Loss Weighting in Multi-Task Language Learning

Stanford CS224N Default Project

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Abstract

Our project studies Multi-Task Learning (MTL) with a transformer-based model minBERT to perform on sentiment classification, paraphrase detection, and semantic textual similarity. Our chief approach in implementation was through Loss Weighting, a method that weights individual task’s loss in the calculation of the total loss in MTL training. We explored three loss weighting schema–Uniform Weighting, Dynamic Task Prioritization, and Homoscedastic Uncertainity Loss Weighting. We tested various training configurations, such as sequential, joint, numerous data manipulation for joint learning, as well as Cosine Similarity. We were able to achieve test accuracies of 0.513 for sentiment analysis, 0.788 for paraphrase, 0.346 for STS, and 0.658 overall.

1 Key Information to include

• Mentor: Cheng Chang

• Julia Kwak Contributions: Julia coded the implementations of the oversampling version of multitask training, and uncertainty loss weighting. She also located the papers for dynamic task prioritization and uncertainty loss weighting, and produced a majority of the figures in this report.

• Anna Little Contributions: Anna coded the implementations of dynamic task prioritization and cosine similarity, as well as the non-oversampling version of multitask training.

2 Introduction

Multi-Task Learning (MTL) is a method of machine learning where one model is trained simultaneously on multiple tasks. In principle, this approach allows the model to learn more richly by leveraging shared information, and thus improves accuracy on all tasks overall, as opposed to the tasks in isolation. Additionally, MTL significantly saves computational resources, as it takes advantage of shared architecture, reduced training time, and smaller storage demands (Crawshaw, 2020). However, in practice, MTL has not consistently met these intuitive expectations, running into challenges such as task interference or task imbalance. That being said, perhaps the most reliable application of MTL can be seen in Computer Vision, where there have been successful uses of MTL for various computer vision tasks (Liu et al., 2019). One methodology often employed is to place weight onto the loss functions of the given tasks or input samples, so that the total loss used in training is adapted to the current state of the model and task/example relationships (Gong et al., 2019). This project explores this approach to determine the efficacy of loss weighting in an NLP setting.

With a baseline implementation minBERT, a transformer-based model, we conduct MTL to perform on sentiment classification (SST), paraphrase detection, and semantic textual similarity (STS). We study three different types of loss weighting techniques–dynamic task prioritization, homoscedastic uncertainty weighting, and equal weighting.
3 Related Work

One of the primary ways that MTL has been implemented is through loss weighting (Crawshaw, 2020). Loss weighting is the process of placing emphasis on the loss functions of the multiple tasks in MTL before they are summed to act as the total loss for training, essentially functioning as a weighted sum. This approach manipulates the loss to incentivize the model to prioritize tasks differently, and allows for more granular control of the model’s learning across the different tasks. This concept of loss weighting is important for this project, given our three different tasks of varying difficulty and data sizes. A model designer could approach this by selecting weight hyperparameters to attempt to even the performance of all tasks, but this requires lengthy training time and exhausts compute resources. Other successful work let the weights of each task be trainable parameters. Guo et al. (2018) weighs hard tasks higher so that the model focuses more on improving the worst performing tasks, a method they called dynamic task prioritization. Another paper, Lin et al. (2017), instead considered focusing on the worst performing examples to manipulate the loss. Another approach to task weighting is to calculate task-dependent uncertainty. This method, detailed in Cipolla et al. (2018), uses a measure of the confidence of the model on tasks to determine how much focus should be placed on them.

Other methods that we employed in our work were drawn from NLP papers. Foundational for this project was Reimers and Gurevych (2019)’s work on Sentence-BERT, which specifically addresses the STS task. This work approaches STS as a regression task, using cosine similarity as the objective function. Also, this paper used the concatenation of sentence embeddings for classification tasks, which we found to be a helpful approach. They do make a note that concatenation is only relevant for classification, not for regression, but we were inspired by this work to consider the two together for a more comprehensive objective function.

