

Observing Black Holes

Dr Dan Wilkins

PHYSICS 100 – Introduction to Observational Astrophysics



Outline

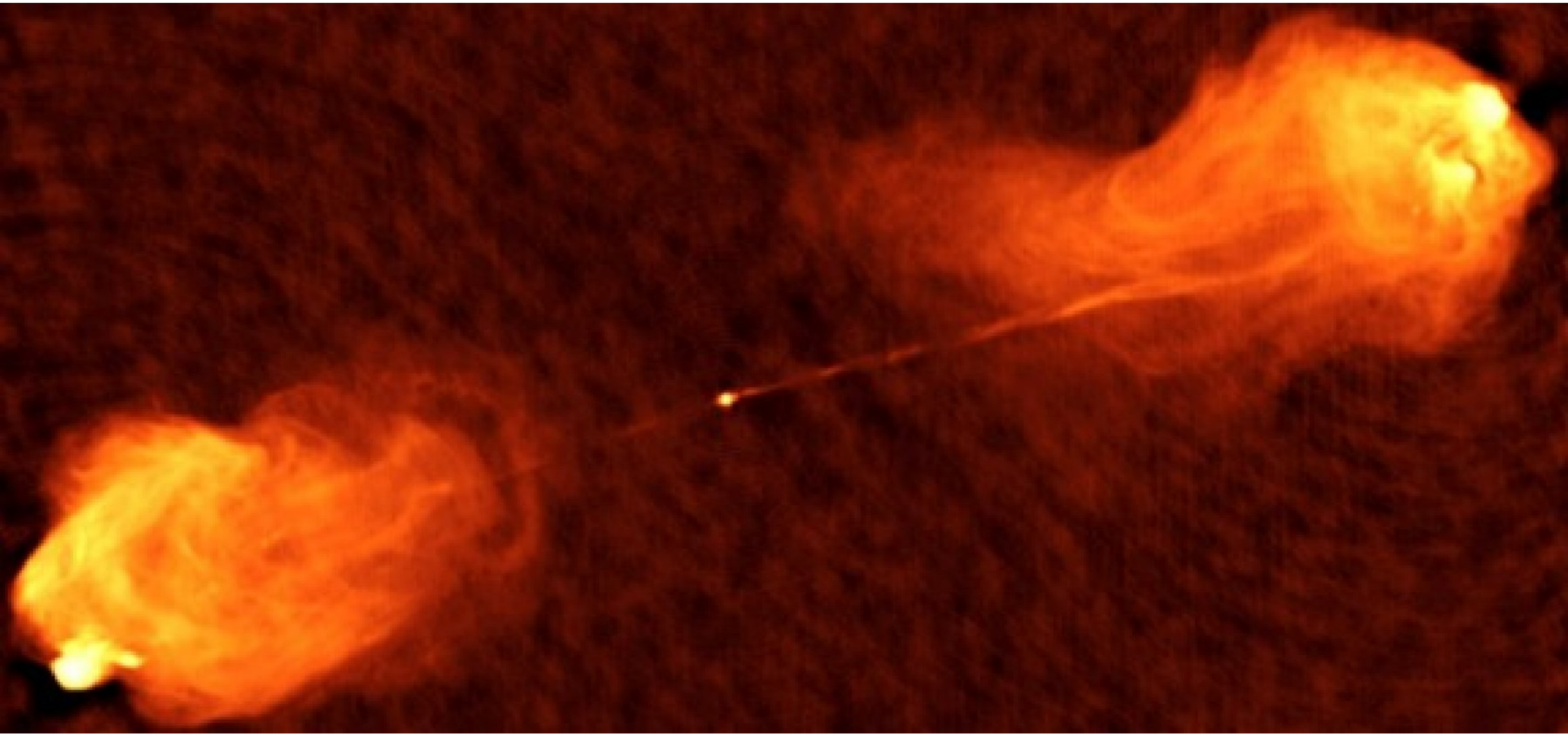
- Where do we see black holes?
- Anatomy of a black hole
- Powering the light source
- Measuring properties of a black hole



