Great Ideas in Computational Photography HDR Imaging, Tone Mapping, Coded Apertures & Imaging

EE367/CS448I: Computational Imaging

stanford.edu/class/ee367

Lecture 6



Gordon Wetzstein Stanford University

Computational Photography on your Phone

- High-dynamic-range (HDR) imaging
- Tone mapping
- Burst photography













HDR contrast reduction (scaling)

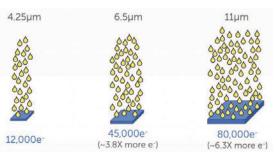


HDR local tone mapping

High Dynamic Range Imaging (HDRI)

Problems:

- Sensors have a limited full well capacity, pixels saturate for higher electron count
- Non-zero noise floor and ADC quantization further reduce precision



Terminology:

- dynamic range: ratio between brightest and darkest value
- quantization (i.e., precision) within that range is equally important
 - → from 8 bits (256 values) to 32 bits floating point

HDRI – Overview

- 1. estimate camera response curve
- 2. capture multiple low dynamic range (LDR) exposures
- 3. fuse LDR images into 32 bit HDR image
- 4. possibly convert to absolute radiance (global scaling)

HDRI – Estimating the Response Curve

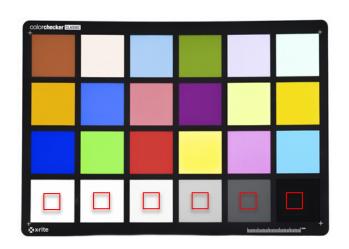
- not required when working with linear RAW images
- · easiest option: use calibration chart





HDRI – Estimating the Response Curve

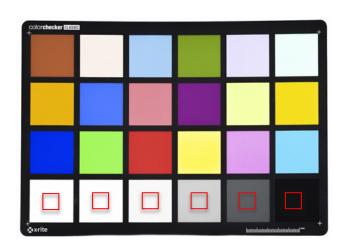
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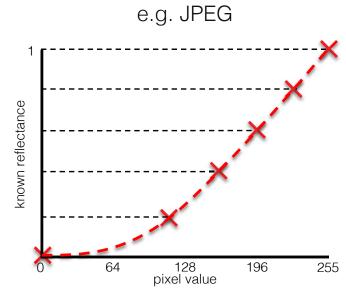


linear RAW known reflectance 128 196 255 pixel value

HDRI – Estimating the Response Curve

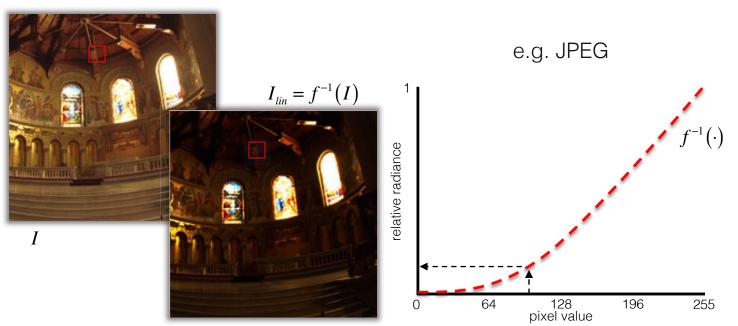
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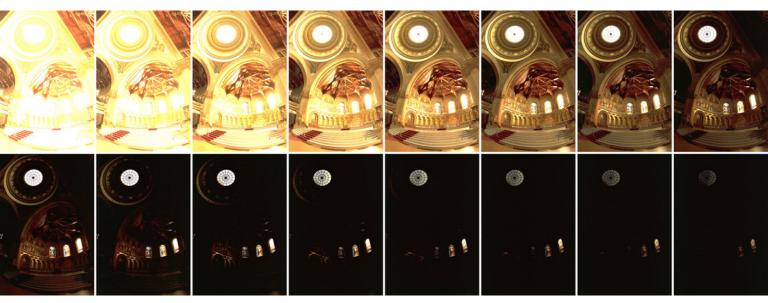


HDRI – Linearizing LDR Exposures

· capture exposure, apply lookup table



- start with LDR image sequence I_i (only exposure time t_i changes)
- individual exposure is: $I_i = f(t_i X)$, f is camera response function



