rising and falling limbs are responsible for a timing problem which dictate that each limb of the hydrograph be apportioned separately according to Article V.

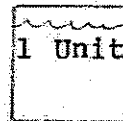
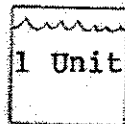
If each limb is not apportioned separately, the article V calculation would have the effect of dividing flow at the downstream gage for use upstream at a later date. This is a physical impossibility. Secondly, (A) and (B) should be apportioned separately so that each state may quantify that portion of (A) which can be put in storage and used to supplement irrigation after the given date. Flow apportioned during (A), and that water which has been stored will not be re-apportioned after the given date. Likewise, Post-1950 diversions satisfied from water apportioned before the given date, are not included in the apportionment after this date.

(2) The Water Budget Problem

Conceptually, Article V undermines attempts to prepare an adequate water budget because, it confuses the apportionment by mixing together two "kinds" of water - a depletable flow and a diverted flow. Depletable flow is water which is physically available "in the bucket". The diverted flow (or divertable flow equivalent), is a measure of how many times water in the bucket

could be used and reused. Mixing these two kinds of water together confuses units, which makes balancing a water budget nearly impossible. In order for the apportionment formula in Article V to work properly, the water budget requires us to use similar units. The only way to balance the Article V water budget is to convert all depletion values to their divertable flow equivalents. Conversely, divertable flow equivalents could be converted back to depletable flows when it is necessary to calculate the quantity of water to be released from storage.

DEPLETABLE FLOW

DIVERTABLE FLOW
EQUIVALENTExamples from Art.VExamples from Art. V:a) post-1950 ΔS a) post-1950 diversions
in MTb) flow at the
downstream gageb) post-1950 diversions
in WY"What water physically
exists.""A measure of how this
water is used and
revised."
reusedassume
50%
return
flow

SUBTOTAL

1 Unit

SUBTOTAL 1.99999 Units

ARTICLE
V

1.20?

MT
40%WY
60%

1.79?

So: How do we convert a depletion or depletable flow to its
divertable flow equivalent?

This kind of conversion is already being done on a theoretical and practical level.

THEORY

Hydrologic computer models developed by both Wyoming and Montana incorporate monthly return flow factors. The factors vary from month to month and from basin to basin, but still have the effect of changing the inflow to a specific node to a "divertable flow equivalent" as the use and re-use of water is accounted for through that particular node.

PRACTICE

Water commissioners in Wyoming are responsible for releasing water from reservoirs on regulated streams to meet downstream demands. The quantity of water released from storage is not equal to the sum of the individual diversions for any specific time period. The release is based on converting from the "divertable flow equivalent" back to the depletable flow. (Actual volume in storage.) The decision on what quantity of water will be released from storage may be based on experience, or trial and error. Furthermore, computers could be programmed to aid in the decision making process, especially on larger streams.

Calculation of divertable flow equivalent conversion factors:

Problem: Assuming a 50% return flow, determine the divertable flow equivalent of 1 unit of stored water.

$$\boxed{1 \text{ Unit}} = 1 + 0.5 + 0.25 + 0.125 + 0.0625 \dots$$

which mathematically can be expressed as

$$1 + \lim_{x \rightarrow \infty} \sum_{x=1}^{\infty} (.50)^x = 2.0 \text{ units}$$

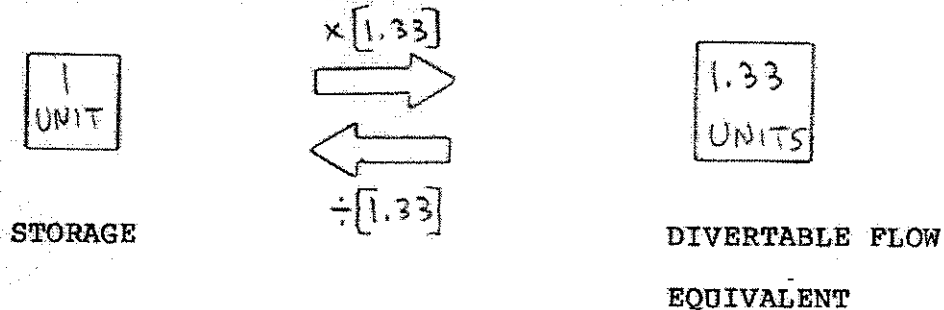
(divertable flow equivalent)

Likewise:

Return Flow Factor		Divertable Flow Equivalent
50%	$1 + \lim_{x \rightarrow \infty} \sum_{x=1}^{\infty} (.50)^x$	≈ 2.00
33 1/3%	$1 + \lim_{x \rightarrow \infty} \sum_{x=1}^{\infty} (.333)^x$	≈ 1.50
25%	$1 + \lim_{x \rightarrow \infty} \sum_{x=1}^{\infty} (.25)^x$	≈ 1.33
10%	$1 + \lim_{x \rightarrow \infty} \sum_{x=1}^{\infty} (.10)^x$	≈ 1.11

For Example

Assuming an average return flow of 25%



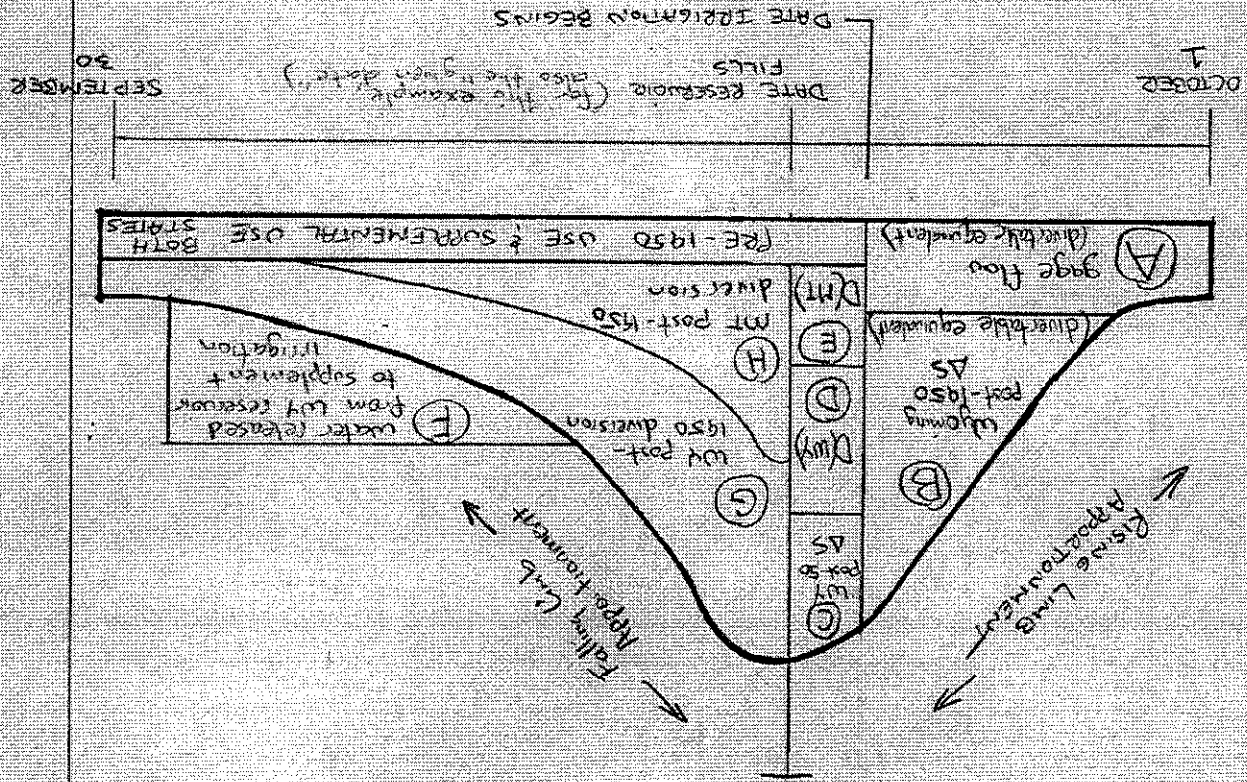
STRATEGY FOR ARTICLE V CALCULATIONS:

- (1) Be consistent with units. Do all calculations with actual diversions, or divertable flow equivalents.
- (2) Break the hydrograph into two parts. Calculate a rising limb and falling limb apportionment. Storage from the rising limb will supplement irrigation during the falling limb.
- (3) For the rising limb, quantify the storage limit based on the total flow at the gage, total post-1950 changes in storage, and total post-1950 water use from Oct 1 to the end of the rising limb.