Our team also understood the spirit of the default project to be about optimizing a multitask model, rather than training for each task separately on one model. It is a known problem that multitask models can have gradients that conflict with each other (Yu et al., 2020). Rather than performing gradient surgery as is detailed in this paper, it was our hope that by weighting certain tasks higher, the model would be nudged from this decision boundary and not stuck between two gradients that conflict.

4 Approach

4.1 Baselines

We use the performance of our sequentially trained model as a baseline to compare all of our models. Then, since we used the multitask training approach for the CV related implementations, we use the performance of our oversampling multitask implementation as the baseline for other multitask approaches. Finally, we compare multitask performance to a baseline of the performance of each individual task when trained to completion in solitude, and also compare multitask performance to each set of dual task performance.

4.2 minBERT and Predictions

We begin with a standard implementation of minBERT as defined in the starter code and project handout. This includes a multi-head attention layer, a dropout layer, the transformer layer, and AdamW Optimizer.

4.3 Multi-Task Learning

We try two different training schema for MTL. The first is sequential learning: each task is trained one after the other, only moving onto the next once the train set for the previous task is exhausted. The order was SST, paraphrase detection, and STS. In this method, the model learns the three tasks in three separate training loops. The underlying assumption is that the model will perform better as trains on increasingly difficult tasks, gaining foundational language knowledge that help with latter, more complex tasks.
The second approach is joint-training. Here, all three tasks are performed in the same training loop and contribute to the training loss. This approach is less vulnerable to catastrophic forgetting (McCloskey and Cohen, 1989), and allows for more generalization in the model’s capabilities.

We test two different implementations of joint-training. These different methods are motivated by the different data sizes of the three tasks. The first implementation sets the training batch to be the size of the minimum batch across the three tasks. This method made use of some code found at [Tor]. The second implementation sets the training batch to be the size of the maximum batch size of the three tasks (in this case, the Quora dataset [Quo]). In the latter, we apply oversampling, where the other SST and STS datasets were cycled to match the size of paraphrase detection’s.

Joint-training outperforms sequential training and is used as the baseline MTL model for all the loss weighting experiments. Results comparing the two schemas is shown in Table 1.

We use Cross-Entropy Loss, Binary-Cross Entropy, and Mean Squared Error Loss with Logits Loss, for sentiment classification, paraphrase detection, and semantic textual similarity, respectively.

4.4 Cosine Similarity

We test Cosine Similarity in our prediction for STS. For any given two word vectors $A$, $B$, the cosine of the angle between $A$ and $B$ measures the two words’ semantic similarity. The value ranges from $-1$ to 1, where $-1$=equal, 0=independent, 1=opposite.

$$\text{Cosine Similarity} = \frac{A \cdot B}{\|A\| \|B\|}$$

We start out with a concatenation of the two embeddings for two input sentences via the minBERT CLS pooled output, both already separately fed through the dropout layer. We then compute the two embeddings’ cosine similarity, which we append onto the initial concatenation of the two embeddings. Importantly, the two embeddings are dropped out, but not before they are passed through cosine similarity. By appending the cosine similarity score to the concatenated embedding, the model integrates both the holistic sentence-level representations and their direct semantic relationship into a dense, singular feature vector. Finally, we pass this extended embedding of size= $hiddensize \times 2 + 1$ into the linear layer for STS.

4.5 Equal Loss Weighting

Our original implementation treated all tasks as equals, having the combined loss function be an average of the losses of the three tasks. No special weighting was involved. This was a naive approach to use as a baseline for the more complex methods we implemented.