• undo the camera response: $I_{lin_i} = f^{-1}(I_i)$

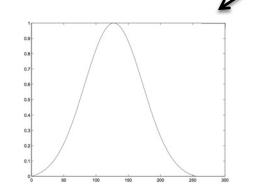
e.g., gamma function
$$f(I) = I^{1/\gamma} \rightarrow f^{-1}(I) = I^{\gamma}$$



- compute a weight (confidence) that a pixel is well-exposed
 - → (close to) saturated pixel = not confident, pixel in center of

dynamic range = confident!
$$w_{ij} = \exp\left(-4\frac{\left(I_{lin_{ij}} - 0.5\right)^2}{0.5^2}\right)$$
or mean pixel value, e.g. 127.5 if I in [0, 255]

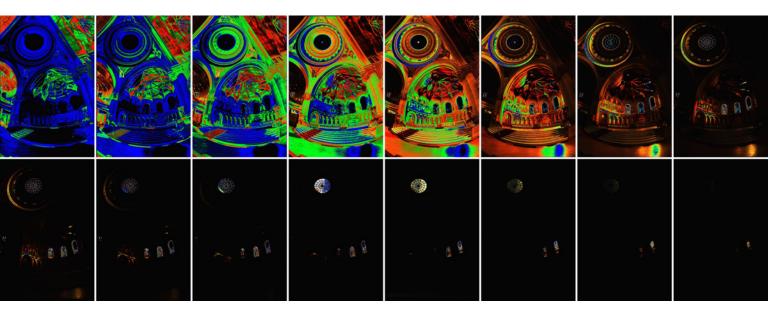






compute per-color-channel-per-LDR-pixel weights

$$w_{ij} = \exp\left(-4\frac{\left(I_{lin_{ij}} - 0.5\right)^2}{0.5^2}\right)$$



define least-squares objective function in log-space → perceptually minimize $O = \sum_{i} w_i \left(\log(I_{lin_i}) - \log(t_i X) \right)^2$ linear:

$$\lim_{X} \operatorname{Imminze} O = \sum_{i} w_{i} \left(\log \left(I_{lin_{i}} \right) - \log \left(I_{i} X \right) \right)$$

 $\frac{\partial O}{\partial \log(X)} = -2\sum_{i} w_{i} \left(\log(I_{lin_{i}}) - \log(t_{i}) - \log(X) \right) = 0$

gives:
$$\widehat{X} = \exp\left(\frac{\sum_{i} w_{i} \left(\log(I_{lin_{i}}) - \log(t_{i})\right)}{\sum_{i} w_{i}}\right)$$

equate gradient to zero:

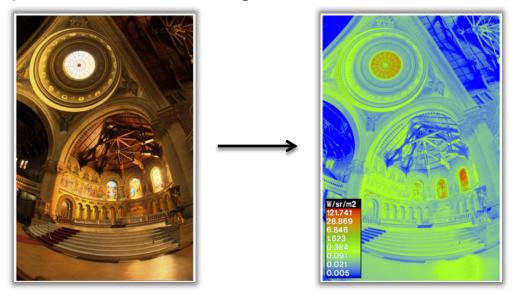
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$$\lim_{X} \operatorname{Imminize} \quad O = \sum_{i} w_{i} \left(\log \left(I_{lin_{i}} \right) - \log \left(I_{i} X \right) \right)$$

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gives:
$$\widehat{X} = \exp\left(\frac{\sum_{i} w_{i} \left(\log(I_{lin_{i}}) - \log(t_{i}) \right)}{\sum_{i} w_{i}} \right)$$

equate gradient to zero:

- LDR to HDR only gives relative radiance
- scale by reference radiance to get absolute!



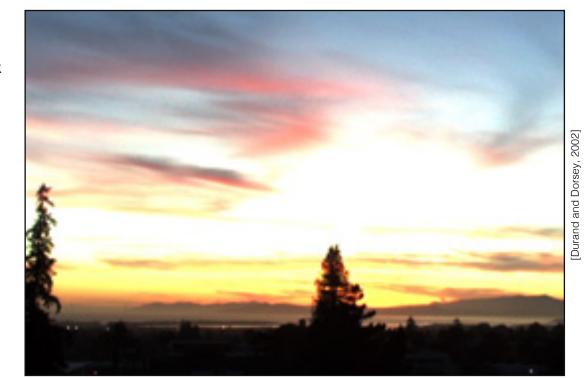
HDRI – Tone Mapping

• Problem: how to display a 32 bit HDR image on an 8 bit LDR display?