(4) Post-1950 uses on the falling limb side of the hydrograph satisfied from storage, do not enter the Article V allocation for the falling limb. That is:

$$\begin{array}{|l} \text{Falling limb post-1950} \\ \text{diversions for Article} \\ \text{V allocation.} \end{array} = \begin{array}{|l} \text{Total post-1950} \\ \text{diversions} \end{array} - \begin{array}{|l} \text{Divertable flow} \\ \text{equivalent} \\ \text{released from} \\ \text{storage to} \\ \text{satisfy those} \\ \text{post-1950} \\ \text{diversions.} \end{array}$$

CONCEPTUAL EXAMPLE:
ANNUAL HYDROGRAPH - DIVERTIBLE
ASSUME 1 POST-1950 FLOW
RESERVOIR IN WYOMING



RISING LIMB APPROPRIATION

① How much divertible flow from the rising limb side of the hydrograph can each state legally appropriate? under Article II

$$WY = (A + B + C + D + E) \times \%W$$

$$MT = (A + B + C + D + E) \times \%M$$

② How much of the legally appropriated flow can be physically stored. (this defines the storage limit)

$$SL_{WY} = [(A + B + C + D + E) \times \%W] - D$$

$$SL_{MT} = [(A + B + C + D + E) \times \%M] - E$$

FRANK LUMB APPROPRIATION

- ① what quantity of post-1950 diversions can legally be appropriated from natural stream flow by each state?

$$\text{Wyoming: } \frac{G}{H+G} = .60$$

$$\text{Montana: } \frac{H}{H+G} = .40$$

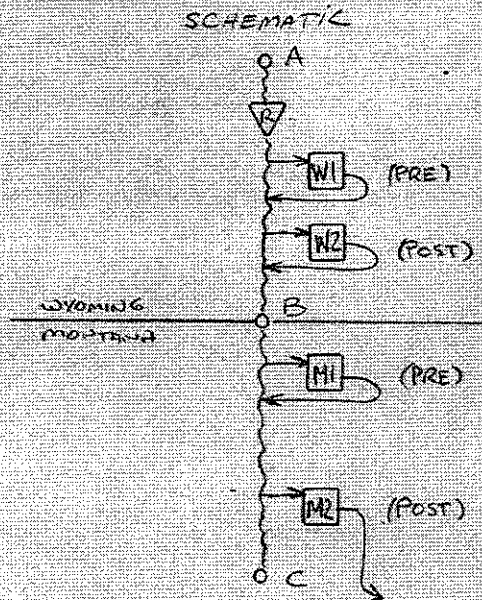
- ② what quantity of post-1950 diversions can Wyoming legally appropriate from natural stream flow, and also from storage.

$$\text{Total} = G + F$$

Yellowstone Compact Allocation Example

1. All values in acre-feet
2. Inflows to system at point A:

Oct	430	1750
Nov	320	
Dec	150	
Jan	150	
Feb	100	
March	200	
April	400	2000
May	5990	
Jun	3990	
July	3190	
Aug	1500	
Sept	500	



3. Reservoir is located in Wyoming and it has a post-1950 priority date. There are no reservoirs in Montana.
4. There are four water users on the river. Two are located in Wyoming (W1, W2) and two are in Montana (M1, M2). W1 and M1 have pre-1950 priorities. W2 and M2 have post-1950 priorities. Diversion requirements in acre-feet/month are as follows:

	Montana	Wyoming
pre-1950	M1 = up to 2000	W1 = up to 2000
post-1950	M2 = up to 2000	W2 = up to 2750
5. "Given date" for this example is day reservoir fills (May 31)
6. 50% of what is diverted returns to the stream each month
7. Because M2 is located very close to point C (compact gage), all return flow enters stream below point C
8. Apportionment - Wyoming - 60%
Montana - 40%
9. Each month's allocation is forecasted at the beginning of the month based on forecasts of inflow and demand. At the end of the month, the apportionment is quantified using actual water-use data.

9/20/84

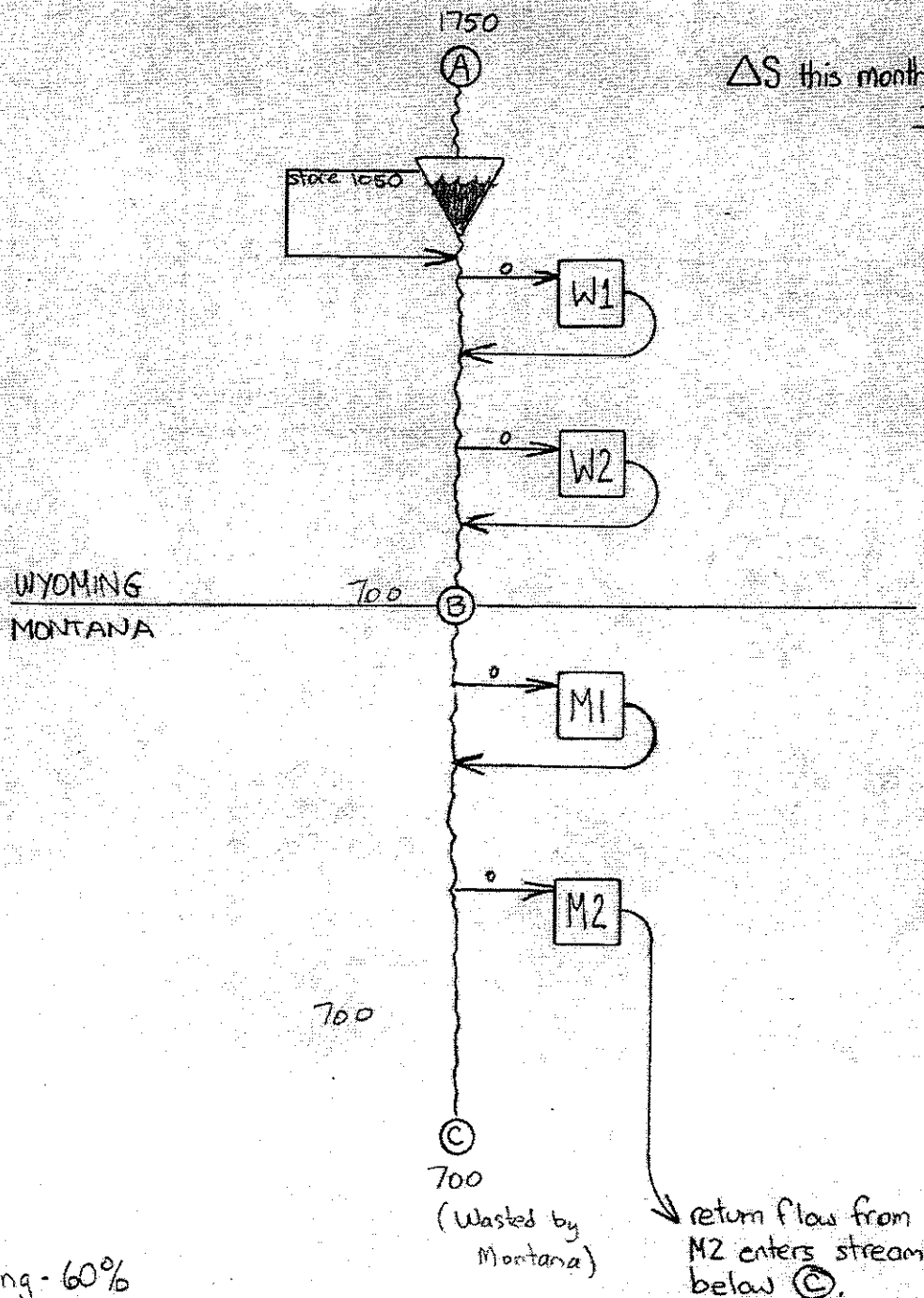
ALL VALUES ARE
IN ACRE-FTEXHIBIT
#1 aALLOCATION FOR
OCTOBER 1 TO APRIL 31

A = inflow to system
 B = state line flow
 C = flow at gage
 □ = agricultural diversion
 ▽ = post-1950 reservoir