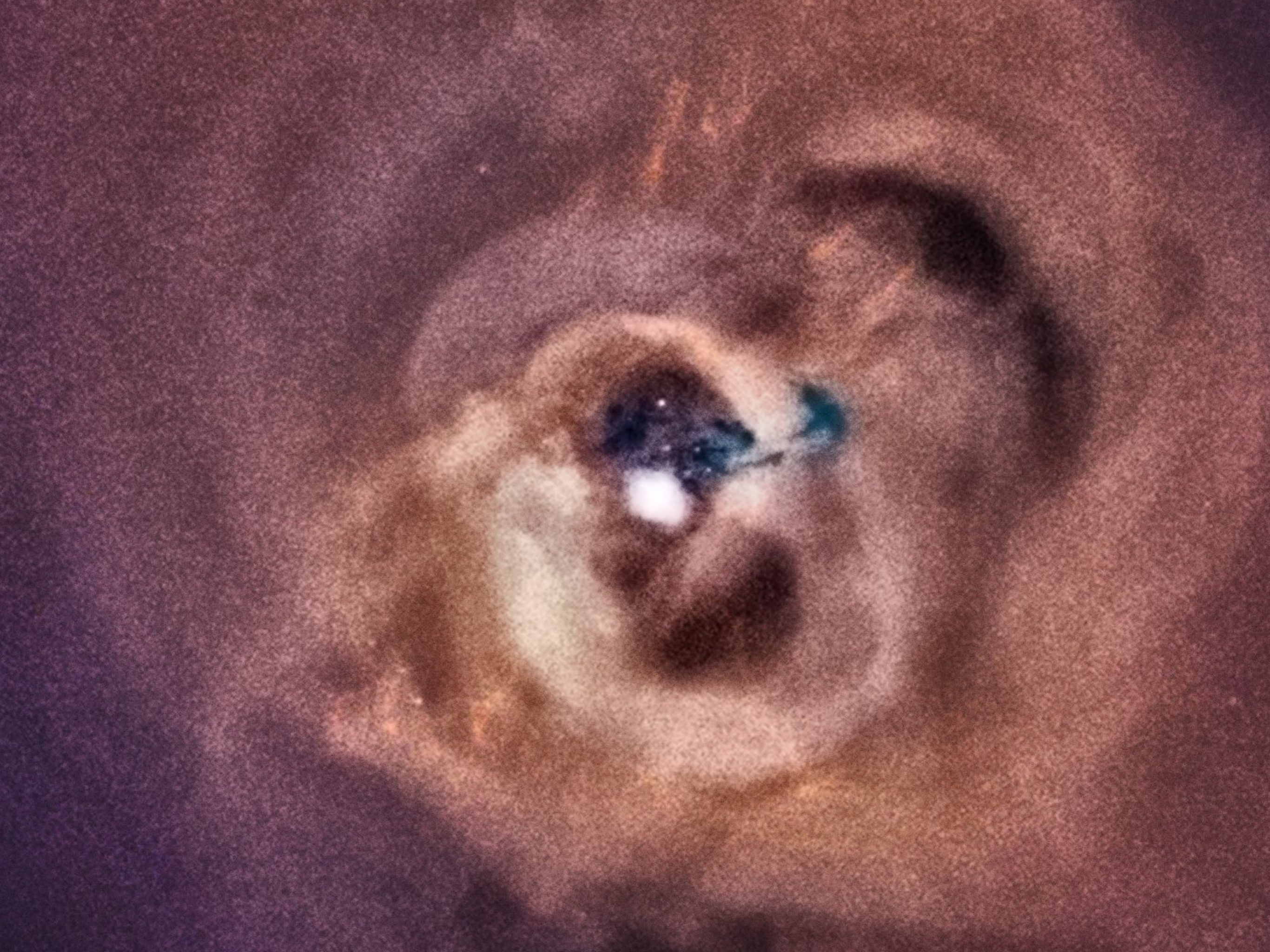
Active Galactic
Nuclei

$$M = 10^6 \sim 10^9 M_{\odot}$$

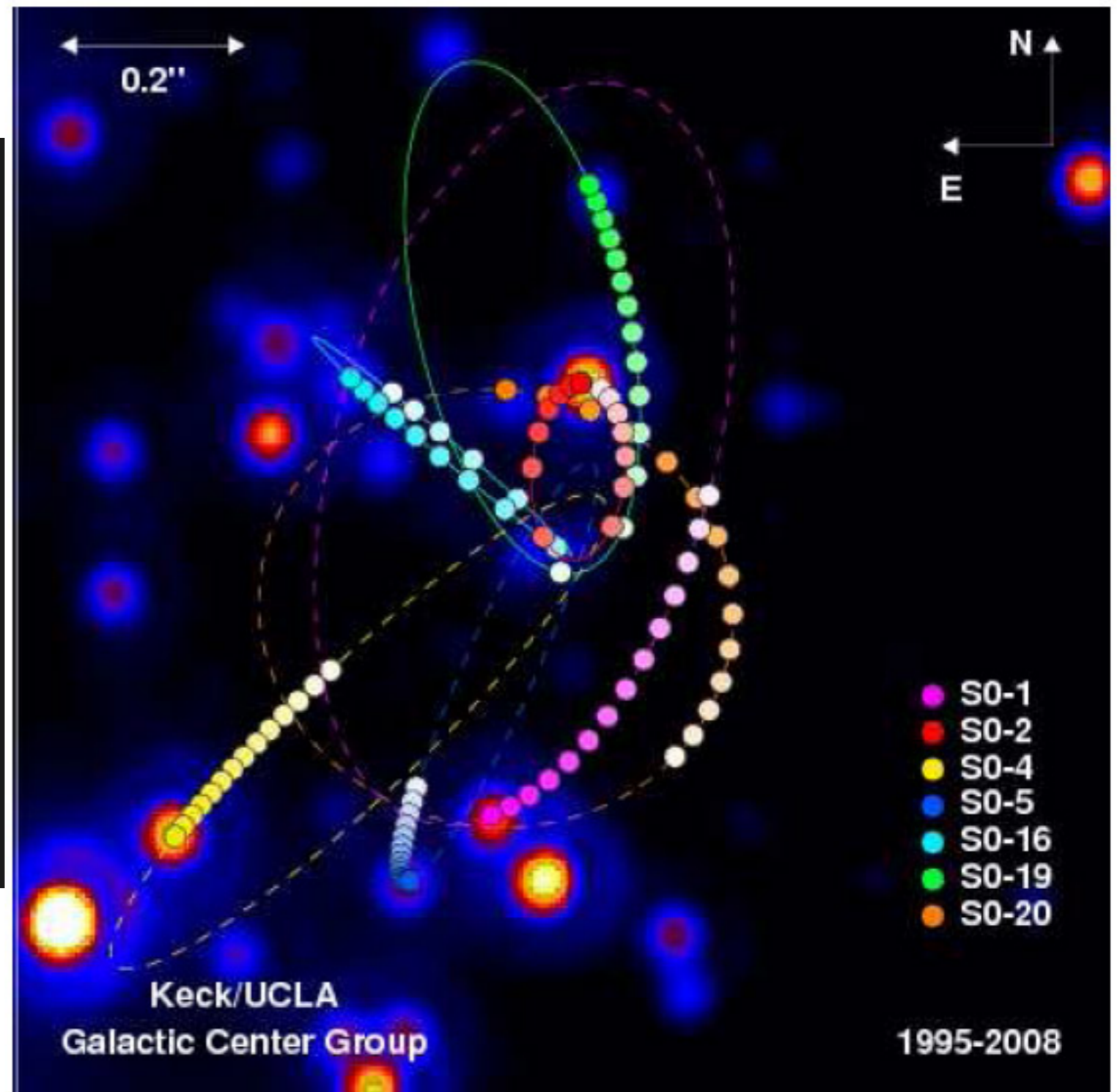
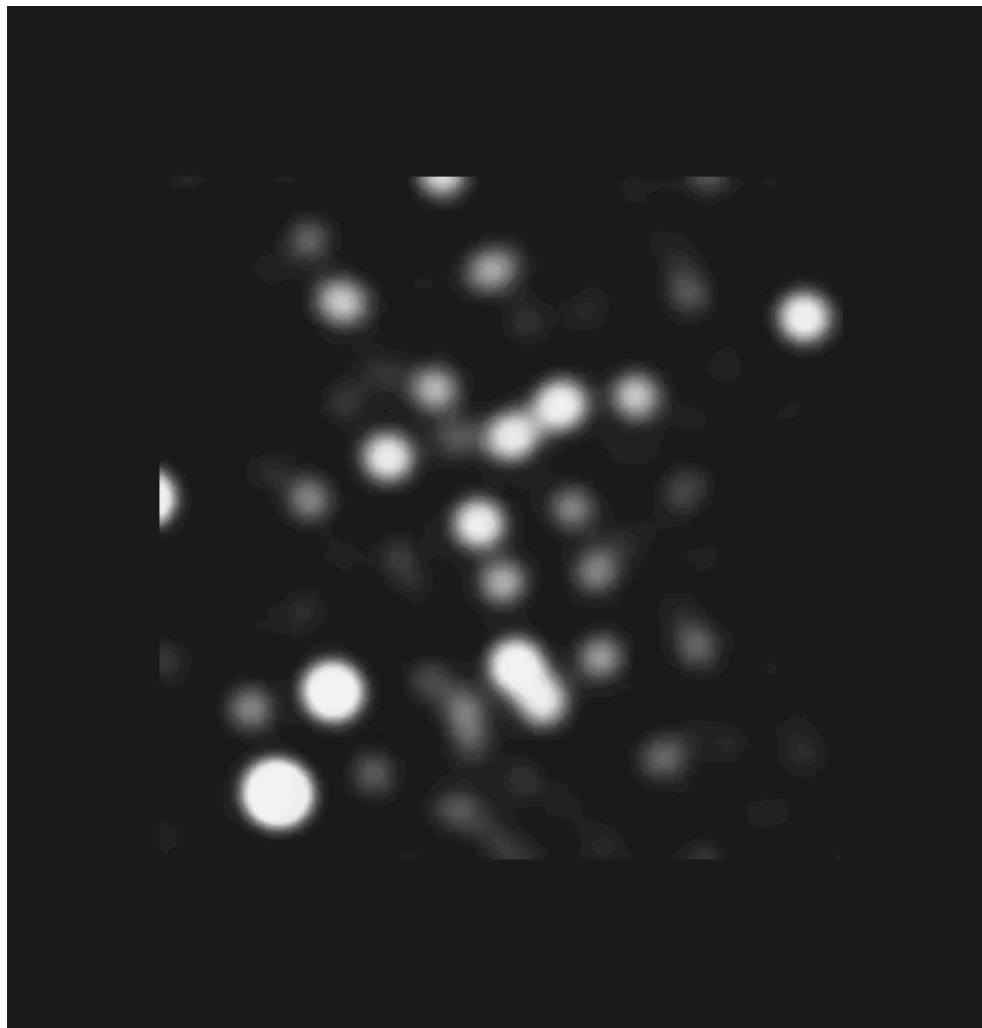
$$L_{\text{nuc}} \sim 10^{44} \text{ erg s}^{-1} \sim 10^{11} L_{\odot}$$



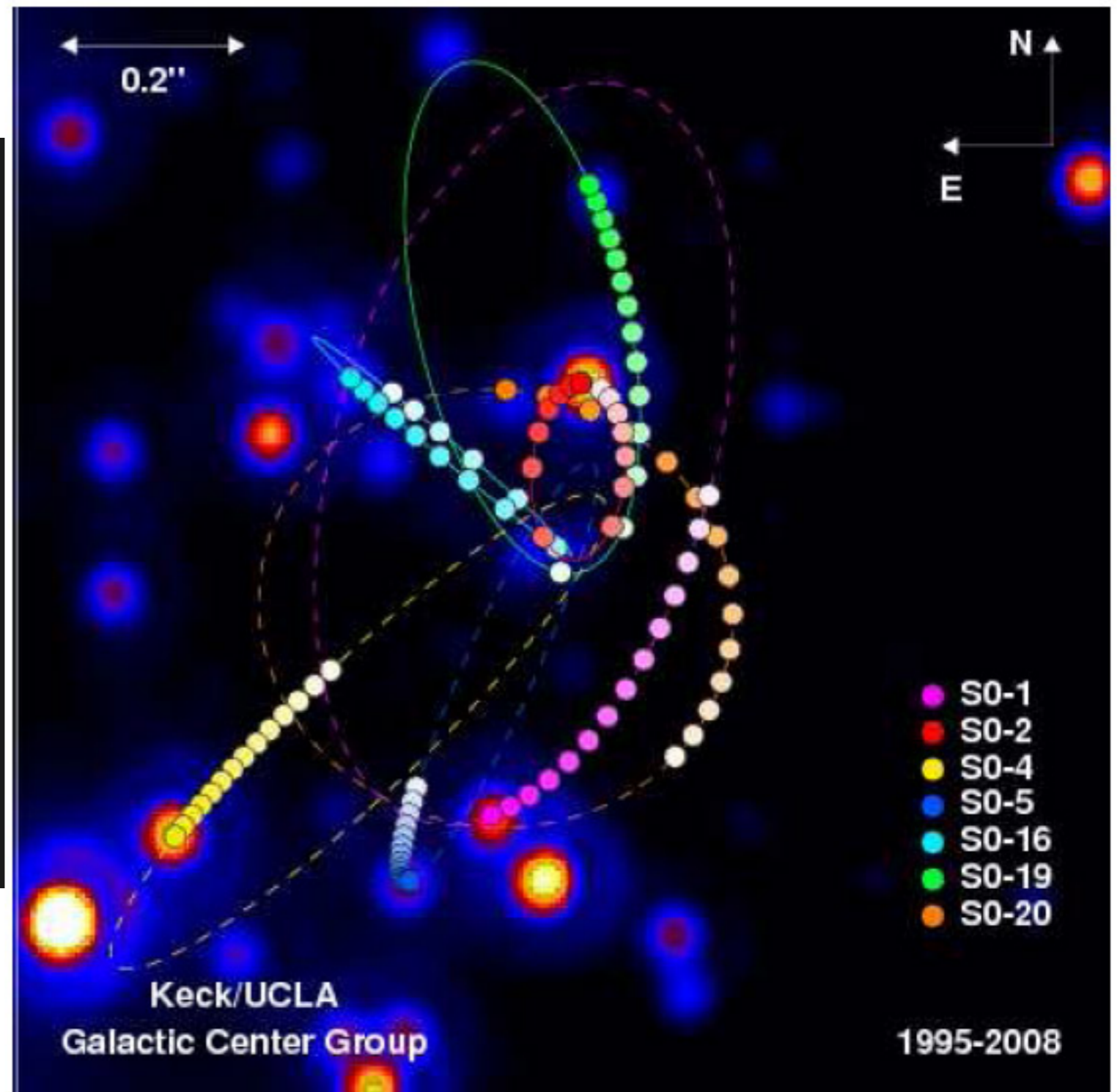
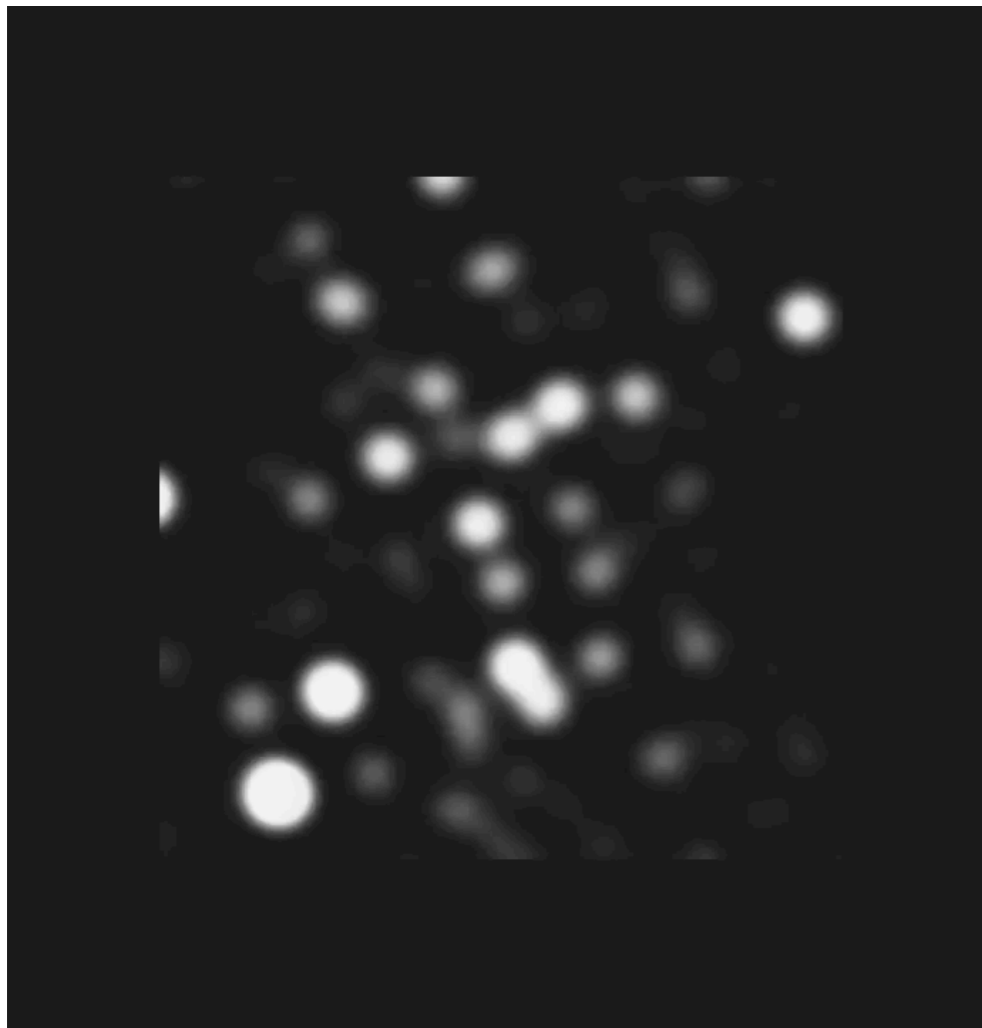