4.6 Dynamic Task-Level Prioritization

In the course of training multitask models, most methods require the weighting of tasks to effectively learn from multiple tasks without one dominating another. This is often done through hyperparameter tuning, which requires extensive effort and compute to complete ablation tests. Instead, Guo et al. (2018) proposed to use the difficulty of tasks as weights, calculating the difficulty based on the model’s performance on each task. To do this, they suggest creating a key performance indicator(KPI) for each task that functions as a moving average of the performance. These KPIs are used to up-weight harder tasks. The update of KPIs is accomplished according to the following, for task $t$:

$$\kappa_t^{(\tau)} = \alpha \kappa_t^{(\tau-1)} + (1 - \alpha) L_t^{(\tau-1)}$$

Then, these KPIs are used as the input to a focal loss equation, specified as:

$$FL(\kappa_t^{(\tau)}; \gamma_t) = -(1 - \kappa_t^{(\tau)})^{\gamma_t} \log(\kappa_t^{(\tau)})$$

where $\gamma_t$ is the task-level focusing parameter for task $t$. These focal losses are multiplied by the true training loss for each task, $L_t$, combined together as below to create the dynamic task prioritization loss:

$$L_{DTP} = \sum_{t=1}^{T} FL(\kappa_t^{(\tau)}; \gamma_t) L_t$$

3
These equations were all engineered by Guo et al. (2018), but all code to implement this was written by our team.

4.7 Homoscedastic Uncertainty Loss Weighting (HULW)

Homoscedastic uncertainty is uncertainty that is not dependent on input data, but rather changes between tasks. We can understand homoscedastic uncertainty to indicate our confidence in any given task. As defined in Cipolla et al. (2018), we use Bayesian modeling principles to dynamically weigh loss functions according to Homoscedastic or Task-dependent uncertainty. Essentially, in this approach, we train our model to focus its learning on tasks with lower uncertainty.

We define \( f^W(x) \) as our model output with weights \( W \) in input \( x \). We define three sets of probabilities for each of our three tasks. Given sentiment classification is a classification task, we define the likelihood of a set of predictions \( y_{sst} \) with model output \( f^W(x) \),

\[
p(y_{sst} | f^W(x)) = \text{Softmax}\left(\frac{1}{\sigma_{sst}^2} f^W(x) \right)
\]

For regression tasks—paraphrase detection and semantic textual similarity—the likelihood is the following Gaussian distribution, with \( f^W(x) \) as the mean, and an observation noise scalar \( \sigma \).

\[
p(y_{para} | f^W(x)) = \mathcal{N}(f^W(x), \sigma_{para}^2)
\]

\[
p(y_{sts} | f^W(x)) = \mathcal{N}(f^W(x), \sigma_{sts}^2)
\]

Let \( L_{sst} \), \( L_{para} \), and \( L_{sts} \) be our loss functions for SST, paraphrase detection, and STS, respectively. Upon factorizing the aforementioned probabilities, given our MTL approach, we define our loss for MTL below, for which the proof is given in Cipolla et al. (2018).

\[
= -\log p(y_{sst}, y_{para}, y_{sts} | f^W(x))
\]

\[
= \frac{1}{\sigma_{sst}^2} L_{sst} + \frac{1}{2\sigma_{para}^2} L_{para} + \frac{1}{2\sigma_{sts}^2} L_{sts} + \log \sigma_{sst} + \log \sigma_{para} + \log \sigma_{sts}
\]

The noise parameter \( \sigma_i \) indicates the weight to apply on the corresponding loss \( L_i \). The higher the \( \sigma_i \), the lower the \( L_i \)'s weight, and vice-versa. The log \( \sigma_i \) functions as a regularizer that prevents \( \sigma_i \) from increasing too much. In application, we train the network to learn \( \sigma_i^2 \) as it is more numerically stable than \( \sigma_i \). Here too the equations were taken from Cipolla et al. (2018) but all code was written by our team.