pre-1950 $W1 = 0$
 post-1950 $W2 = 0$

pre-1950 $M1 = 0$
 post-1950 $M2 = 0$

ΔS this month = 0
 $\frac{+1050}{1050}$



Wyoming - 60%
 Montana - 40%

ALL VALUES ARE
IN ACRE-FT

EXHIBIT
2 a

ALLOCATION FOR MAY 1 to 31

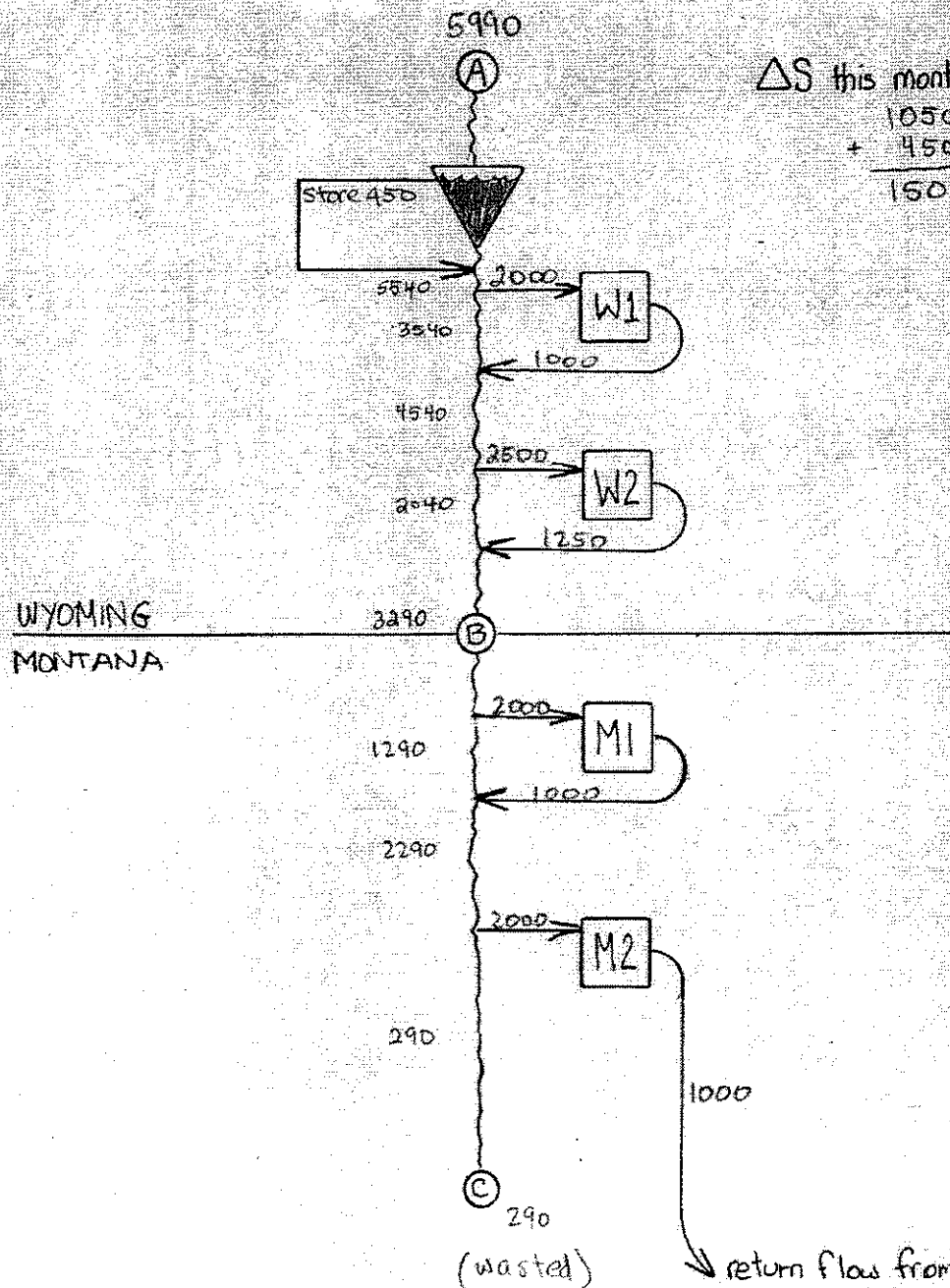
A = inflow to system
B = state line flow
C = flow at gage
 = agricultural diversion
 = post-1950 reservoir

pre-1950 W1 = 2000
post-1950 W2 = 2500

pre-1950 M1 = 2000
post-1950 M2 = 2000

ΔS this month =
1050
+ 450

1500



Wyoming - 60%
Montana - 40%

RISING LIMB APPORTIONMENT

EXHIBIT
 # 2 B

I Convert reservoir changes in storage and flow at the gage to their "divertable flow equivalents".

	TERM	ACTUAL VALUE	x	CONVERSION FACTOR (C)	=	DIVERTABLE FLOW EQUIVALENT
a.	$\Delta S(WY_{post-50})$	1500	x	2.0	=	3000
b.	$\Delta S(MT_{post-50})$	0	x	2.0	=	0
c.	G	$(700 + 290) = 990$	x	2.0	=	1980

II Calculate the accumulated diversions $D(WY)$ and $D(MT)$ from October 1 through this date for Wyoming and Montana.

$$\begin{aligned}
 a. \quad D(WY) &= D(WY)_{previous} + WZ_{this\ period} \\
 2500 &= 0 + 2500
 \end{aligned}$$

$$\begin{aligned}
 b. \quad D(MT) &= D(MT)_{previous} + MZ_{this\ period} \\
 2000 &= 0 + 2000
 \end{aligned}$$

III Calculate the maximum allowable storage limits (SL_W , SL_M) for reservoirs in both states for the period October 1 through today. Use divertable flows or "divertable flow equivalents".

$$\begin{aligned}
 a. \quad SL_W &= \left[\Delta S(WY_{post-50}) + \Delta S(MT_{post-50}) + D(WY) + D(MT) + G \right] \times \%_W - D(WY) \\
 3188 &= \left[3000 + 0 + 2500 + 2000 + 1980 \right] \times .60 - 2500
 \end{aligned}$$

$$\begin{aligned}
 b. \quad SL_M &= \left[\Delta S(WY_{post-50}) + \Delta S(MT_{post-50}) + D(WY) + D(MT) + G \right] \times \%_M - D(MT) \\
 1792 &= \left[3000 + 0 + 2500 + 2000 + 1980 \right] \times .40 - 2000
 \end{aligned}$$

IV For the sake of clarity and for future reference, convert each storage limit "divertable flow equivalent" back to an actual volume equivalent.