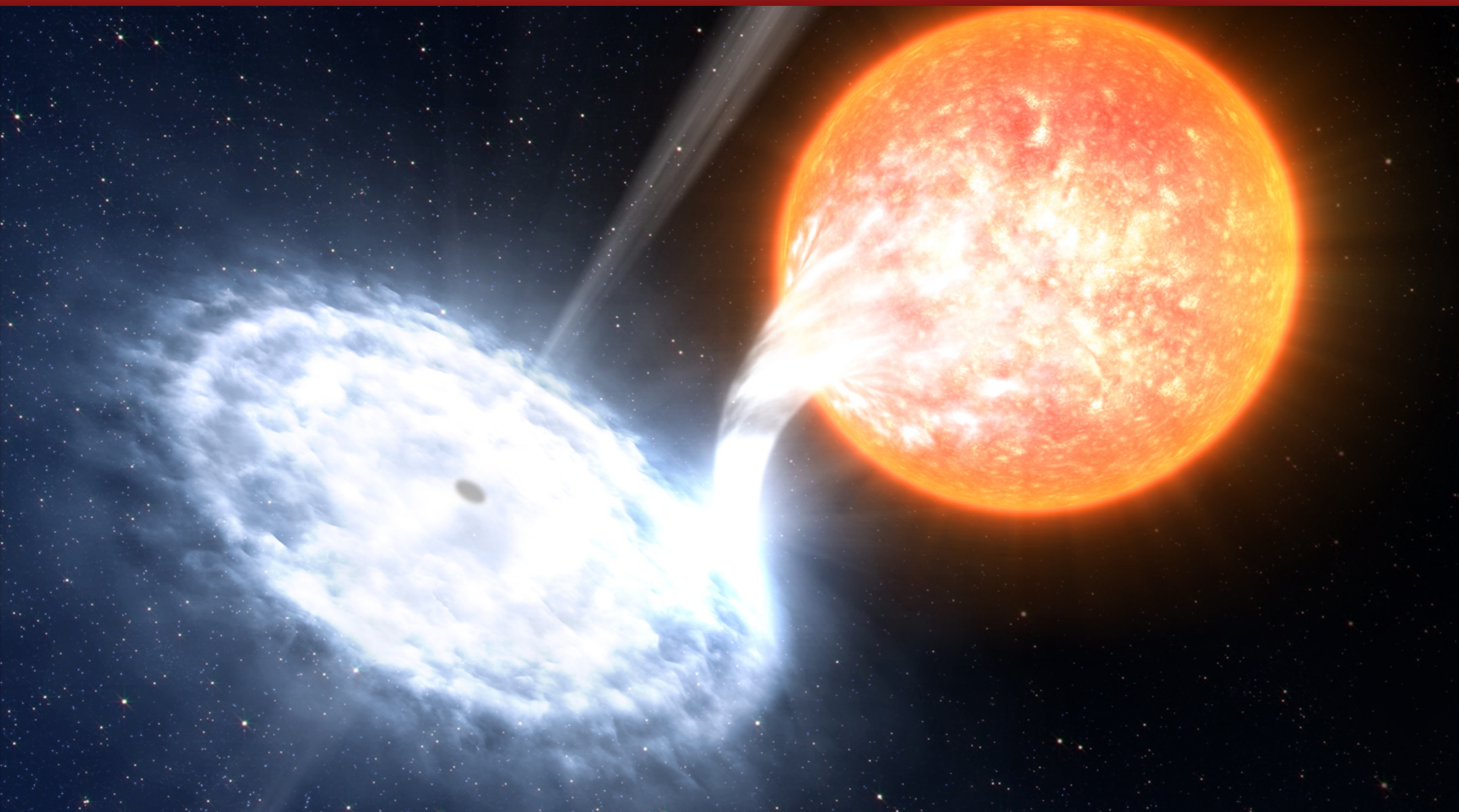


The Galactic Centre (Sgr A*)



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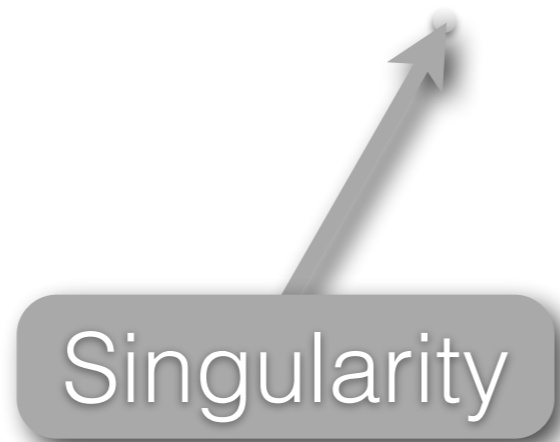
Stellar Mass Black Holes

