DISCUSSION OF "CREDIT CRISES, PRECAUTIONARY SAVINGS, AND THE LIQUIDITY TRAP" BY VERONICA GUERRIERI AND GUIDO LORENZONI

Discussion by Bob Hall

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BEWLEY MODEL

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Realistic shocks

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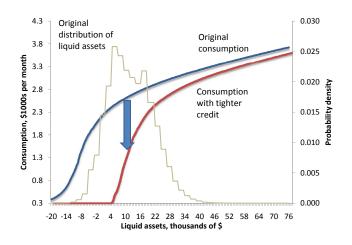
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Borrowing opportunities: \$10 K on credit cards, any amount on payday loans at 200 percent per year

Realistic shocks

No labor supply response

THE HOUSEHOLD STORY



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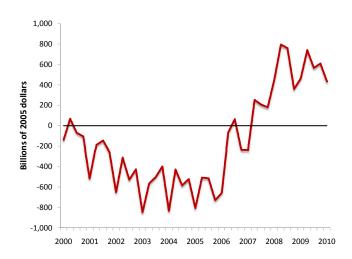
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But the zero lower bound may block that lower rate

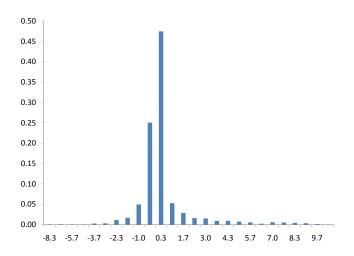
Cash from Households to Financial Institutions



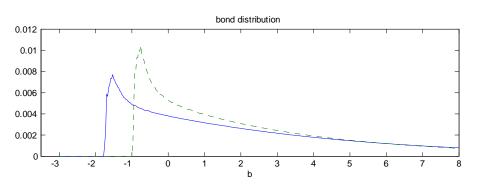
SOMETHING TO CHECK

Compare cash from low- $\!W\!$ households in the model to these numbers

DISTRIBUTION OF LIQUID ASSETS, SURVEY OF CONSUMER FINANCES



DISTRIBUTION OF LIQUID ASSETS IN GL MODEL



EXPLAINING THE TIGHT DISPERSION OF LIQUID WEALTH

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Another possibility: "Neither a borrower nor a lender be." (*Hamlet*, Act 1, Scene 3). Families follow the advice of Polonius more enthusiastically than our DP models recommend

HETEROGENEITY

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The SCF makes it pretty clear that we should allow for heterogeneity in permanent characteristics as well: productivity and time preference

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The rest are well buffered and follow the life-cycle-permanent income principle—they are on the flat part of the policy function

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The fraction of households that were constrained—74 percent—is even higher because lower-income households are more likely to be constrained.

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This is the clash mentioned in footnote 7.