$$a. \quad \begin{array}{l} \text{Actual Volume} \\ \text{of storage flow} \\ \text{(limit)} \\ \text{for Wyoming} \end{array} = SL_W \div \text{CONVERSION FACTOR}$$

$$1594 = 3188 \div 2.0$$

$$b. \quad \begin{array}{l} \text{Actual Volume} \\ \text{of storage flow} \\ \text{(limit)} \\ \text{for Montana} \end{array} = SL_M \div \text{CONVERSION FACTOR}$$

$$896 = 1792 \div 2.0$$

V Calculate the "divertable flow", if any, which has been stored in excess of each states' storage limit. ($\Delta S_{\text{post-50}^*}$)

$$a. \quad \Delta S(WY_{\text{post-50}^*}) = \begin{cases} \Delta S(WY_{\text{post-50}}) - SL_W & ; \text{ if } SL_W < \Delta S(WY_{\text{post-50}}) \\ 0 & ; \text{ if } SL_W \geq \Delta S(WY_{\text{post-50}}) \end{cases}$$

$$\frac{SL_W}{3188} ? \frac{\Delta S(WY_{\text{post-50}})}{3000}$$

$$\Delta S(WY_{\text{post-50}^*}) = 0$$

$$b. \quad \Delta S(MT_{\text{post-50}^*}) = \begin{cases} \Delta S(MT_{\text{post-50}}) - SL_M & ; \text{ if } SL_M < \Delta S(MT_{\text{post-50}}) \\ 0 & ; \text{ if } SL_M \geq \Delta S(MT_{\text{post-50}}) \end{cases}$$

$$\frac{SL_M}{896} ? \frac{\Delta S(MT_{\text{post-50}})}{0}$$

$$\Delta S(MT_{\text{post-50}^*}) = 0$$

VI Calculate the accumulated diversions plus the excess divertable flow which has been stored, from October 1 through this date.

$$a. \quad \begin{array}{l} Q(\text{accum } WY) = \Delta S(WY_{\text{post-50}^*}) + D(WY) \\ 2500 = 0 + 2500 \end{array}$$

$$b. \quad \begin{array}{l} Q(\text{accum } MT) = \Delta S(MT_{\text{post-50}^*}) + D(MT) \\ 2000 = 0 + 2000 \end{array}$$

VII Calculate the total divertable flow accumulated by both states from October 1 through today.

$$a. \quad Q(\text{accum}) = Q(\text{accum WY}) + Q(\text{accum MT})$$

$$4500 = 2500 + 2000$$

VIII Calculate allocable flow to each state.

$$a. \quad Q(\text{alloc WY}) = Q(\text{accum}) \times \%_{\text{WY}}$$

$$2700 = 4500 \times .60$$

$$b. \quad Q(\text{alloc MT}) = Q(\text{accum}) \times \%_{\text{MT}}$$

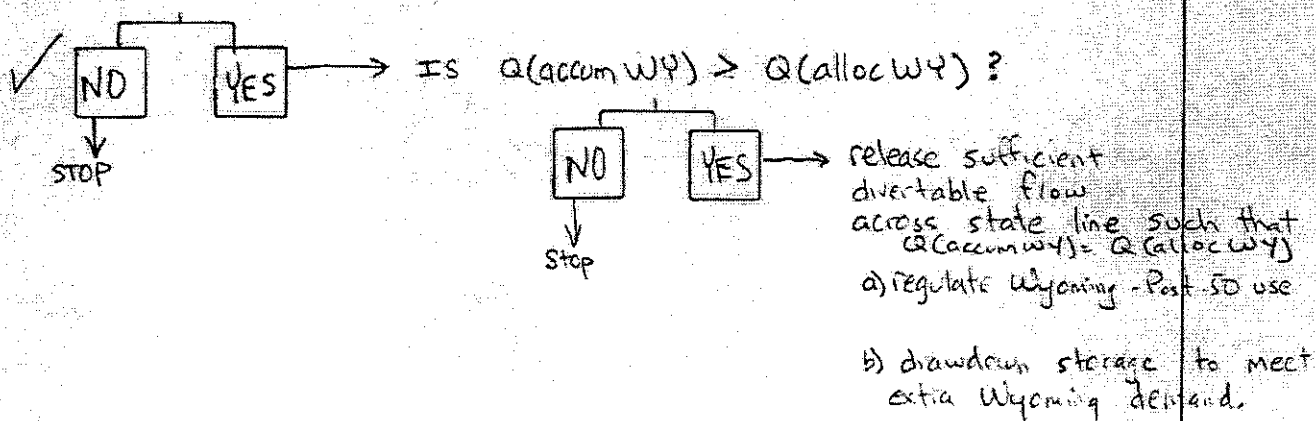
$$1800 = 4500 \times .40$$

IX Compare accumulated divertable flow and allocated divertable flow for each state:

WYOMING (ALLOCATED)		WYOMING (ACCUMULATED)		MONTANA (ALLOCATED)		MONTANA (ACCUMULATED)
2700	>	2500		1800	<	2000

X Determine what action, if any, needs to be taken:

Is more water needed to meet Montana's demand?



ALL VALUES ARE
IN ACRE-FT

EXHIBIT
3 a

ALLOCATION FOR June 1 - 30th

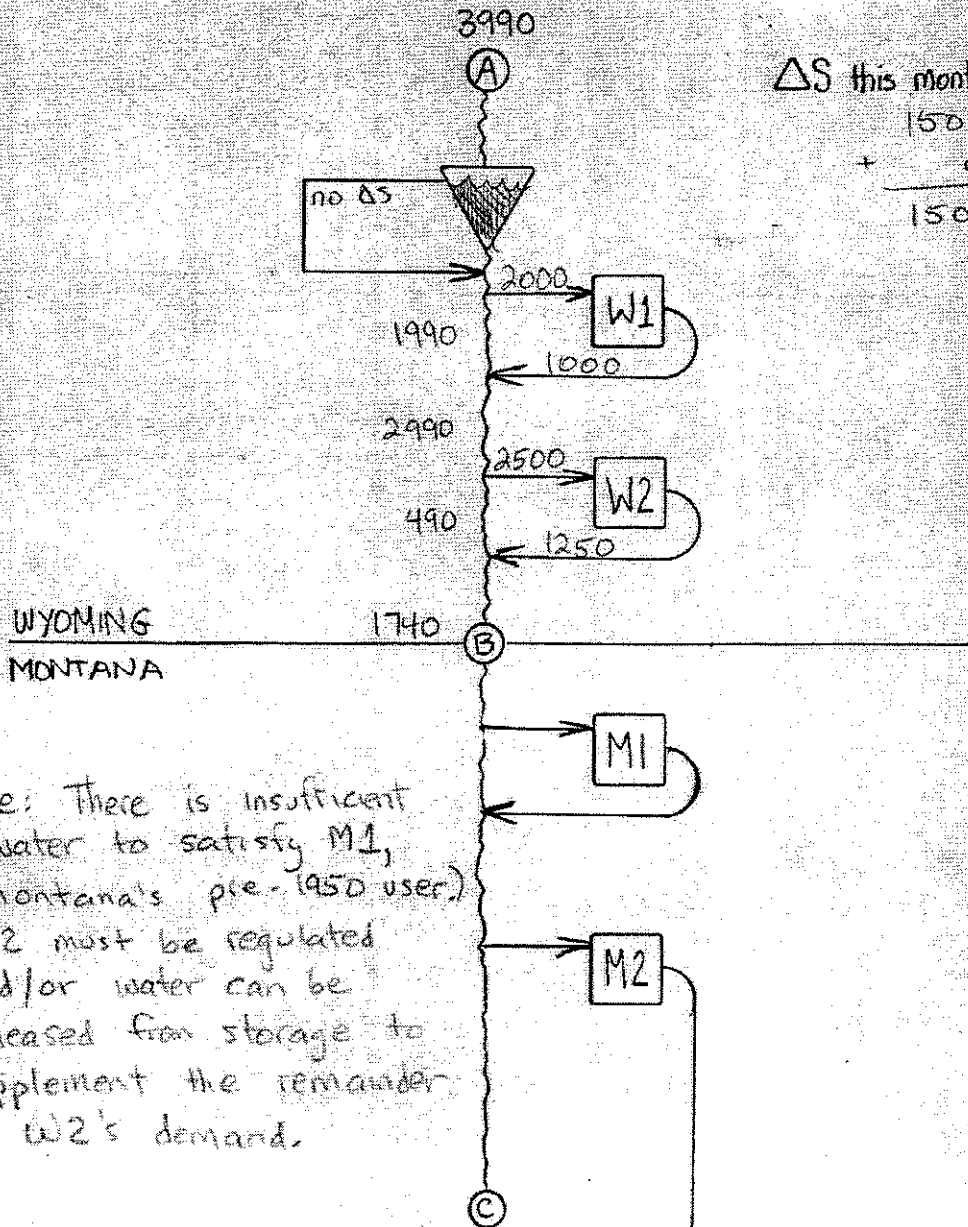
1st
iteration

- A = inflow to system
- B = state line flow
- C = flow at gage
-  = agricultural diversion
-  = post-1950 reservoir

pre-1950 W1 = 2000
post-1950 W2 = 2500

pre-1950 M1 = N/A
post-1950 M2 =

$$\begin{array}{r} \Delta S \text{ this month} = \\ 1500 \\ + \quad 0 \\ \hline 1500 \end{array}$$