$$M = 1.5 \sim 10 M_{\odot}$$

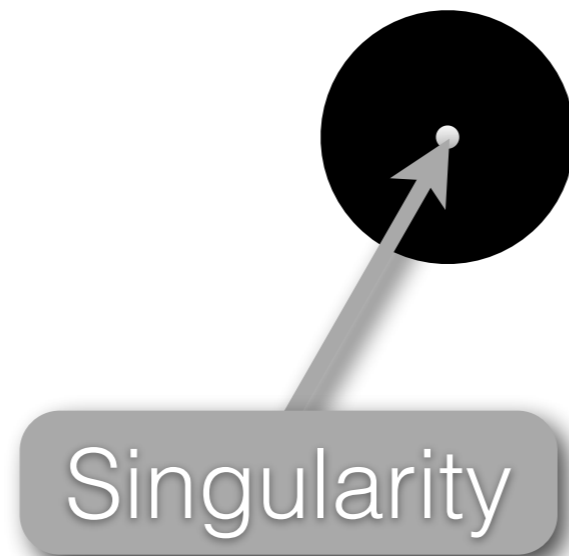
Anatomy of a Black Hole



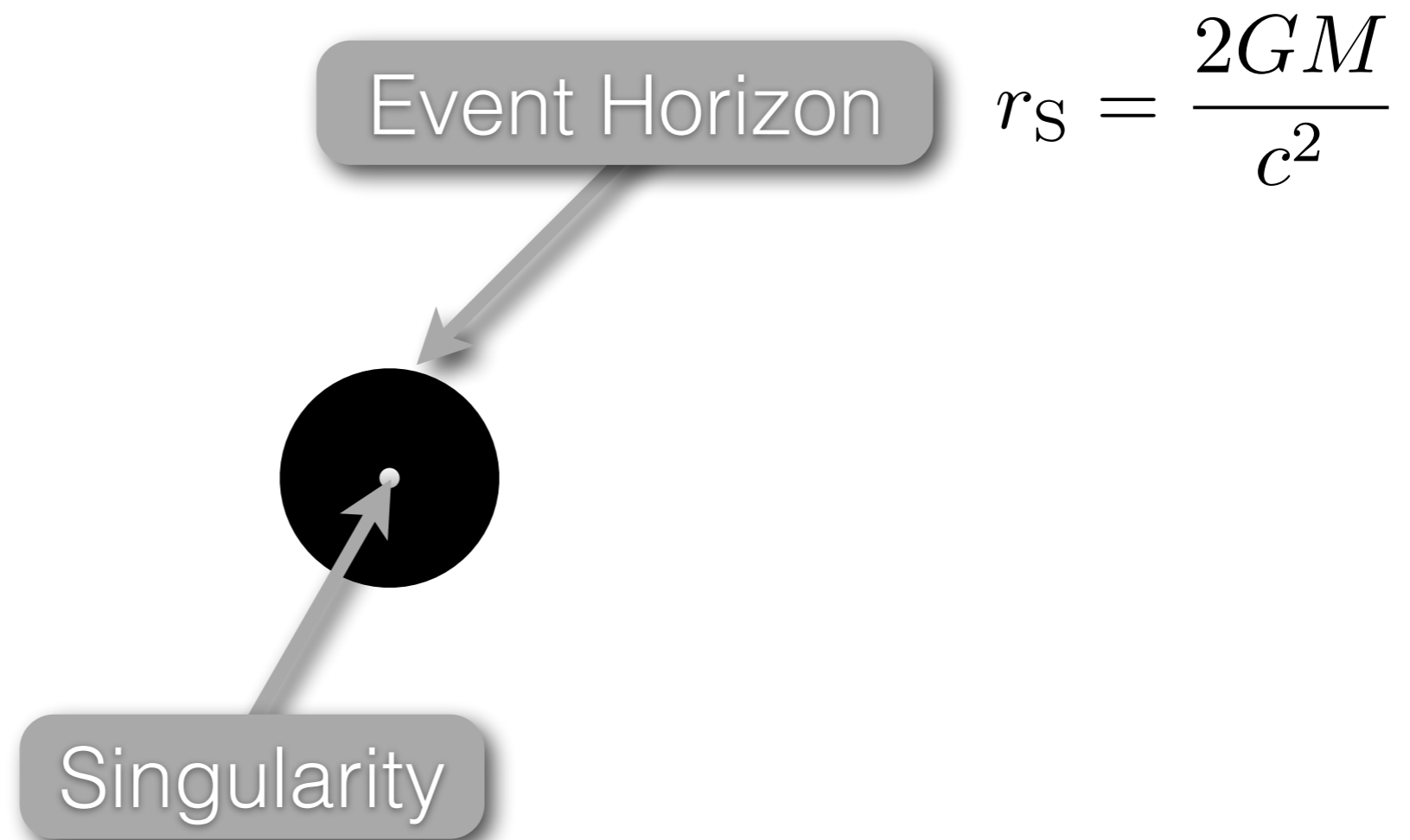
Anatomy of a Black Hole



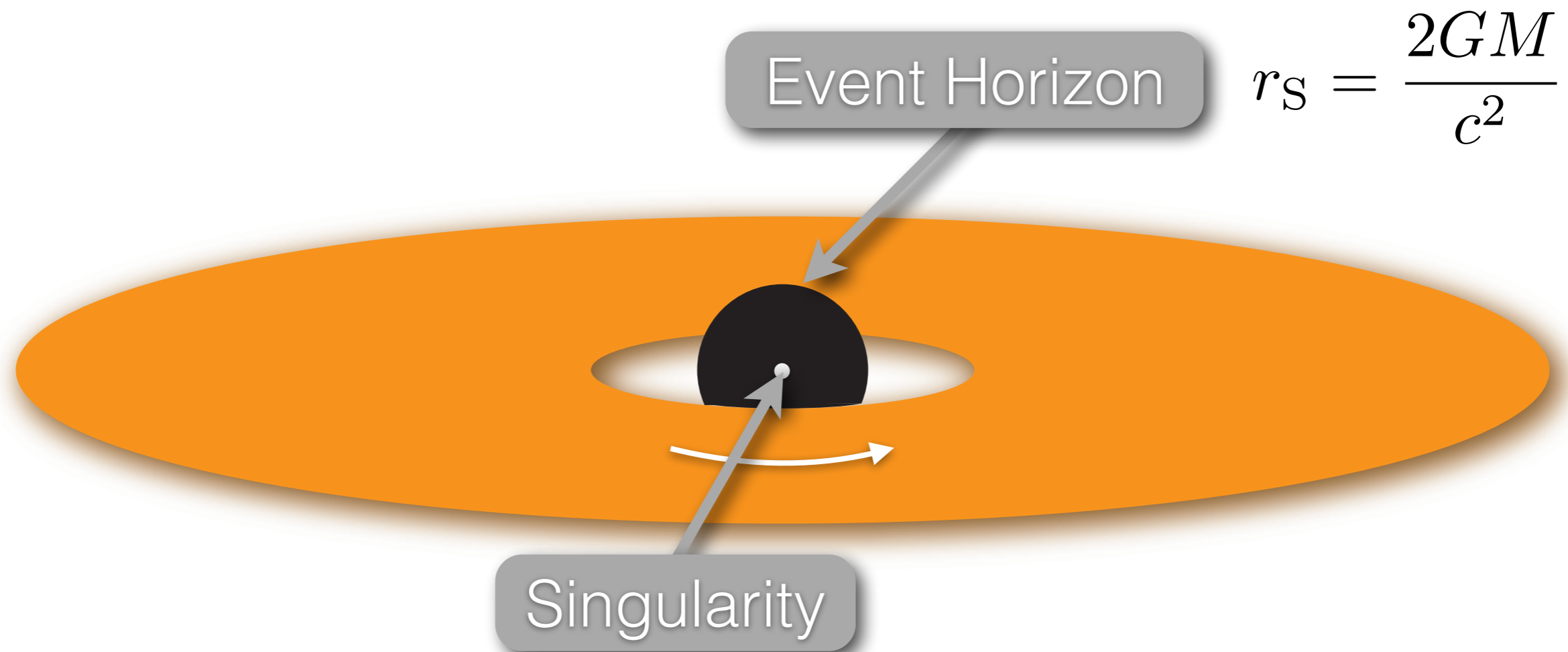
Anatomy of a Black Hole



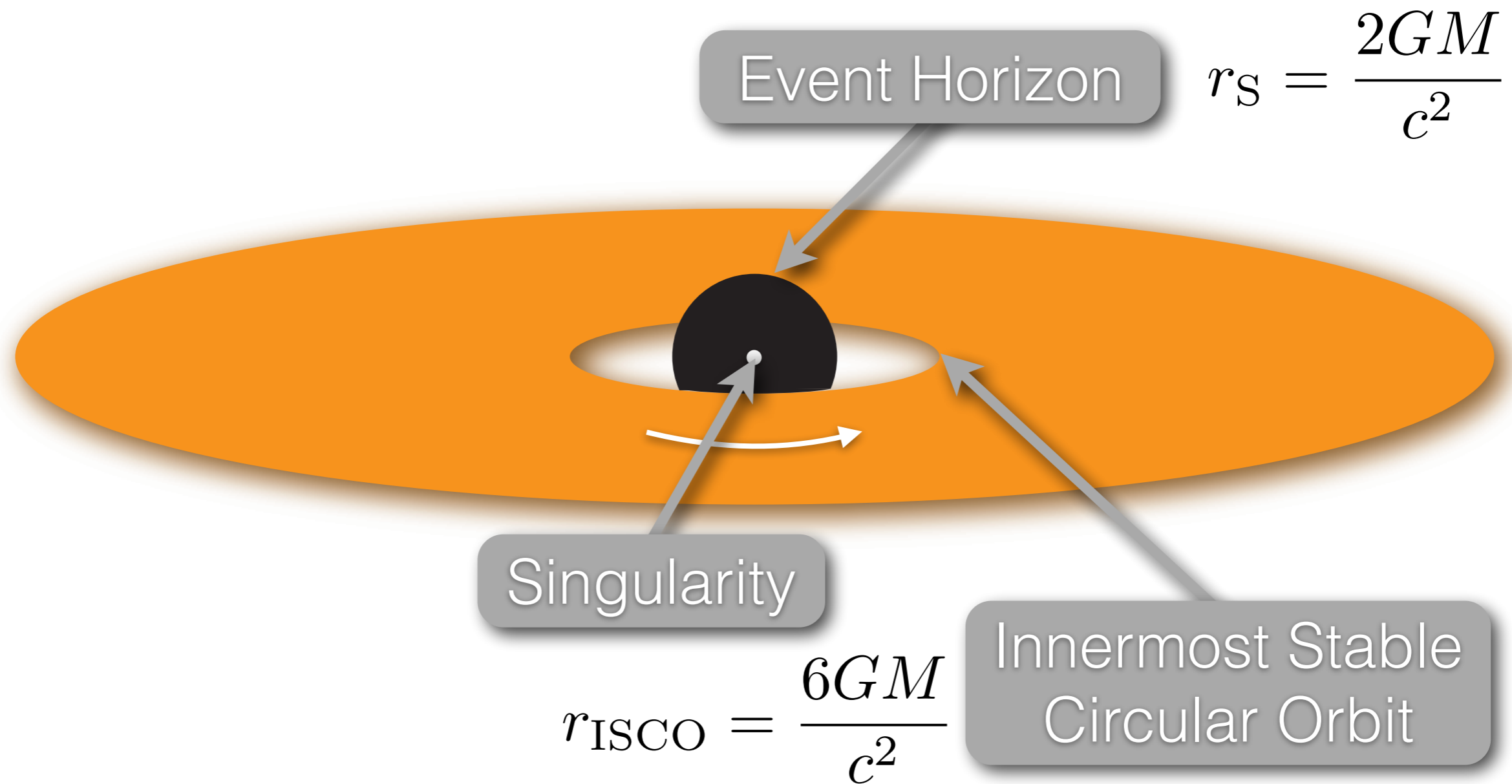
Anatomy of a Black Hole



Anatomy of a Black Hole



Anatomy of a Black Hole

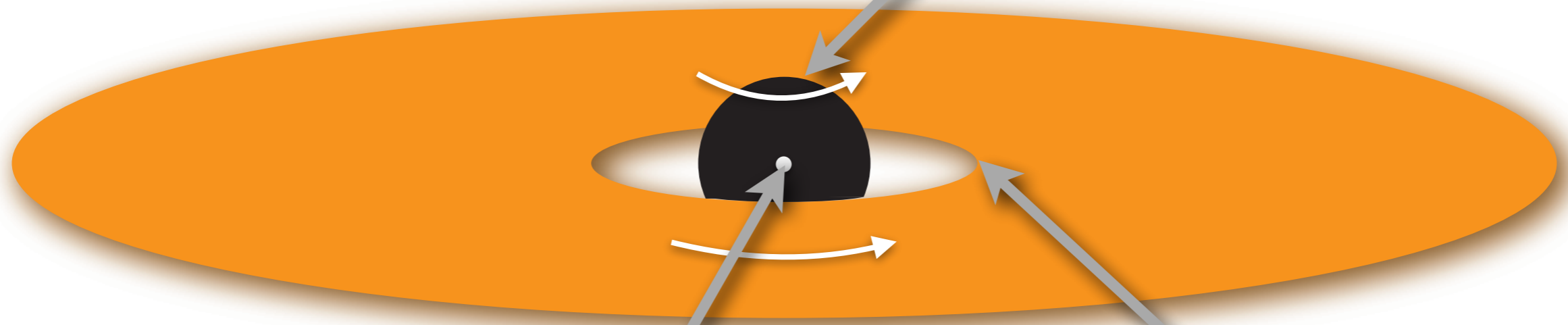


Anatomy of a Black Hole

$$a = \frac{J}{Mc} = 0.998 \frac{GM}{c^2}$$

Event Horizon

$$r_H \sim \frac{GM}{c^2}$$



Singularity

$$r_{\text{ISCO}} = 1.235 \frac{GM}{c^2}$$

Innermost Stable
Circular Orbit

The No Hair Theorem

Black holes are entirely described by 3 properties

- Mass
- Spin
- Electrical Charge – but astrophysical black holes are probably uncharged