 Solution: tone mapping, i.e., "scale" into luminance range of display (or 0-255), while preserving high-contrast image details

Saturation

- sun overexposed
- foreground too dark



Tone Mapping w/ Simple Gamma



• gamma correction:

$$I = I^{\gamma}$$

· colors are washed out



Tone Mapping w/ Simple Gamma



- gamma in intensity only!
- intensity details lost





[Durand and Dorsey, 2002]

Tone Mapping w/ Bilateral Filter

Input HDR image



Intensity



Fast Bilateral Filter





Detail



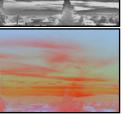
Output

Large scale





Detail



Color



Tone Mapping w/ Bilateral Filter







Tone Mapping w/ Local Laplacian Filters

- Many many more and more complicated tone mapping algorithms out there (too many to discuss here)
- Local Laplacian Filters is one of the state-of-the-art approaches



(a) input HDR image tone-mapped with a simple gamma curve (details are compressed)



(b) our pyramid-based tone mapping, set to preserve details without increasing them



(c) our pyramid-based tone mapping, set strongly enhance the contrast of details

Burst Denoising for Low-light Imaging

- Problem: too much (Poisson) noise in low-light conditions
- Solution: capture, align, and average multiple short exposures

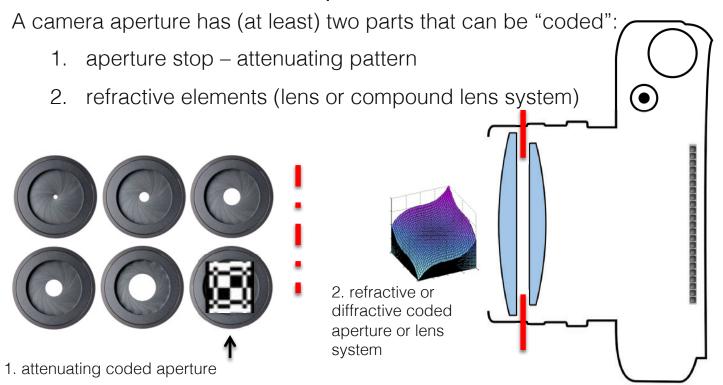




Guest lecture by Dr. Orly Liba from Google

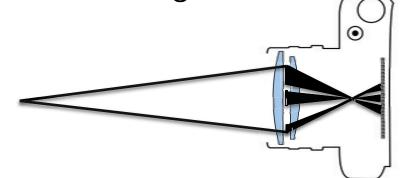
Coded (Aperture) Computational Imaging

Camera Aperture Revisited



Coded Aperture Changes PSF





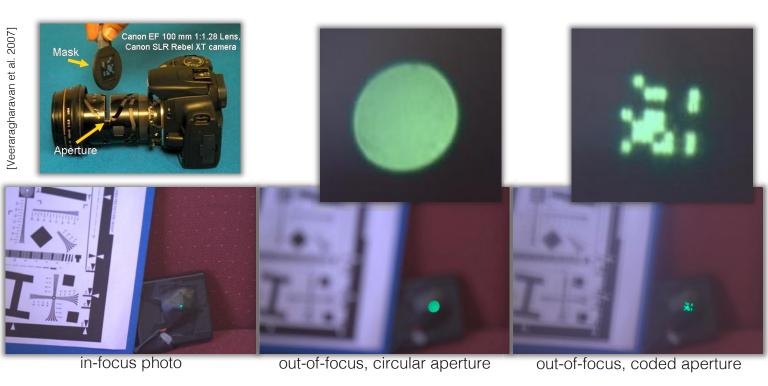




out-of-focus, circular aperture

out-of-focus, coded aperture

Coded Aperture Changes PSF



Coded (Aperture) Imaging

Applications of *Coded Aperture Imaging*:

- Extended depth of field
- Monocular depth estimation

Applications of *Coded Imaging* in General:

- Motion deblurring
- High-speed, hyperspectral, light field, single-pixel imaging ...