Note: There is insufficient water to satisfy M1, (montana's pre-1950 user). W2 must be regulated and/or water can be released from storage to supplement the remainder of W2's demand.

return flow from M2 enters stream below C.

Wyoming - 60%
Montana - 40%

ALL VALUES ARE
IN ACRE-FT

EXHIBIT
#4 a

ALLOCATION FOR June 1 to 30th

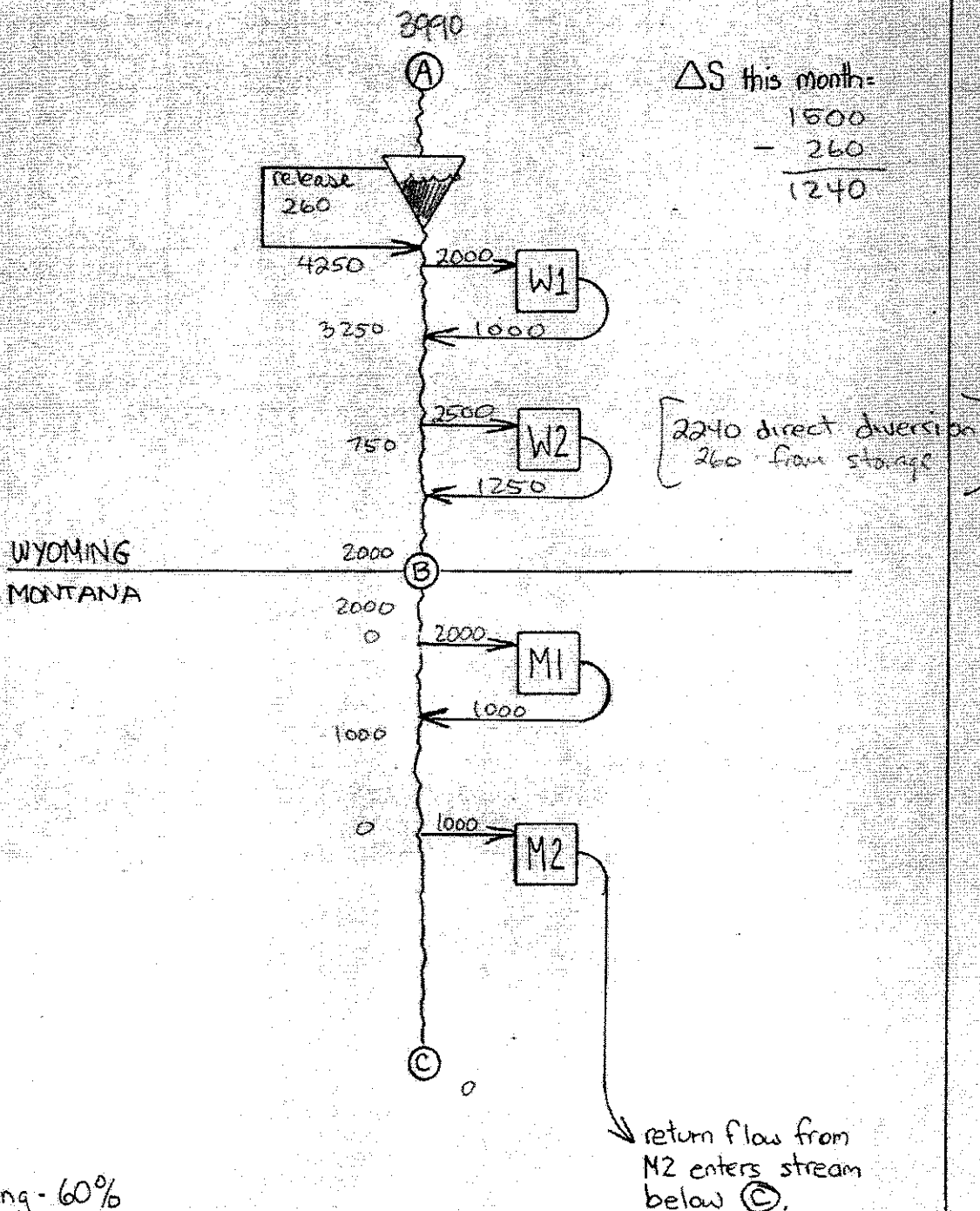
2nd
iteration

- A = inflow to system
- B = state line flow
- C = flow at gage
-  = agricultural diversion
-  = post-1950 reservoir

pre-1950 W1 = 2000
post-1950 W2 = 2500

pre-1950 M1 = 2000
post-1950 M2 = 1000

$$\begin{array}{r} \Delta S \text{ this month} = \\ 1500 \\ - 260 \\ \hline 1240 \end{array}$$



Wyoming - 60%
Montana - 40%

FALLING LIMB APPORTIONMENT

EXHIBIT
#4B

I Calculate the accumulated diversions $D(WY)$ and $D(MT)$ from Oct 1 through this date for Wyoming and Montana:

$$a. \quad Q(\text{accum} WY) = D(WY) \text{ previous} + W2 \text{ this period}$$

$$4740 = 2500 + 2240$$

$$b. \quad Q(\text{accum} MT) = D(MT) \text{ previous} + M2 \text{ this period}$$

$$3000 = 2000 + 1000$$

II Calculate the total divertable flow accumulated by both states from October 1 through today:

$$a. \quad Q(\text{accum}) = Q(\text{accum} WY) + Q(\text{accum} MT)$$

$$7740 = 4740 + 3000$$

III Calculate the allocable flow to each state:

$$a. \quad Q(\text{alloc} WY) = Q(\text{accum}) \times \%w$$

$$4644 = 7740 \times .60$$

$$b. \quad Q(\text{alloc} MT) = Q(\text{accum}) \times \%m$$

$$3096 = 7740 \times .40$$

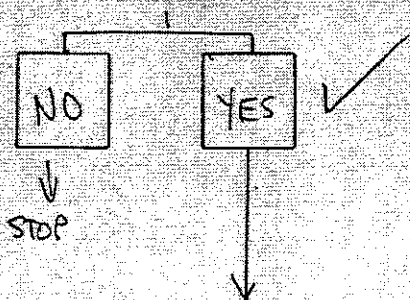
IV Compare accumulated divertable flow and allocable divertable flow for each state:

$$a. \quad \frac{\text{Wyoming (allocated)}}{4644} < \frac{\text{Wyoming (accumulated)}}{4740}$$

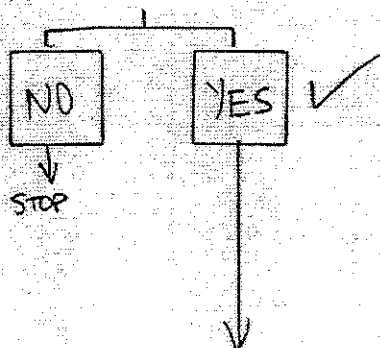
$$b. \quad \frac{\text{Montana (allocated)}}{3096} > \frac{\text{Montana (accumulated)}}{3000}$$

V Determine what action, if any, needs to be taken.

a. Is more water needed to meet Montana's demand?