But the physics of the surrounding/accreting environment can be much more complicated

How do you power something so bright?

$$L = \epsilon \dot{M} c^2$$

Assume the radiation we see is from the gravitational potential lost between infinity and the innermost stable orbit

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Assume the radiation we see is from the gravitational potential lost between infinity and the innermost stable orbit

$$L = \frac{GM\dot{M}}{r} - \frac{1}{2}\dot{M}v^2 = \frac{GM\dot{M}}{2r}$$

$$\epsilon = \frac{L}{\dot{M}c^2} \quad r = \frac{6GM}{c^2} \quad \epsilon = \frac{1}{12} \quad \text{Newtonian Gravity}$$

$$\epsilon = 0.057 \quad \text{full GR, no rotation}$$



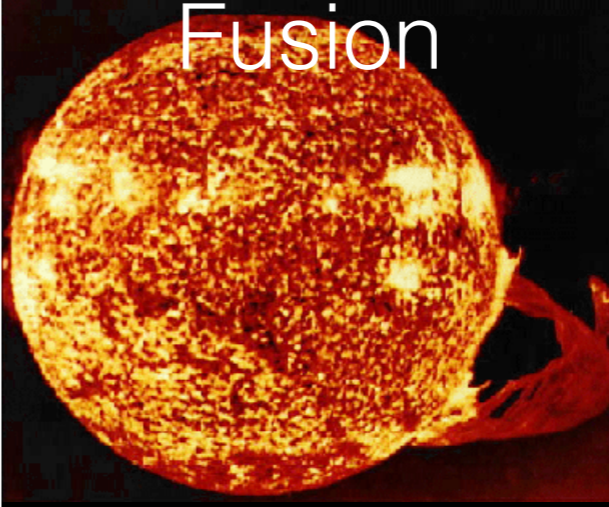

$$\epsilon = 0.4 \quad \text{GR, maximally rotating}$$

How does it compare?

$$L = \epsilon \dot{M} c^2$$

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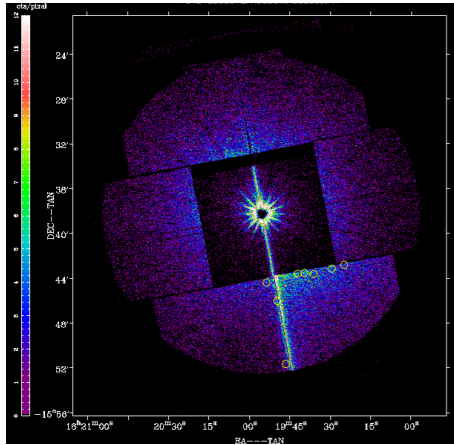
$$L = \epsilon \dot{M} c^2$$

<p>Chemistry</p>  <p>$\epsilon = 10^{-7}$</p>	<p>Nuclear Fission</p>  <p>$\epsilon = 10^{-4}$</p>	<p>Nuclear Fusion</p>  <p>$\epsilon = 10^{-3}$</p>	<p>Accretion</p>  <p>$\epsilon \sim 0.4$</p>
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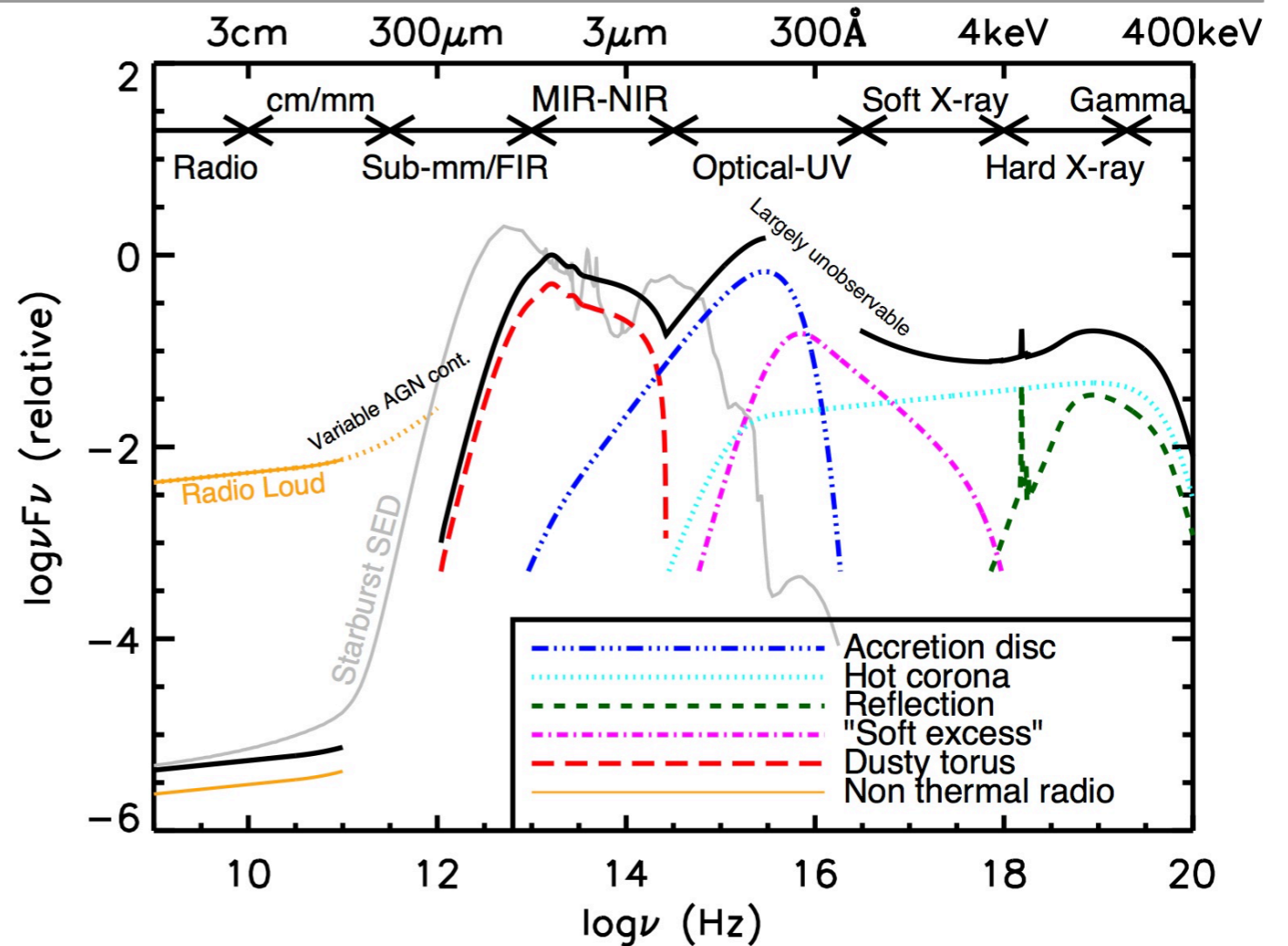
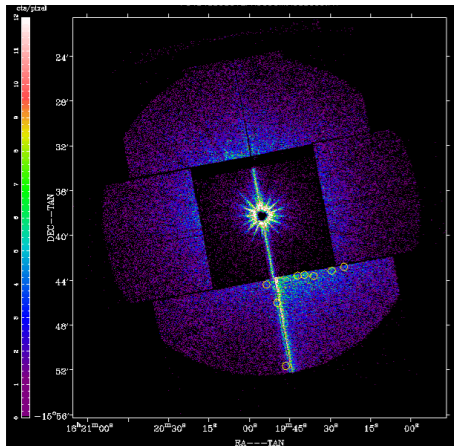
How do we know it's a black hole?

