

6. Time Inconsistency and Monetary Policy

John B. Taylor, May 6, 2013

Kydland and Prescott (1977)

- First paper to describe the monetary policy problem
 - They came upon it while doing something else
 - “The original objective of this research was to demonstrate the applicability of optimal control methods in a rational expectations world “
 - Original reception was misunderstanding and confusion (What is Kydland talking about?)
- Implications:
 - Another argument for rules rather than discretion
- Nobel Prize citation:
 - “for their contributions to dynamic macroeconomics: *the time consistency of economic policy* and the driving forces behind business cycles”

The General Idea

- Policy makers can improve welfare by announcing one thing and then doing something else after people have made their decisions based on the announcement. This is the inconsistent action.
 - Depends on forward looking (rational) expectations so that people take account of the “policy announcements” when making decisions
 - The problem occurs even if people’s utility function does not change
- But the inconsistent action will eventually lead to other outcomes.
- Non-monetary examples
 - flood planes
 - patents
 - examinations

Two-Period Model

policies : π_t

outcomes – decisions : x_t

Social
Welfare
Function

$$S(x_1, x_2, \pi_1, \pi_2)$$

Note how future policy affects present

Decision
Rules

$$x_1 = X_1(\pi_1, \pi_2)$$

$$x_2 = X_2(x_1, \pi_1, \pi_2)$$

Takes x_1 as given

First
Order
Conditions

$$\frac{\partial X_2}{\partial \pi_2} \frac{\partial S}{\partial x_2} + \frac{\partial S}{\partial \pi_2} = 0 \quad \text{consistent}$$

Uses influence
of π_2 on X_1

$$\frac{\partial X_2}{\partial \pi_2} \frac{\partial S}{\partial x_2} + \frac{\partial S}{\partial \pi_2} + \frac{\partial X_1}{\partial \pi_2} \left[\frac{\partial S}{\partial x_1} + \frac{\partial S}{\partial x_2} \frac{\partial X_2}{\partial x_1} \right] = 0 \quad \text{optimal}$$

The Case of Monetary Policy

$$u_t = u^* - \lambda(x_t - x_t^e)$$

Relationship between inflation and unemployment

$$S_t = (a/2)x_t^2 - b(x_t - x_t^e)$$

Social Welfare Function (Loss)

Alternative solution concepts :

1. Consistent - CB takes x_t^e as given and maximizes

wrt x_t but people assume they do this

$$\frac{\partial S_t}{\partial x_t} = \frac{\partial}{\partial x_t} \left[\frac{a}{2} x_t^2 - b(x_t - x_t^e) \right] = ax_t - b = 0 \Rightarrow x_t^C = (b/a) \Rightarrow$$

Here lower values of S are better

$$S_t^C = (a/2)(b/a)^2 - b(0) = b^2 / (2a)$$

2. Optimal – CB maximizes wrt to x_t under the assumption that this is not changed in the future

$$x_t^O = 0$$

$$S_t^O = 0$$

3. Inconsistent – CB promises the optimal but then changes

$$x_t^I = (b/a)$$

$$S_t^I = (a/2)(b/a)^2 - b((b/a) - 0) = -b^2 / (2a)$$

Summary

	x	S	x^e
Consistent (Discretion)	$\frac{b}{a}$	$\frac{b^2}{2a}$	$\frac{b}{a}$
Optimal (Rule)	0	0	0
Inconsistent (Cheating)	$\frac{b}{a}$	$-\frac{b^2}{2a}$	0