Coded (Aperture) Imaging

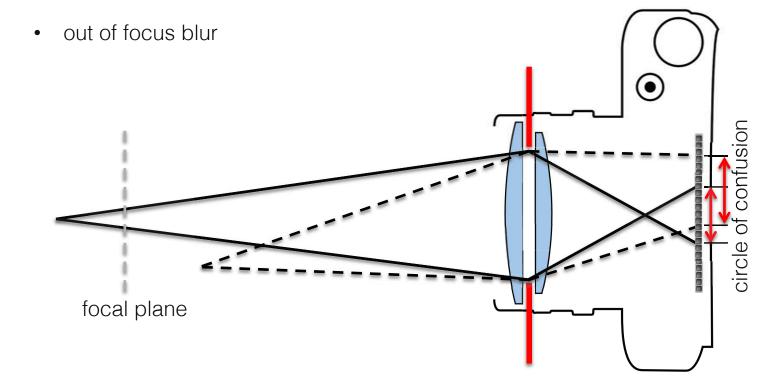
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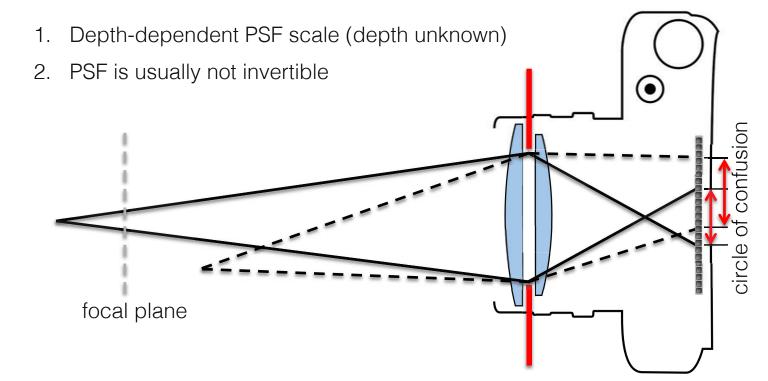
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What makes Defocus Deblurring Hard?



What makes Defocus Deblurring Hard?



Extended Depth of Field

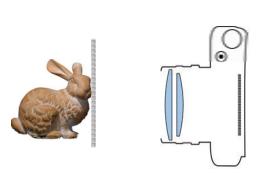
- 1. Problem: depth-dependent PSF scale (depth unknown)
 - engineer PSF to be depth invariant
 - resulting shift-invariant deconvolution is much easier!

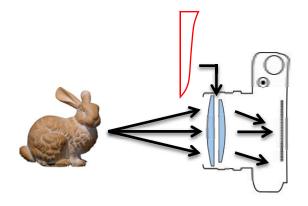
- 2. Problem: circular / Airy PSF is usually not invertible: ill-posed problem
 - engineer PSF to be broadband (flat Fourier magnitudes)
 - resulting inverse problem becomes well-posed

Extended Depth of Field

Two general approaches for engineering depth-invariant PSFs:

 move sensor / object (known as focal sweep) 2. <u>change optics</u> (e.g., wavefront coding)





Extended Depth of Field – Focal Sweep

captured focal sweep always blurry!

conventional photo (small DOF)





EDOF image





conventional photo (large DOF, noisy)

Extended Depth of Field – Focal Sweep

 noise characteristics are main benefit of EDOF

 may change for different sensor noise characteristics

SNR should be evaluation metric!



EDOF image

conventional photo (large DOF, noisy)

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Monocular Depth Estimation

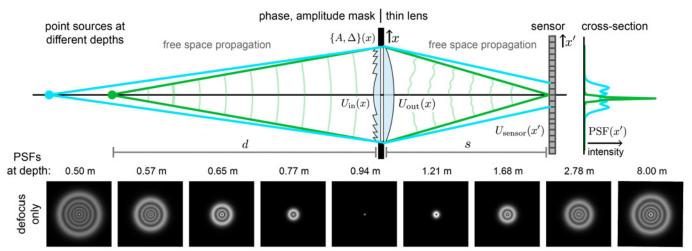


Problem: 3D/depth cameras are hard

Solution: a single image contains a lot of depth cues – learn to use them for depth estimation (like humans)

[Godard et al., 2017]