- Luminosity – need a sufficient mass accretion rate falling deep enough into gravitational potential
- Mass – in a black hole binary or in Galactic centre, force on stars
- Compactness
 - Needs to fit within the accretion disc and within orbits of stars
 - Variability timescale, to vary on timescale τ , must be able to carry information across it on that timescale, limiting size to $c\tau$
- The mass must lie within the event horizon predicted by General Relativity, so must be a black hole

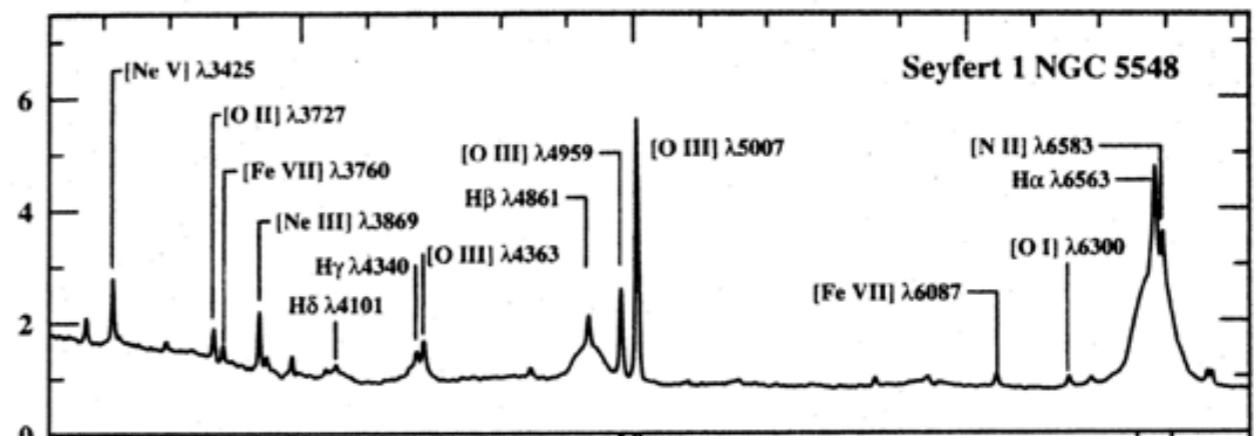
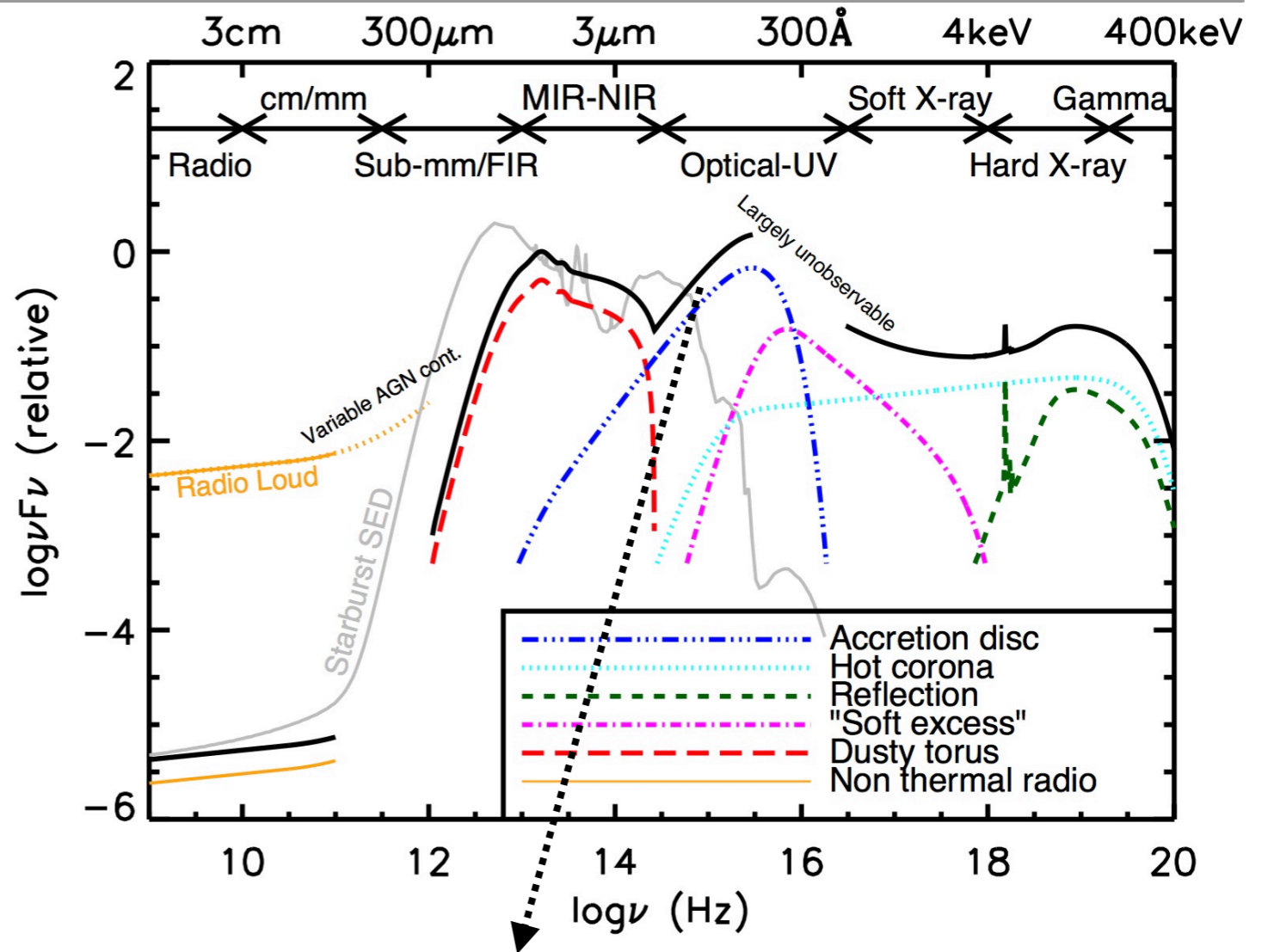
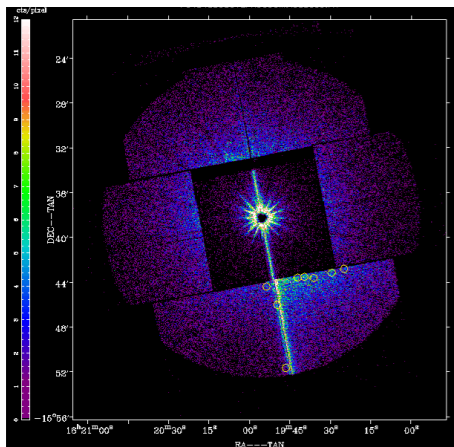
Black Holes in AGN – What Do We See?



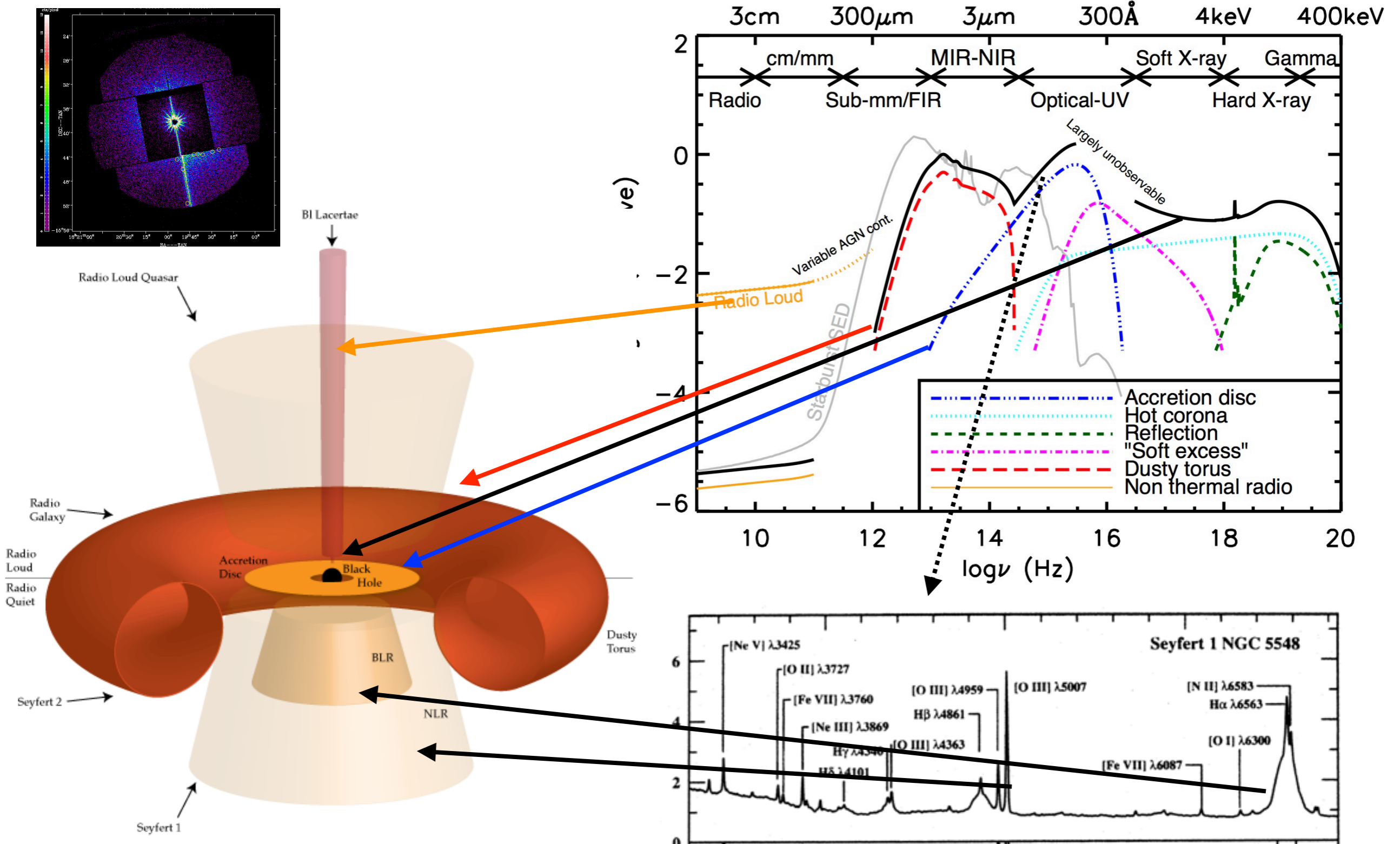
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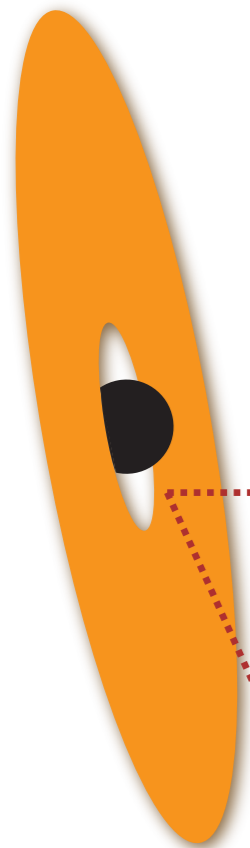


Black Holes in AGN – What Do We See?