Graph of Inflation-Unemployment Tradeoff from K-P

$$u_t = \lambda(x_t^e - x_t) + u^*$$

$$x_t^e = Ex_t$$

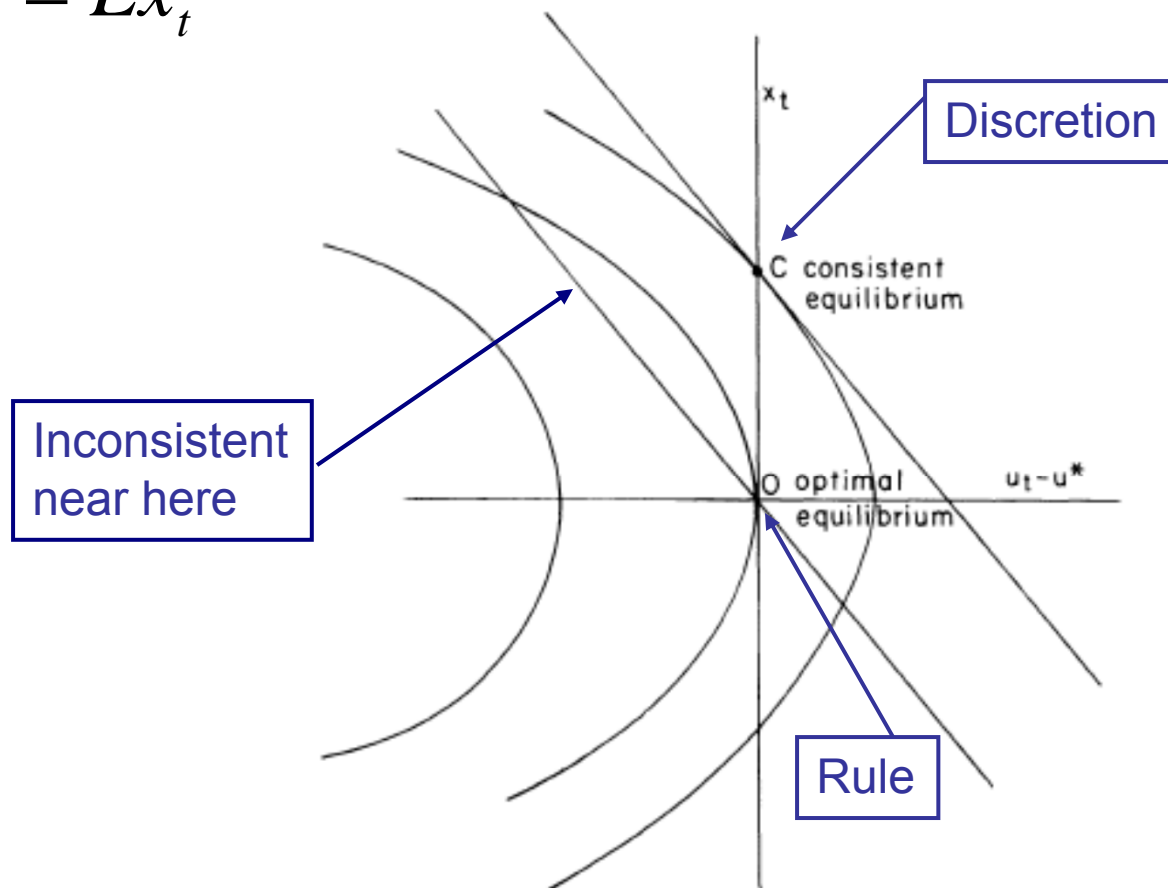


FIG. 1.—Consistent and optimal equilibrium

Discussion

- Normative versus positive
 - Normative policy implication: use policy rules
 - Positive: aims to explain why we have inflation
 - Explanation of Great Inflation and disinflation?
- Ways to deal with the problem
 - Choose central bankers with a small b (Rogoff)
 - If $b=0$ then $x=0$
- Another reason to use rules
- Other applications

Example of sovereign debt bailouts:

- emerging market countries 1994-2002
- Some eurozone countries now

- The “bailout process”
 - Purpose: to prevent defaults which are harmful and can cause contagion
 - But adverse side effects: moral hazard, unpredictability
- Common during emerging market crisis period of 1994-2002, but then stopped.
- How? Had to deal with time inconsistency
 - Sandbags in the flood plane example
- Reformed the process for restructuring sovereign debt
 - Collective action clauses as sandbags
- Then IMF could set more credible limits