5 Experiments

5.1 Data

We use the Stanford Sentiment Treebank (SST) dataset (Socher et al., 2013) for sentiment analysis. This dataset includes sentences with sentiment labels 0-4, indicating negative, somewhat negative, neutral, somewhat positive, or positive, respectively. We use the Quora dataset for paraphrase detection, which consists of 400,000 sentence pairs with labels indicating whether they are paraphrases of each other (Quo). Lastly, we use the SemEval STS Benchmark dataset with 8,628 sentence pairs with labels 0 – 5, indicating whether two sentences are unrelated (label=0) up to equivalent (label=5) in meaning (Agirre et al., 2013).

5.2 Evaluation method

We define our evaluation metric as in the CS224N default project expectations. For sentiment classification and paraphrase detection, we use accuracy. For semantic textual similarity, we use the Pearson correlation that captures the linear relationship between predictions and true labels.

5.3 Experimental details

Across the numerous experiments, there are components that are kept constant. The dropout probability is 0.3, the pretrain and fine-tune learning rate is \( 1e^{-5} \), batch size is 8, and the number of epochs
for pretrain and finetune are each 10. The model architecture consists of one shared linear layer across all tasks, and one separate linear layer for each task. We use Cross-Entropy Loss, Binary-Cross Entropy, and Mean Squared Error Loss with Logits Loss, for sentiment classification, paraphrase detection, and semantic textual similarity, respectively. We use our implementation of minBERT, where the size of each hidden layer was 768. We ran experiments on either Google Compute Engine GPUs or Google Colab GPUs. We ran most tests on NVIDIA V100 GPUs to increase the number of operations per second.

**Sequential Training**  
No other specification.

**Joint Training with Equal Weight**  
No other specification.

**Dynamic Task Prioritization**  
Chose middle of the road $\alpha = 0.5$ and conducted ablation study to determine ideal $\gamma$ value of 0.5.

**Homoscedastic Uncertainty Loss Weighting**  
Cipolla et al. (2018) found that their model was robust to initialization values for the noise parameter $\sigma^2$ between the ranges $-2$ to 5. And thus in our implementation, $\sigma^2 = 0$ for all three tasks.

5.4 Results

5.4.1 Undersampling vs. Oversampling Batch Size for Joint Learning

As outlined in the *Approach* section, Table 1 below shows higher overall performance of oversampling versus undersampling for joint learning. This makes intuitive sense, as more data helps the model learn a more complete representation. It is also backed by studies that compare oversampling to undersampling. Mohammed et al. (2020) compare undersampling to oversampling techniques for an imbalanced dataset, much like ours, and they find that oversampling performs better than undersampling for various classifiers and evaluation metrics.

<table>
<thead>
<tr>
<th>Dataset</th>
<th>Smallest Set Size Adaptation</th>
<th>Largest Set Size Adaptation</th>
</tr>
</thead>
<tbody>
<tr>
<td>SST</td>
<td>0.503</td>
<td>0.502</td>
</tr>
<tr>
<td>Quora</td>
<td>0.744</td>
<td>0.781</td>
</tr>
<tr>
<td>STS</td>
<td>0.359</td>
<td>0.364</td>
</tr>
<tr>
<td>Overall</td>
<td>0.642</td>
<td>0.655</td>
</tr>
</tbody>
</table>

Table 1: Dev Accuracy in Joint-Training

5.4.2 Full Comparison: All Loss Weighting Methods

Our results show that Homoscedastic Uncertainty Loss Weighting performs the best overall with a dev accuracy of 0.657, compared to Uniform Weighting and Dynamic Task Prioritization with 0.655 and 0.649 respectively. Compared to Uniform Weighting, Homoscedastic Uncertainty Loss Weighting improves significantly in sentiment classification and STS, while worsening in paraphrase detection. Dynamic Task prioritization’s performance decreases for all tasks against Uniform Weighting, however, performs better on Paraphrase compared to Homoscedastic Uncertainty.