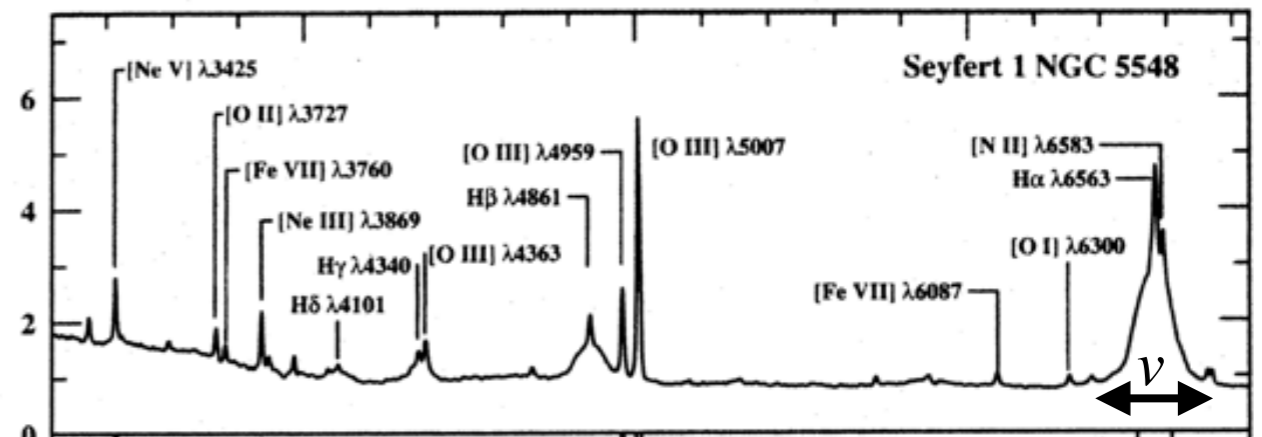


Measuring the Mass

Optical Reverberation Mapping



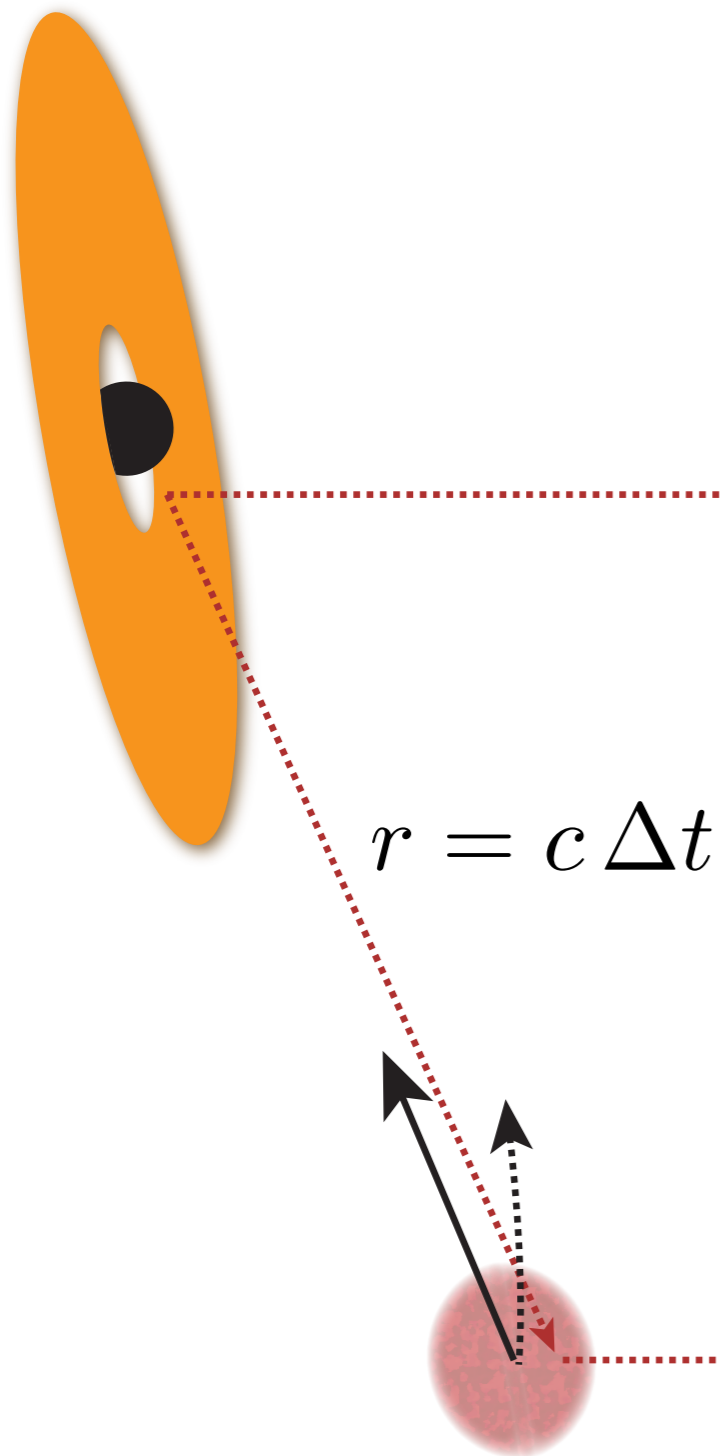
Continuum



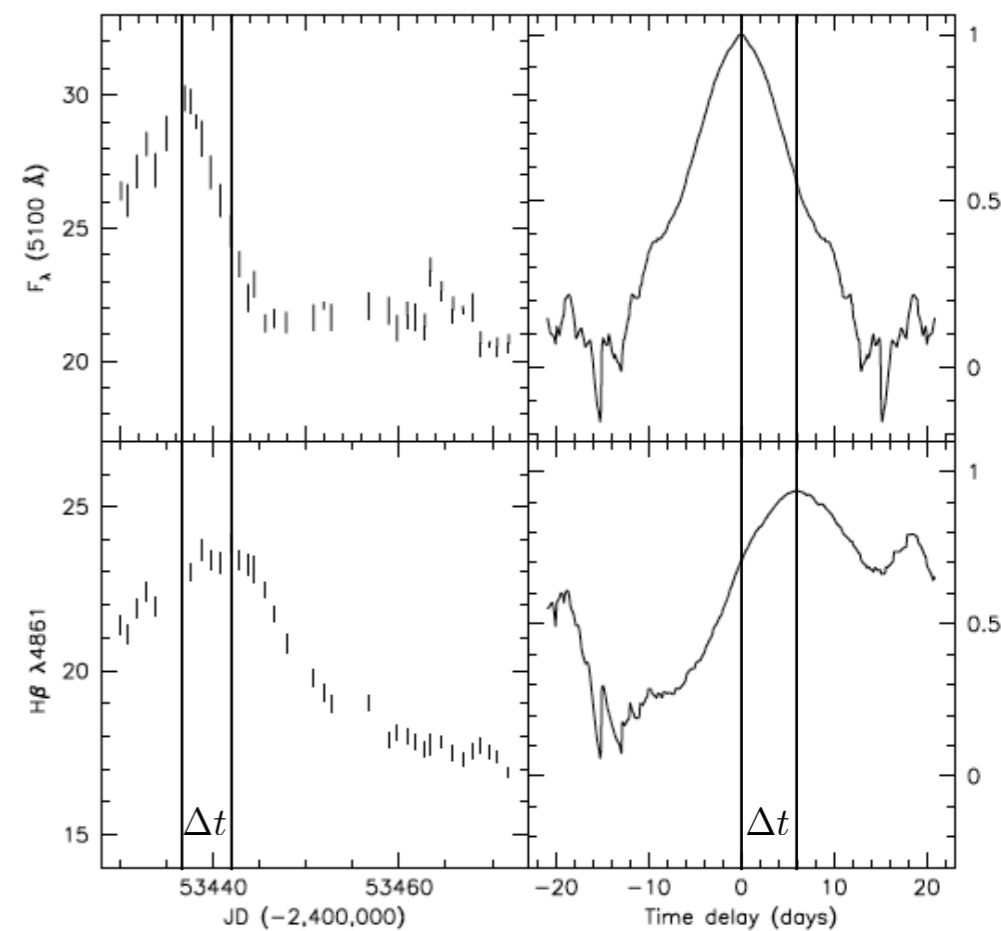
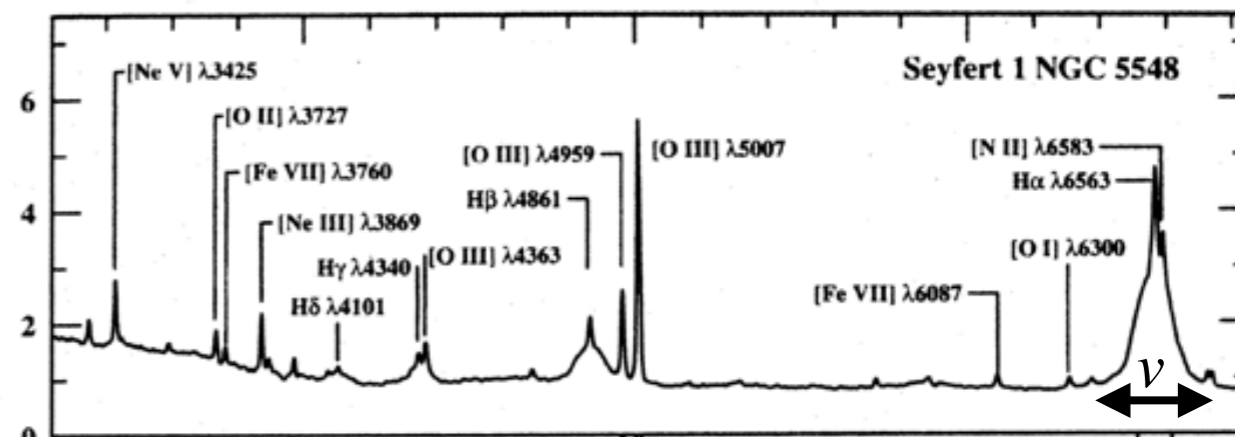
Emission Lines