Is $Q(\text{accumWY}) > Q(\text{allocWY})$?



release sufficient
divertable flow across
state line such that
 $Q(\text{accumWY}) = Q(\text{allocWY})$

a. regulate Wyoming Post-1950
use.

✓ b. drawdown storage to meet
extra Wyoming demand.

ALL VALUES ARE
IN ACRES-FT

EXHIBIT
5a

Allocation FOR June 1 to 30th

3rd
Iteration

- A = inflow to system
- B = state line flow
- C = flow at gage
- = agricultural diversion
- ▽ = post-1950 reservoir

pre-1950 M1 = 2000
post-1950 M2 = 2500
pre-1950 M1 = 2000
post-1950 M2 = 1096

3990

ΔS this month =

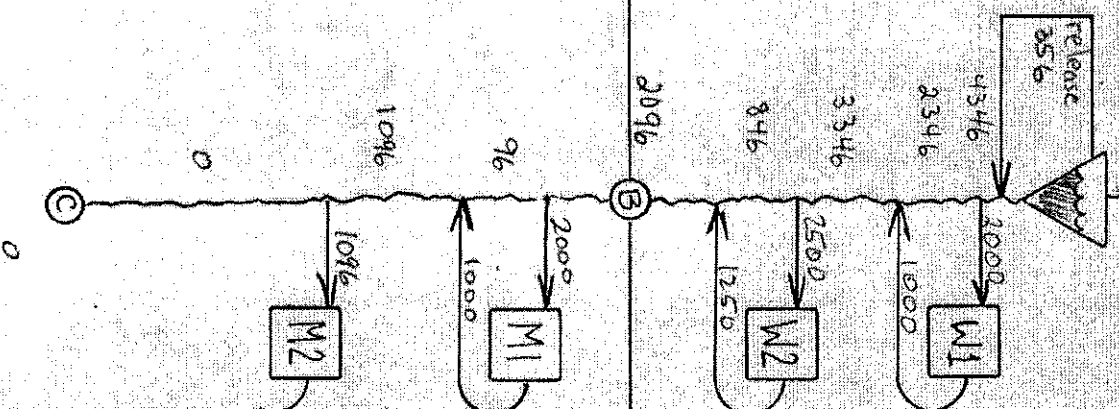
$$\begin{array}{r} 1500 \\ - 356 \\ \hline + 1144 \end{array}$$

[2144 - direct diversion]
[356 - from storage]

WYOMING
MONTANA

2096

B



Wyoming - 60%
Montana - 40%

I Calculate the accumulated diversions $D(WY)$ and $D(MT)$ from Oct 1 through this date for Wyoming and Montana:

$$\begin{aligned} a. \quad Q(\text{accum} WY) &= D(WY) \text{ previous} + W2 \text{ this period} \\ 4644 &= 2500 + 2144 \end{aligned}$$

$$\begin{aligned} b. \quad Q(\text{accum} MT) &= D(MT) \text{ previous} + M2 \text{ this period} \\ 3096 &= 2000 + 1096 \end{aligned}$$

II Calculate the total divertable flow accumulated by both states from October 1 through today:

$$\begin{aligned} a. \quad Q(\text{accum}) &= Q(\text{accum} WY) + Q(\text{accum} MT) \\ 7740 &= 4644 + 3096 \end{aligned}$$

III Calculate the allocable flow to each state:

$$\begin{aligned} a. \quad Q(\text{alloc} WY) &= Q(\text{accum}) \times \%w \\ 4644 &= 7740 \times .60 \end{aligned}$$

$$\begin{aligned} b. \quad Q(\text{alloc} MT) &= Q(\text{accum}) \times \%m \\ 3096 &= 7740 \times .40 \end{aligned}$$

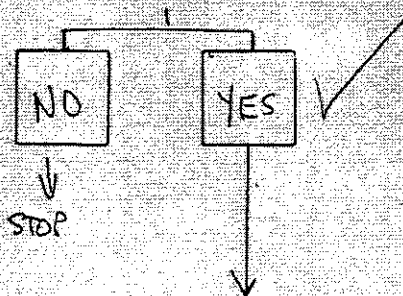
IV Compare accumulated divertable flow and allocable divertable flow for each state:

$$\begin{aligned} a. \quad \frac{\text{Wyoming (allocated)}}{4644} &= \frac{\text{Wyoming (accumulated)}}{4644} \end{aligned}$$

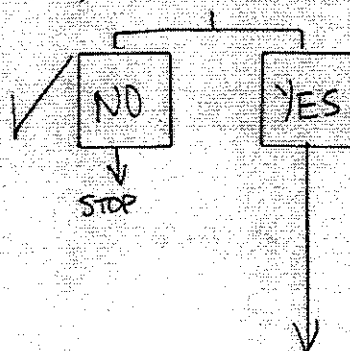
$$\begin{aligned} b. \quad \frac{\text{Montana (allocated)}}{3096} &= \frac{\text{Montana (accumulated)}}{3096} \end{aligned}$$

V Determine what action, if any, needs to be taken.

a. Is more water needed to meet Montana's demand?



Is $Q(\text{accumWY}) > Q(\text{allocWY})$?



release sufficient
divertable flow across
state line such that
 $Q(\text{accumWY}) = Q(\text{allocWY})$

a. regulate Wyoming Post-1950 use.

b. drawdown storage to meet extra Wyoming demand.

