

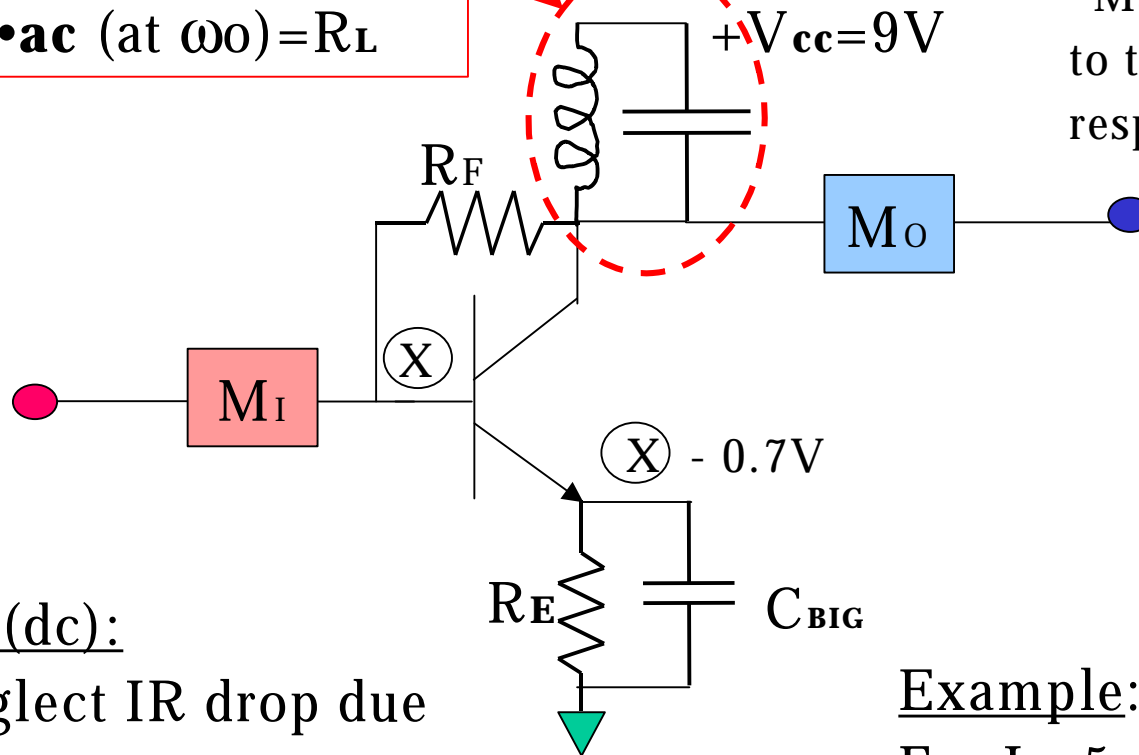
Low Noise Amplifier (LNA) Analysis and Design--Part I (dc & ac)

- A Shunt-Shunt Feedback configuration has been (pre-) selected:
 - Feedback allows improved input impedance match and
 - Lack of extra bias resistors can improve noise performance (TBD)
- Biasing is done by means of setting single R_E
- Noise Performance will be discussed later in the quarter:
 - Typically, noise of total receiver is dominated by first stage (therefore it is a really good idea to use LNA)

“tuned” load:

- **dc** \rightarrow short circuit
- **ac** (at ω_0) $= R_L$

M_I and M_O are
“Matching Networks”
to the Input and Output
respectively



Biasing (dc):

- Neglect IR drop due to R_F
- Hence $V_X = +V_{CC}$
- Assume $I_C \sim I_E$ ($\beta \gg 1$)
- Resulting bias is: \rightarrow

$$I_C \sim (9V - 0.7V) / R_E$$

Example:

For $I_C = 5mA$

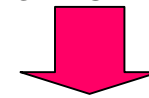
$$R_E = 8.3V / 5mA = 1.66K\Omega$$

About Bipolar Junction Transistor (BJT) and moving to ac parameters

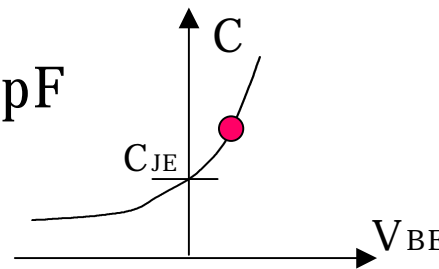
- Given dc bias point (I_c) we linearize about that point:
 - $g_m = qI_c/kT$
 - $r_\pi = \beta/g_m$
 - $C_\pi = C_{JE}(V_{BE}) + g_m \tau_F$
 - $C_\mu = C_{JC}(V_{BC})$
- Equivalent circuit and typical numbers are given next...