<table>
<thead>
<tr>
<th>Dataset</th>
<th>Uniform Weighting</th>
<th>DTP</th>
<th>HULW</th>
</tr>
</thead>
<tbody>
<tr>
<td>SST</td>
<td>0.502</td>
<td>0.486</td>
<td>0.517</td>
</tr>
<tr>
<td>Quora</td>
<td>0.781</td>
<td>0.780</td>
<td>0.763</td>
</tr>
<tr>
<td>STS</td>
<td>0.364</td>
<td>0.361</td>
<td>0.381</td>
</tr>
<tr>
<td>Overall</td>
<td>0.655</td>
<td>0.649</td>
<td>0.657</td>
</tr>
</tbody>
</table>

Table 2: Dev Accuracy for Loss Weighting
6 Analysis

6.1 Single-Task Training vs. Multi-Task Training

As discussed in the Introduction, MTL has serious limitations. Our results reinforces this understanding. Below are comparisons of dev accuracy in Single-Task Learning and MTL. We can see that, for every task, the dev accuracy goes down from Single-Task Learning to MTL.

<table>
<thead>
<tr>
<th>Task</th>
<th>Single-Task Learning</th>
<th>Multi-Task Learning</th>
</tr>
</thead>
<tbody>
<tr>
<td>SST</td>
<td>0.538</td>
<td>0.502</td>
</tr>
<tr>
<td>Paraphrase</td>
<td>0.786</td>
<td>0.781</td>
</tr>
<tr>
<td>STS</td>
<td>0.377</td>
<td>0.364</td>
</tr>
</tbody>
</table>

Table 3: Highest Dev Accuracy for Single-Task Learning vs. Multi-Task Learning

The results signal that Single-Task Learning allows the model to dedicate its learning capacity to strictly understanding the given task, tailoring the model to the task’s specific features and patterns. The MTL results show that not all tasks share beneficial, transferable information. The attempt to generalize across tasks leads to dilution of critical task-specific information. We presume that the model likely experiences a "negative transfer," which describes performance reduction in previous knowledge due to new learning (Zhang et al., 2023). More specifically, the model experiences "task interference," where shared parameters enable conflicting information in multiple tasks to intervene one another, resulting in a murky understanding of any one given task. Another more drastic explanation could be “catastropic forgetting,” where neural networks suddenly forget previously learned information upon learning new information (McCloskey and Cohen, 1989). Moreover, competing gradient directions of the different tasks may create a tension in the parameter space. This could prevent the optimization to stay stagnant, as its being pulled in numerous directions simultaneously (Yu et al., 2020).

6.1.1 Cosine Embedding: Single-Task Learning vs. Multi-Task Learning

<table>
<thead>
<tr>
<th>Task/Joint Cosine Setting</th>
<th>Dev Accuracy</th>
</tr>
</thead>
<tbody>
<tr>
<td>STS: No Cosine STL</td>
<td>0.377</td>
</tr>
<tr>
<td>STS: With Cosine STL</td>
<td>0.393</td>
</tr>
<tr>
<td>STS: No Cosine MTL</td>
<td>0.365</td>
</tr>
<tr>
<td>STS: With Cosine MTL</td>
<td>0.373</td>
</tr>
<tr>
<td>Overall: No Cosine MTL</td>
<td>0.655</td>
</tr>
<tr>
<td>Overall: With Cosine STL</td>
<td>0.652</td>
</tr>
</tbody>
</table>

Table 4: Dev Accuracy for SST Dependent on Cosine Embedding

In efforts to improve our STS score, we implement Cosine Similarity, after which we observe a marked improvement in STS performance. This enhancement, however, comes at the cost of lowering overall performance. We posit that the model over-relies on the Cosine Similarity for its predictions. Since the information passed through the linear layer for predicting similarity consisted of both the cosine similarity and the two sentence embeddings concatenated together, we believe that the model is overrelying on the cosine similarity and focusing less on the two input sentence embeddings. We can categorize this as a mild form of reward hacking (Skalse et al., 2022), where the Cosine Similarity functions as a shortcut for the model to learn the similarity without learning the sentences. Additionally, our architecture has one shared linear layer across all three tasks and an additional linear layer for each task. It is likely that the gradient signal being passed back during backpropagation experiences task interference, where the other two tasks do not benefit from STS’ increased awareness of Cosine Similarity. This results in decreased generalizability of the model across this shared architecture.