ALL VALUES ARE
IN ACRE-FT

EXHIBIT
6 a

ALLOCATION FOR
JULY 1 to 31st

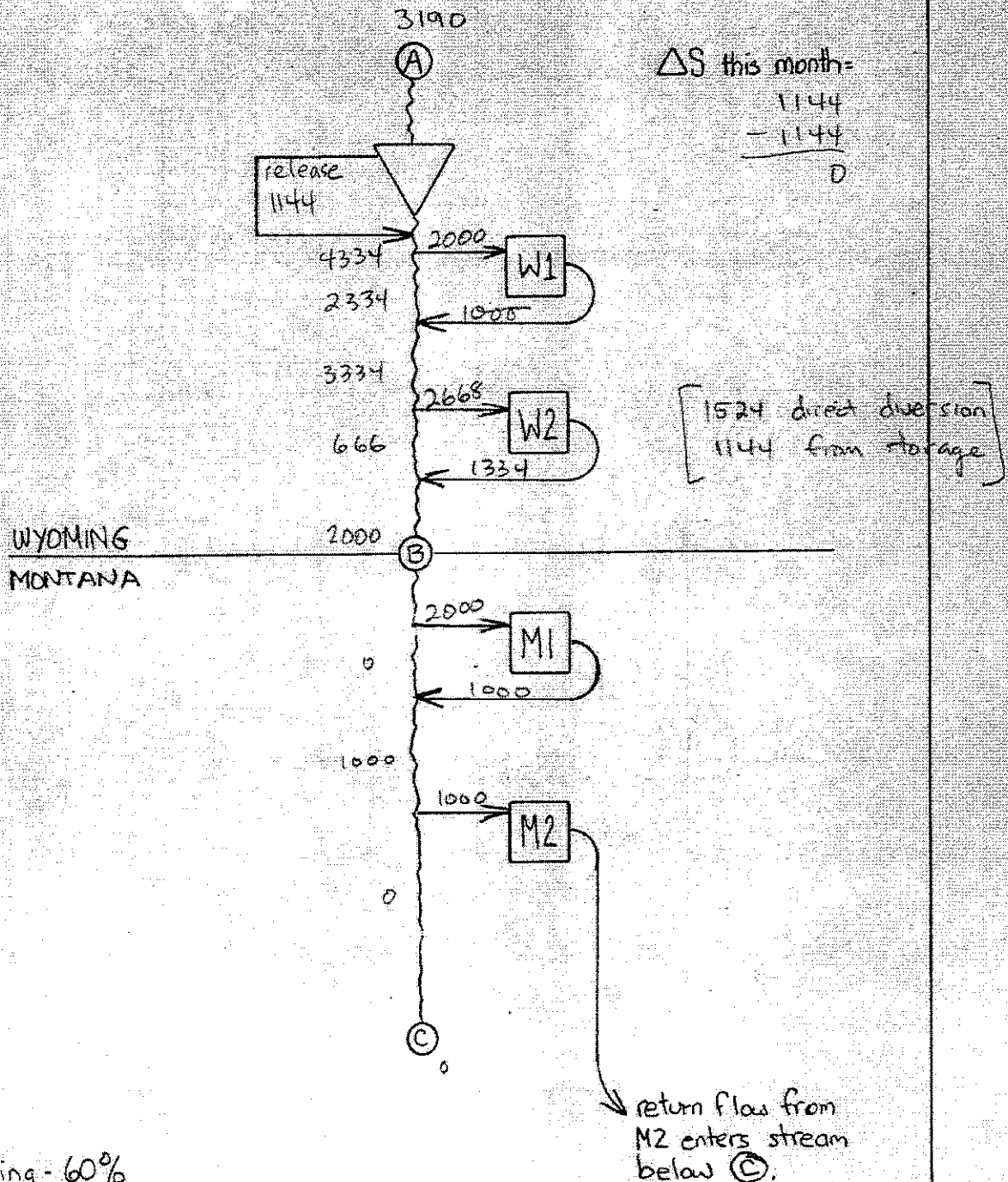
Iteration
1

A = inflow to system
B = state line flow
C = flow at gage
□ = agricultural diversion
▽ = post-1950 reservoir

pre-1950 W1 = 2000
post-1950 W2 = 2668

pre-1950 M1 = 2000
post-1950 M2 = 1000

ΔS this month =
1144
- 1144
0



Wyoming - 60%
Montana - 40%

FALLING LIMB APPORTIONMENT

EXHIBIT
#6B

I Calculate the accumulated diversions $D(WY)$ and $D(MT)$ from Oct 1 through this date for Wyoming and Montana:

$$a. \quad Q(\text{accum} WY) = D(WY) \text{ previous} + W2 \text{ this period}$$

$$6168 = 4644 + 1524$$

$$b. \quad Q(\text{accum} MT) = D(MT) \text{ previous} + M2 \text{ this period}$$

$$4096 = 3096 + 1000$$

II Calculate the total divertable flow accumulated by both states from October 1 through today:

$$a. \quad Q(\text{accum}) = Q(\text{accum} WY) + Q(\text{accum} MT)$$

$$10,264 = 6168 + 4096$$

III Calculate the allocable flow to each state:

$$a. \quad Q(\text{alloc} WY) = Q(\text{accum}) \times \%w$$

$$6158 = 10264 \times .60$$

$$b. \quad Q(\text{alloc} MT) = Q(\text{accum}) \times \%m$$

$$4106 = 10264 \times .40$$

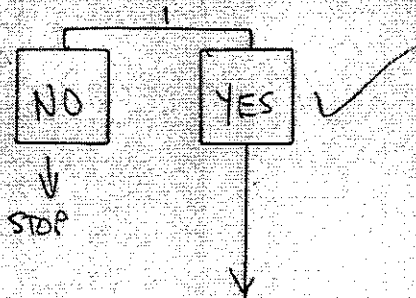
IV Compare accumulated divertable flow and allocable divertable flow for each state:

$$a. \quad \frac{\text{Wyoming (allocated)}}{6158} < \frac{\text{Wyoming (accumulated)}}{6168}$$

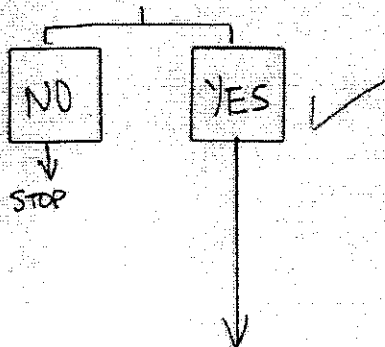
$$b. \quad \frac{\text{Montana (allocated)}}{4106} > \frac{\text{Montana (accumulated)}}{4096}$$

V Determine what action, if any, needs to be taken.

a. Is more water needed to meet Montana's demand?



Is $Q(\text{accum WY}) > Q(\text{alloc WY})$?



release sufficient divertable flow across state line such that $Q(\text{accum WY}) = Q(\text{alloc WY})$

✓ a. regulate Wyoming Post-1950 use.

b. drawdown storage to meet extra Wyoming demand.

ALL VALUES ARE
IN ACRE-FT

EXHIBIT
#7 a

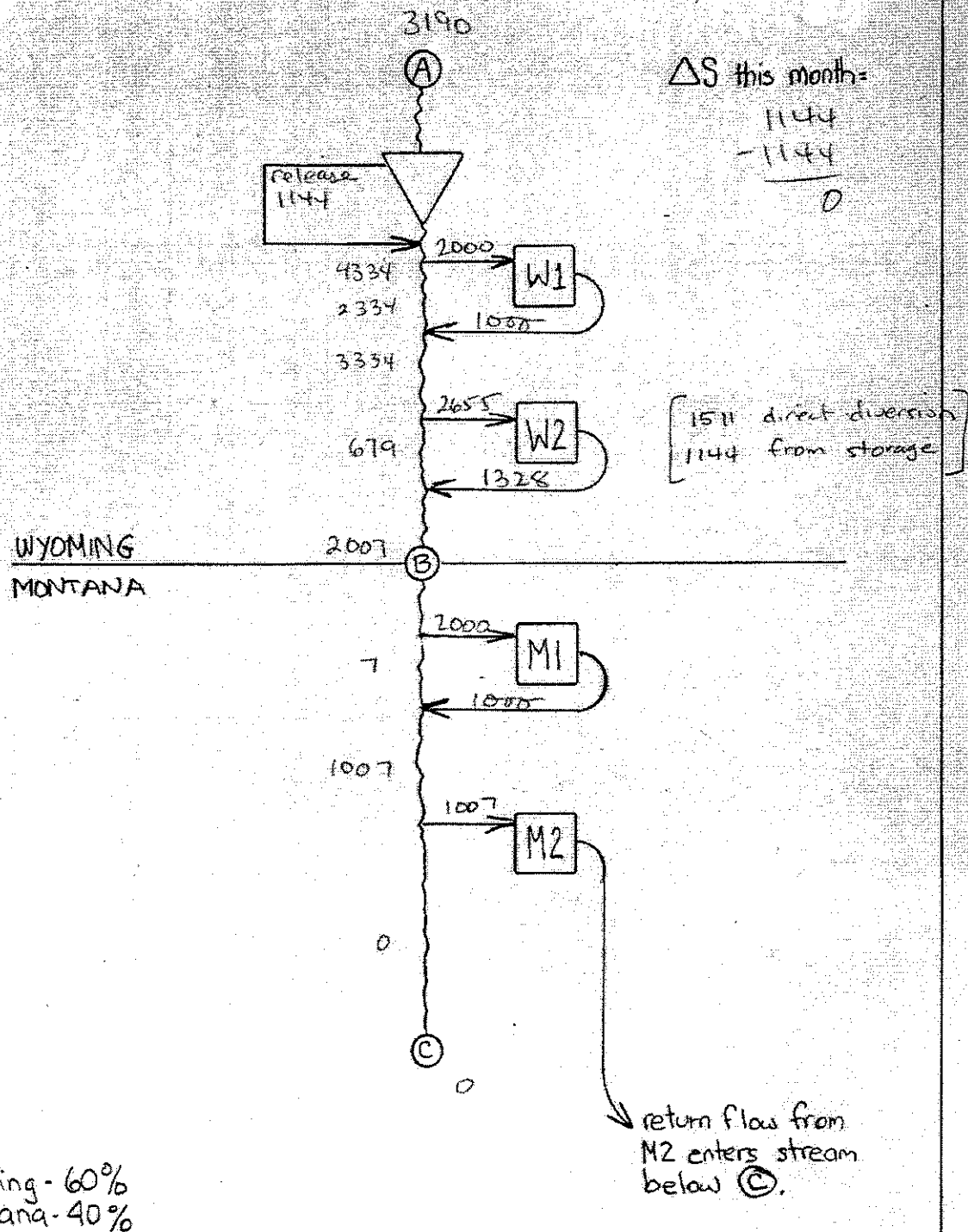
ALLOCATION FOR JULY 1 to 31st

2nd
iteration

- A = inflow to system
- B = state line flow
- C = flow at gage
-  = agricultural diversion
-  = post-1950 reservoir