For $I_C=5\text{mA}$, $\beta=80$, $\tau_F=30\text{ps}$ (and other parameters per SPICE deck)

$g_m=qI_C/kT=0.193\text{ 1}/\Omega$ and $r_\pi=\beta/g_m=414\Omega$

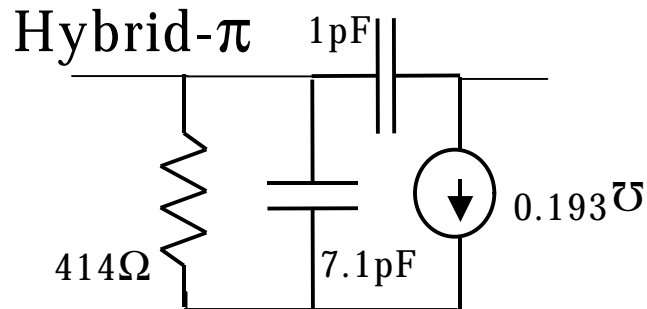
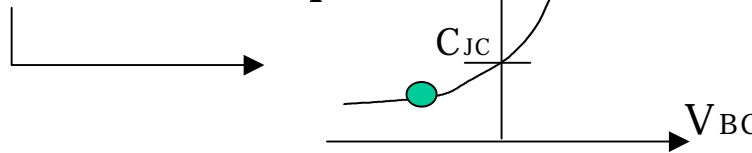


$C_\pi=C_{JE}(V_{BE}) + g_m\tau_F$
 $= 1.3\text{pF f}(V) + 5.8\text{pF}$
 $\sim 7.1\text{pF}$

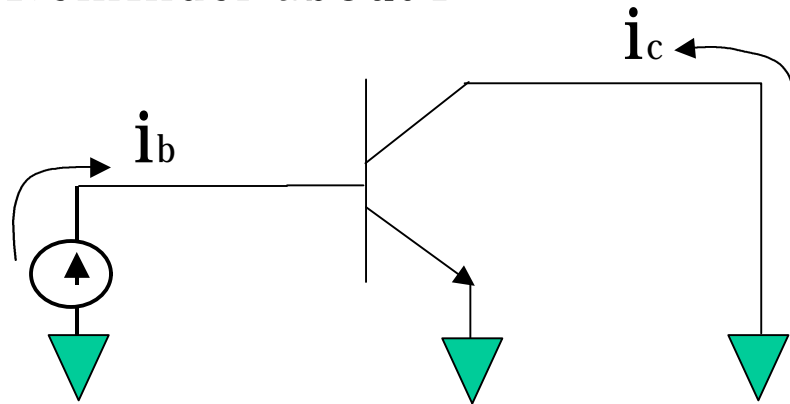


Parameter	Value
β	80
τ_F	30ps
C_{JE}	1.3pF
C_{JC}	1.0pF

$C_\mu=C_{JC}(V_{BC}) \sim C_{JC}=1\text{pF}$



Reminder about f_T



(from data sheet)

@ 20mA $g_m = 0.772$

$$C_{\pi} + C_{\mu} = (0.772) / (2\pi \cdot 5 \times 10^9)$$

(I.e. f_T)

$$= 24.6 \text{ pF}$$

$$C_{\pi} + C_{\mu} = C_{JE} + C_{JC} + g_m \tau_F$$

(now check out the SPICE deck... that is, you can print out all small signal parameters and confirm the hand calculations)

$$\frac{i_c(s)}{i_b(s)} = b(s)$$

$$\text{at } \dots \mathbf{W}_T \dots b(s) = 1$$

(and reviewing EE113 notes...)

$$b(s) = \frac{b}{1 + s r_p (C_p + C_m)}$$

$$\mathbf{W}_T = \frac{g_m}{C_p + C_m}$$