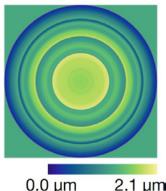
Coded Apertures for Depth Estimation



Coded Apertures for Depth Estimation



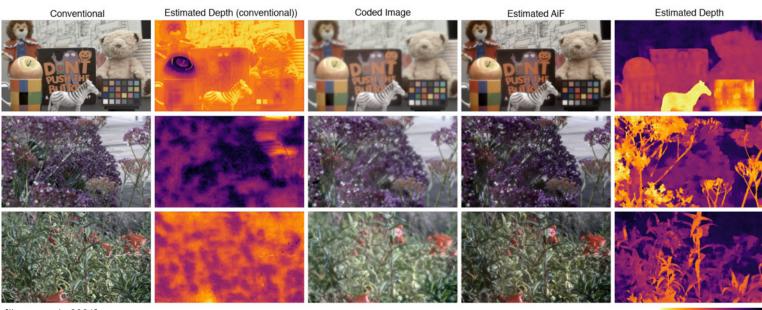




[lkoma et al., 2021] **0.0 μm 2.1 μm**

Coded Apertures for Depth Estimation

 PSF engineering can make depth estimation more robust by encoding low-level depth information in the PSF (rather than just pictorial cues)



[lkoma et al., 2021]

Coded Apertures in Astronomy

- some wavelengths are difficult to focus
- → no "lenses" available
- coded apertures for x-rays and gamma rays

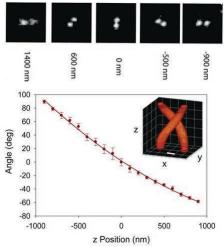




ESA SPI / INTEGRAL

Coded Apertures in Microscopy

for low-light, coding of refraction is better (less light loss)



e.g., rotating double helix PSF Stanford Moerner lab

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Motion Blur and Deblurring

- Problem: objects that move throughout exposure time will be blurred
- Motion deblurring is hard because:
 - Motion PSF may be unknown and different for different object
 - 2. Motion PSF is difficult to invert



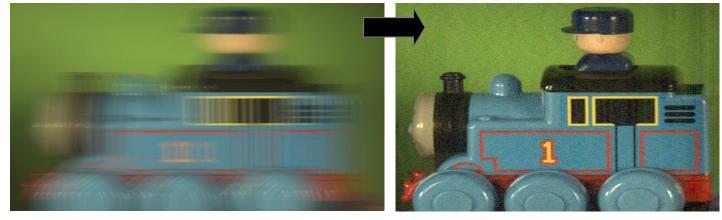




Deblurred image

Motion Deblurring w/ Flutter Shutter

engineer motion PSF (coding exposure time) so it becomes invertible!



[Raskar et al. 2006]

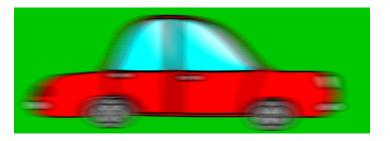
Input Photo

Deblurred Result



Traditional Camera: Shutter is OPEN

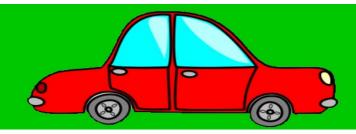


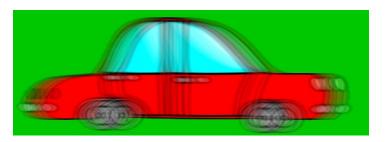




Flutter Shutter Camera:

Shutter is OPEN & CLOSED

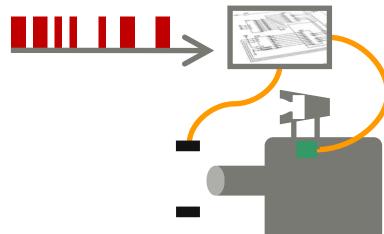


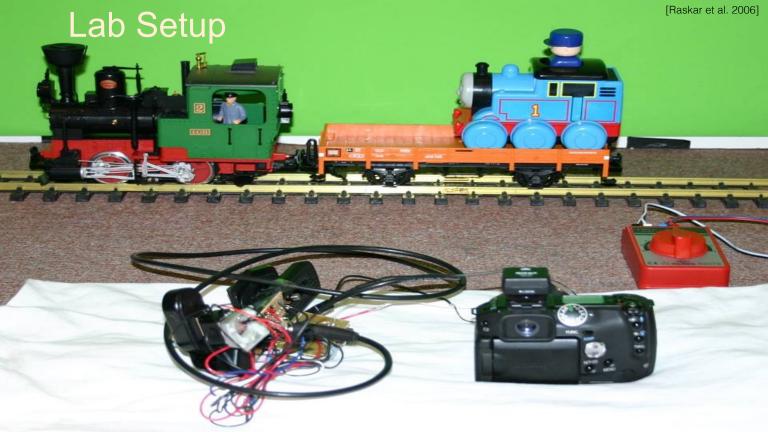


Inspired by Harold "Doc" Edgerton

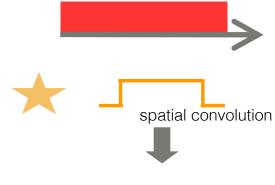




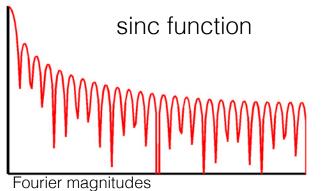












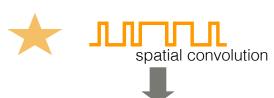
Blurring

_

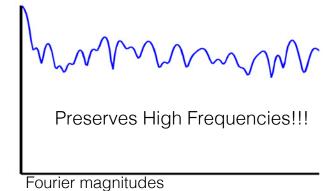
Convolution

Traditional Camera: Box Filter

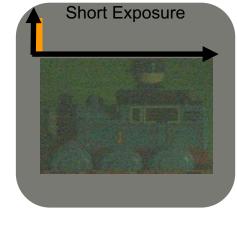


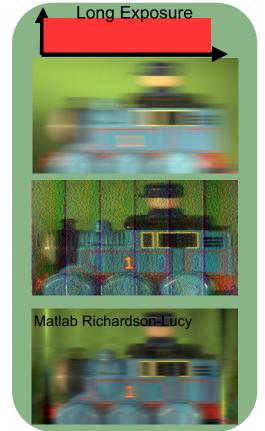


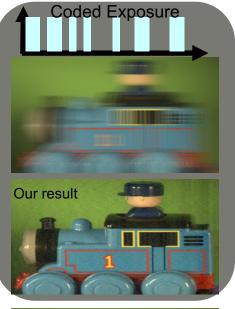




Flutter Shutter: Coded Filter







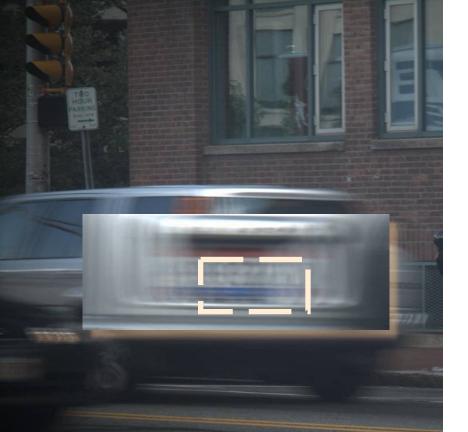








License Plate Retrieval





License Plate Retrieval

Coded (Aperture) Imaging

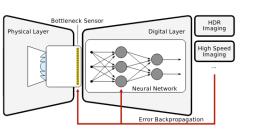
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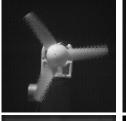
Coded Imaging with Neural Sensors

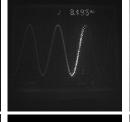




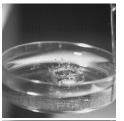
Measurements Coded Reconstructions









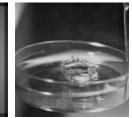












References and Further Reading

HDR

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- Debevec, Malik, "Recovering High Dynamic Range Radiance Maps from Photographs", SIGGRAPH 1997
- · Reinhard, Ward, Pattanaik, Debevec (2005). High dynamic range imaging: acquisition, display, and image-based lighting. Elsevier/Morgan Kaufmann

Tone Mapping

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- Paris, Hasinoff, Kautz, "Local Laplacian Filters: Edge-aware Image Processing with a Laplacian Pyramid", ACM SIGGRAPH 2011

Burst Photography/Denoising

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- Liba et al.. "Handheld Mobile Photography in Very Low Light". ACM SIGGRAPH Asia 2019

Extended Depth of Field

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Depth Estimation

- C. Godard, O. Aodha, G. Bostrow, "Unsupervised Monocular Depth Estimation with Left-Right Consistency", CVPR 2017
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Motion Deblurring

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- R. Raskar, A. Agrawal, J. Tumblin "Coded Exposure Photography: Motion Deblurring using Fluttered Shutter", ACM SIGGRAPH 2006
- Levin, Sand, Cho, Durand, Freeman, "Motion-Invariant Photography", ACM SIGGRAPH 2008
- Bando, Holtzman, Raskar, "Near-Invariant Blur for Depth and 2D Motion via Time-Varying Light Field Analysis", ACM Trans. Graph. 2013

Other

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