pre-1950 W1 = 2000
post-1950 W2 = 2655

pre-1950 M1 = 2000
post-1950 M2 = 1007



Wyoming - 60%
Montana - 40%

I Calculate the accumulated diversions $D(WY)$ and $D(MT)$ from Oct 1 through this date for Wyoming and Montana:

a. $Q(\text{accum } WY) = D(WY) \text{ previous} + W2 \text{ this period}$
 $6155 = 4644 + 1511$

b. $Q(\text{accum } MT) = D(MT) \text{ previous} + M2 \text{ this period}$
 $4103 = 3096 + 1007$

II Calculate the total divertable flow accumulated by both states from October 1 through today:

a. $Q(\text{accum}) = Q(\text{accum } WY) + Q(\text{accum } MT)$
 $10258 = 6155 + 4103$

III Calculate the allocable flow to each state:

a. $Q(\text{alloc } WY) = Q(\text{accum}) \times \%w$
 $6155 = 10258 \times .60$

b. $Q(\text{alloc } MT) = Q(\text{accum}) \times \%m$
 $4103 = 10258 \times .40$

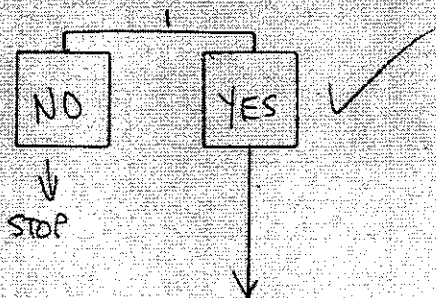
IV Compare accumulated divertable flow and allocable divertable flow for each state:

a. $\frac{\text{Wyoming (allocated)}}{6155} = \frac{\text{Wyoming (accumulated)}}{6155}$

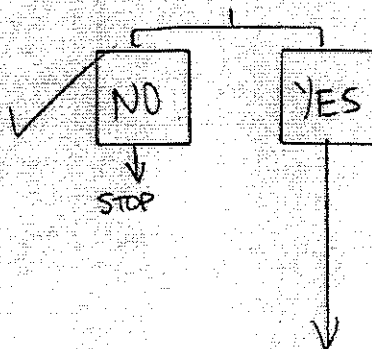
b. $\frac{\text{Montana (allocated)}}{4103} = \frac{\text{Montana (accumulated)}}{4103}$

V Determine what action, if any, needs to be taken.

a. Is more water needed to meet Montana's demand?



Is $Q(\text{accumWY}) > Q(\text{allocWY})$?



release sufficient
divertable flow across
state line such that
 $Q(\text{accumWY}) = Q(\text{allocWY})$

a. regulate Wyoming Post-1950 use.

b. drawdown storage to meet extra Wyoming demand.

ALL VALUES ARE
IN ACRE-FT

EXHIBIT
8

ALLOCATION FOR August - September 30

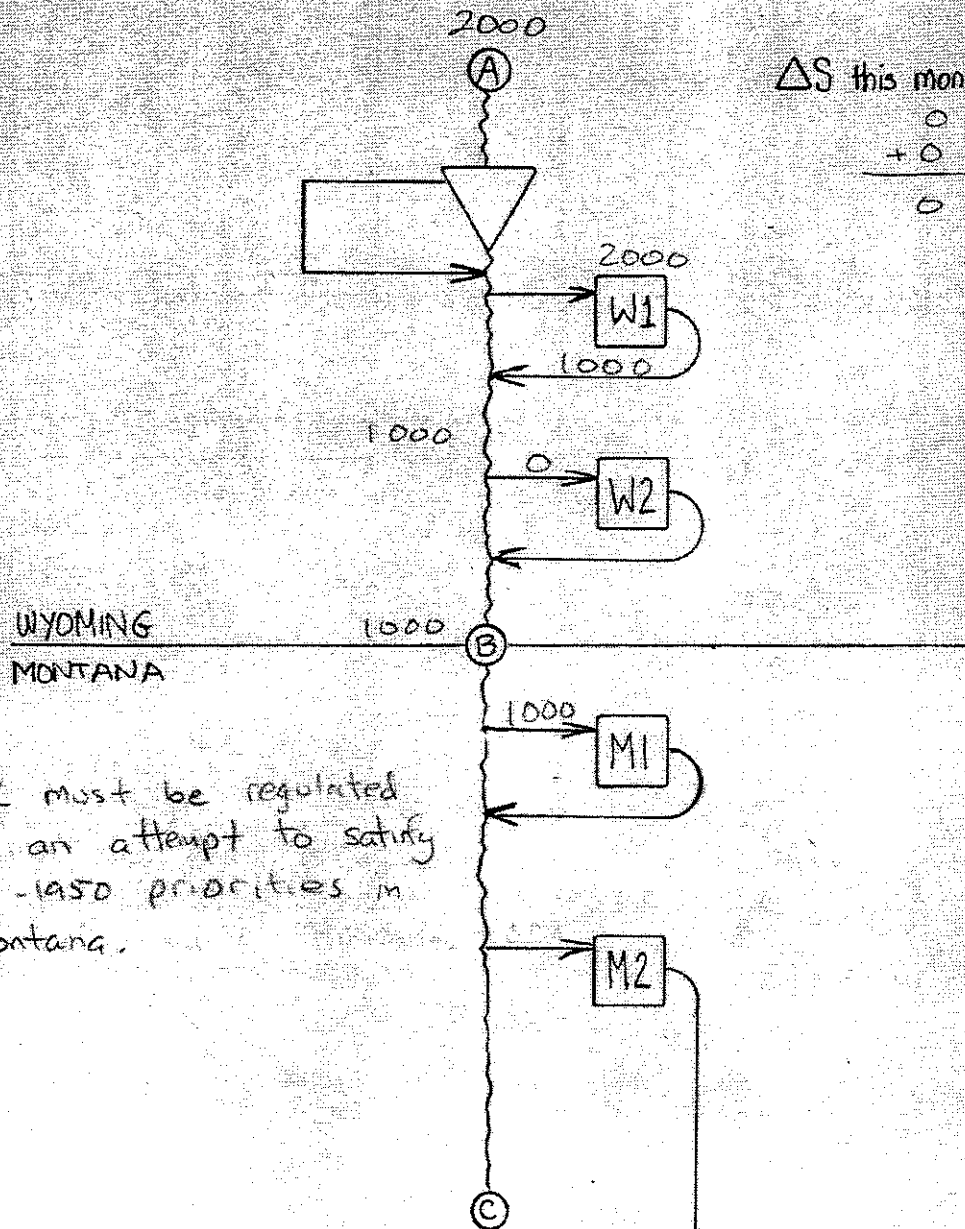
- A = inflow to system
- B = state line flow
- C = flow at gage
-  = agricultural diversion
-  = post-1950 reservoir

pre-1950 W1 =
post-1950 W2 =

pre-1950 M1 =
post-1950 M2 =

$$\Delta S \text{ this month} =$$

0
+ 0
0



W2 must be regulated
in an attempt to satisfy
pre-1950 priorities in
Montana.

Wyoming - 60%
Montana - 40%

return flow from
M2 enters stream
below C.