6.2 Dual-Task Training vs. Triple-Task Training

Given the limitation of Multi-Task Learning compared to Single-Task Learning, we further examine the effect of the number of tasks in MTL on performance. Our intuition was that as the number of
tasks increased, so did the overall loss. Figure 1 shows the effect of task pairs (sentiment, paraphrase),
(paraphrase, STS), and (sentiment, STS) on performance, and how the tasks within these pairs
perform relative to how they perform in our Uniform Weighting 3-Task model. Our initial assumption
was true, all but one dev accuracy was higher in the 3-Task model compared to the first: SST with the
Paraphrase and STS pair.

<table>
<thead>
<tr>
<th>Pair</th>
<th>Task Within Pair</th>
<th>Dev Acc</th>
</tr>
</thead>
<tbody>
<tr>
<td>Sentiment and Paraphrase</td>
<td>Sentiment</td>
<td>0.497</td>
</tr>
<tr>
<td></td>
<td>Paraphrase</td>
<td>0.786</td>
</tr>
<tr>
<td>Paraphrase and STS</td>
<td>Paraphrase</td>
<td>0.777</td>
</tr>
<tr>
<td></td>
<td>SST</td>
<td>0.366</td>
</tr>
<tr>
<td>Sentiment and STS</td>
<td>Sentiment</td>
<td>0.506</td>
</tr>
<tr>
<td></td>
<td>STS</td>
<td>0.354</td>
</tr>
</tbody>
</table>

Table 5: 2-Task MTL

<table>
<thead>
<tr>
<th>Task</th>
<th>Dev Acc</th>
</tr>
</thead>
<tbody>
<tr>
<td>Sentiment</td>
<td>0.502</td>
</tr>
<tr>
<td>Paraphrase</td>
<td>0.781</td>
</tr>
<tr>
<td>STS</td>
<td>0.364</td>
</tr>
</tbody>
</table>

Table 6: 3-Task MTL

### 6.3 Comparison of Loss Weighting Methods

This section details our various Loss Weighting methods (as displayed in Table 2) and poses
explanations for their observed behavior. Homoscedastic Uncertainty achieves the highest overall
performance. This is unexpected, because the principle behind HULW is that we place more weight
onto tasks with less uncertainty; that is, tasks that are easier to predict. However, compared to Uniform
Weighting, we observe that that paraphrase, the task that records the highest dev accuracy, performed
poorer (0.781 → 0.763), while sentiment (0.502 → 0.517) and STS (0.364 → 0.381), both tasks
with lower dev accuracy, performs better. We suspect that the model overfit to the Quora training
set. Since the loss weighting pushed the model to minimize the loss of paraphrase most heavily, the
model may have learned too specifically to the training set and become unable to generalize to the
dev set. This can be seen in Figure 2, where the difference between the Para Dev Loss and the
than training dev loss is much more significant.

Dynamic Task Prioritization performed most poorly across our methods. It also exhibited unexpected
behavior. Theoretically, DTP should weigh harder tasks more heavily, however, we see that our harder
tasks—sentiment and STS—both decreased in accuracy compared to Uniform Weighting. Paraphrase
performed worse as well. We suspect that the model erroneously focused on the hardest task: STS. In
Figure 2, we note a convergence in training loss and a stabilization in the development loss for
the STS, indicating a stop of significant learning progress for this task. We hypothesize that this
convergence, or stagnation rather, of STS performance is attributed to the model reaching a local
minimum (given that the dev accuracy for STS is not high). Moreover, DTP utilizes focal loss, which
is a cumulative average of the performance, and thus it lacks flexibility in quickly switching its focus
to other tasks. The model, due to this slowness, could not turn its focus to the other tasks quickly
enough. This likely caused the model to oscillate within a narrow performance range, precluding
substantive improvement. Another reason why the performance of DTP may be so low compared
to the other weighting schemes is because the model overfitted to the training data. If a model is
overfitting, we would expect to see the training loss go to 0 while the dev loss increases. Figure
2 shows that the DTP delta of dev loss for STS and paraphrase tasks only continues to increase.
This means that the dev loss is getting further and further away from 0, indicating that the model
is decreasing in performance. It is also possible that the model encountered competing gradient
directions between the different tasks, pulling in opposite direction, and preventing the model from
learning any of the three tasks effectively [Yu et al., 2020].

A study done by [Gong et al., 2019] supports our findings. They compared numerous MTL models,
including Homoscedastic Uncertainty, Uniform, and a model very similar to Dynamic Task Prioriti-
zation called Dynamic Weight Average (DWA). They observed Uniform Weighting to outperform
Homoscedastic Uncertainty and DWA in many of their experiments.

This is reinforced by the fact that there is not enough robust analytic theory in the literature that
understands optimal weighting for MTL, let alone optimal configuration of MTL itself [Gong et al.,
2019].
7 Conclusion

We found that multitask learning performs better than training the model on the three tasks sequentially, but worse than training three separate models for three individual tasks. This is supported by the literature that discusses how fraught with complications MTL can be (Yu et al., 2020). The decision to train all tasks simultaneously set up the rest of the experimentation in this paper. We implemented two techniques for conducting MTL, and showed that oversampling performs better than undersampling. We also considered cosine similarity for the relative improvements it provided to the STS task, but concluded that this additional information caused the model to focus too heavily on STS at the expense of the other tasks. We then implemented three techniques for weighting losses, two of which were derived from CV techniques, and compared their performance. Ultimately, homoscedastic uncertainty loss weighting performed the best overall and dynamic task prioritization performed worse than vanilla, a result that is consistent with other studies (Gong et al., 2019). The primary limitations of this work include its potentially narrow sphere of application. This work was conducted on a minBERT implementation, using relatively small datasets, and computed on relatively small computers (single GPUs for each model). While many concepts from this work should transfer to various in-class assignments, the results may vary based on structure of model, compute, and data availability. In particular, we saw results when testing on a toy dataset that did not hold for larger scale datasets. Additionally, MTL is an underdeveloped area of work, where conceptual understanding for how it best functions is nascent. We know that many problems today are more aptly solved with single task models than with multitask models, and that we are not alone in our complications with MTL.

References

First quora dataset release: Question pairs.


**Appendix (optional)**

### A.0.1 Dynamic Task Prioritization Ablation

In an attempt to optimize DTP and get it out of this state of conflicting gradients, we performed ablation over the $\gamma$ values. The original DTP paper (Guo et al., 2018) tested $\gamma$ values of 1 and 2, while the paper they referenced (Lin et al., 2017) tested $\gamma$ values of 0, 0.5, 1, 2, 5. Due to our limited compute capability, we decided to test $\gamma$ values of 0.5, 1 and 2. We found the best $\gamma$ value to be 0.5.

<table>
<thead>
<tr>
<th>Dataset</th>
<th>$\gamma = 0.5$</th>
<th>$\gamma = 1$</th>
<th>$\gamma = 2$</th>
</tr>
</thead>
<tbody>
<tr>
<td>SST</td>
<td>0.486</td>
<td>0.496</td>
<td>0.479</td>
</tr>
<tr>
<td>Quora</td>
<td>0.780</td>
<td>0.773</td>
<td>0.784</td>
</tr>
<tr>
<td>STS</td>
<td>0.361</td>
<td>0.345</td>
<td>0.353</td>
</tr>
<tr>
<td>Overall</td>
<td>0.649</td>
<td>0.647</td>
<td>0.646</td>
</tr>
</tbody>
</table>

*Table 7: Dev Accuracy for Loss Weighting*