Measuring the Mass

Optical Reverberation Mapping



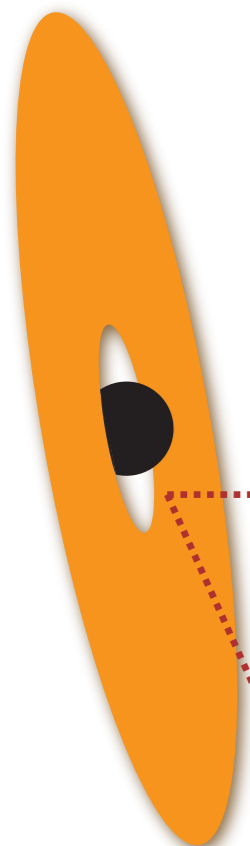
Continuum



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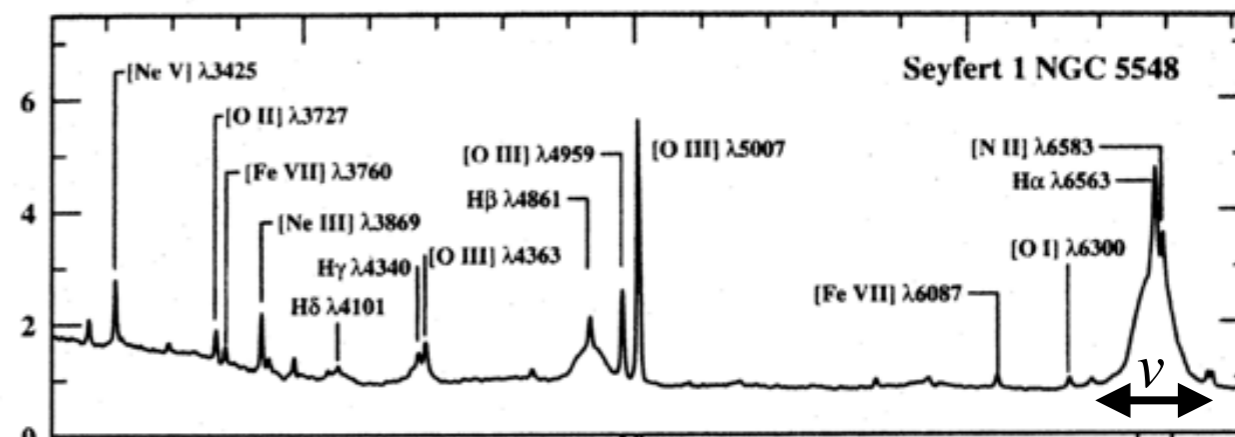
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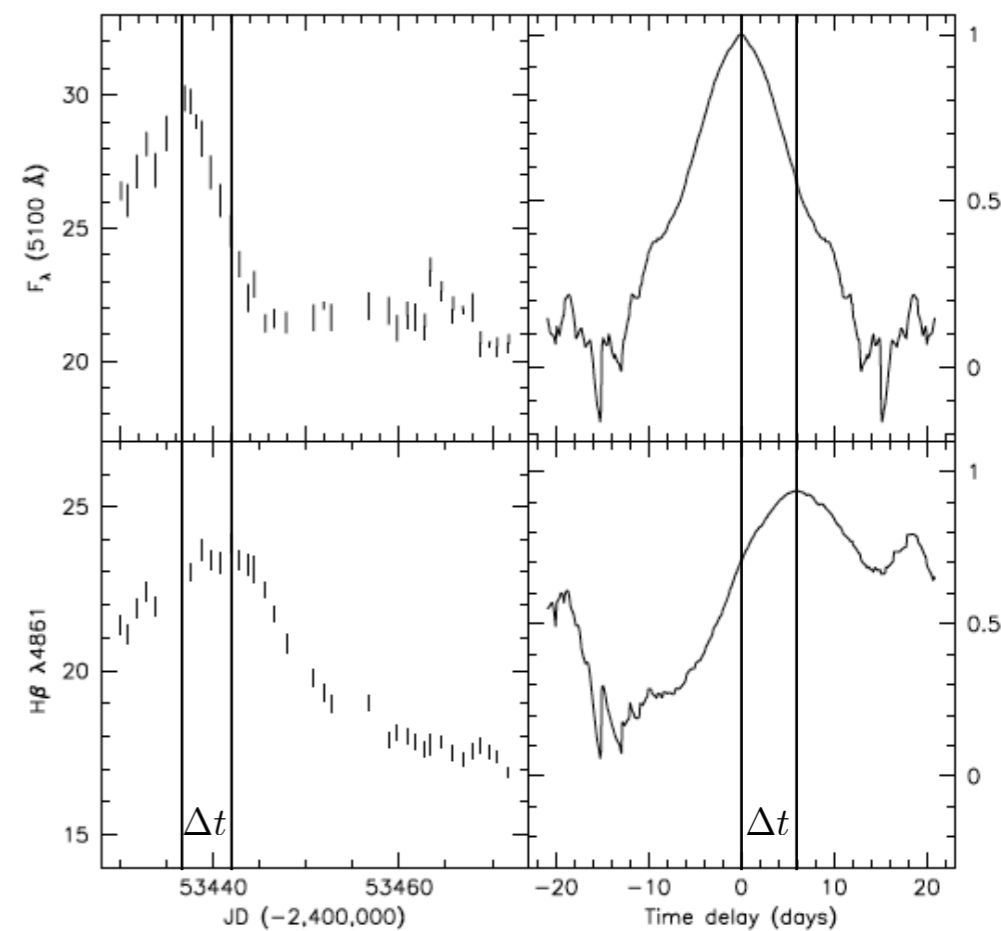


$$r = c \Delta t$$

$$\frac{mv^2}{r} = \frac{GM_{\text{BH}}m}{r^2}$$



Continuum



Emission Lines

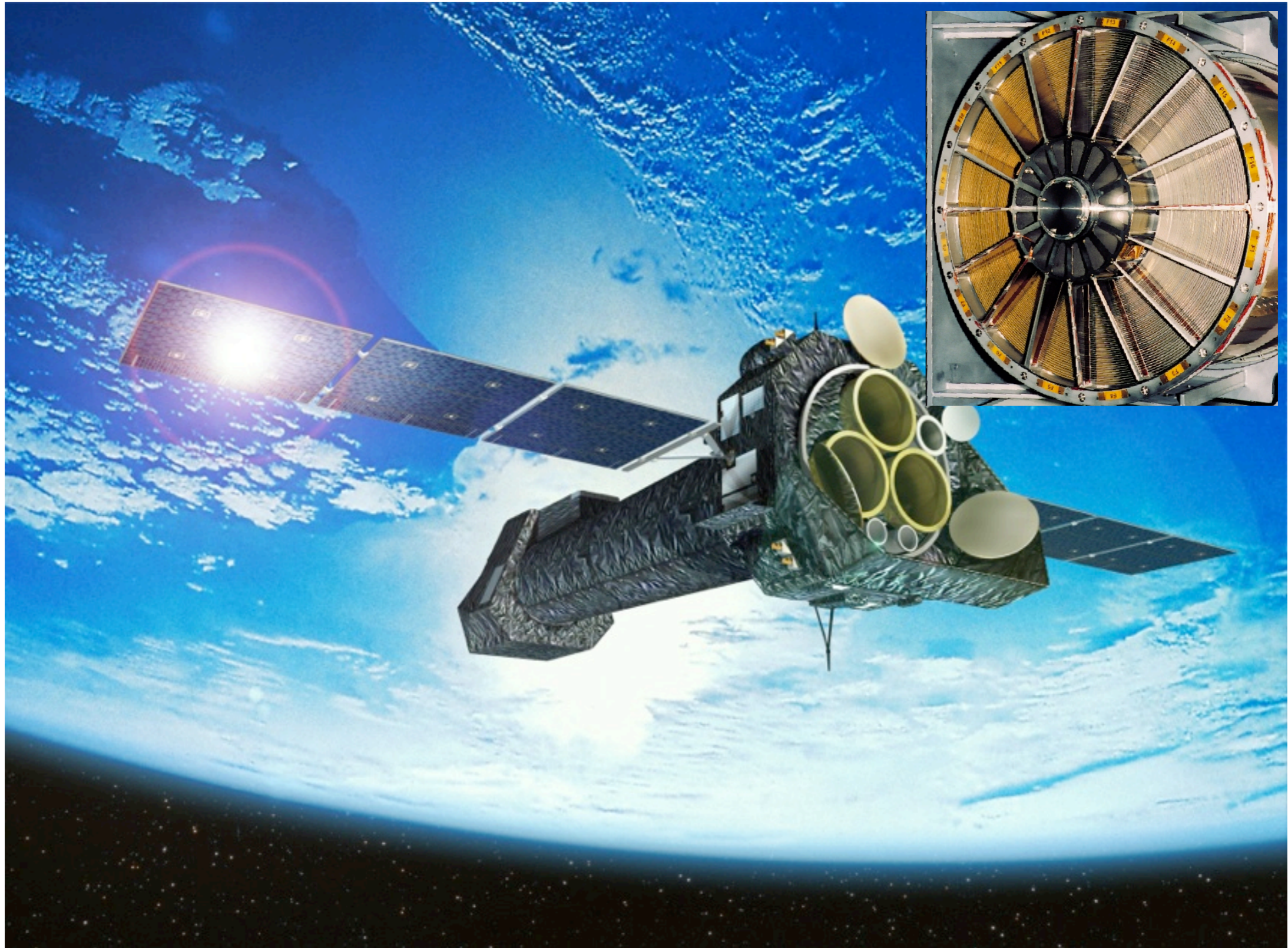
X-ray Telescopes

XMM-Newton



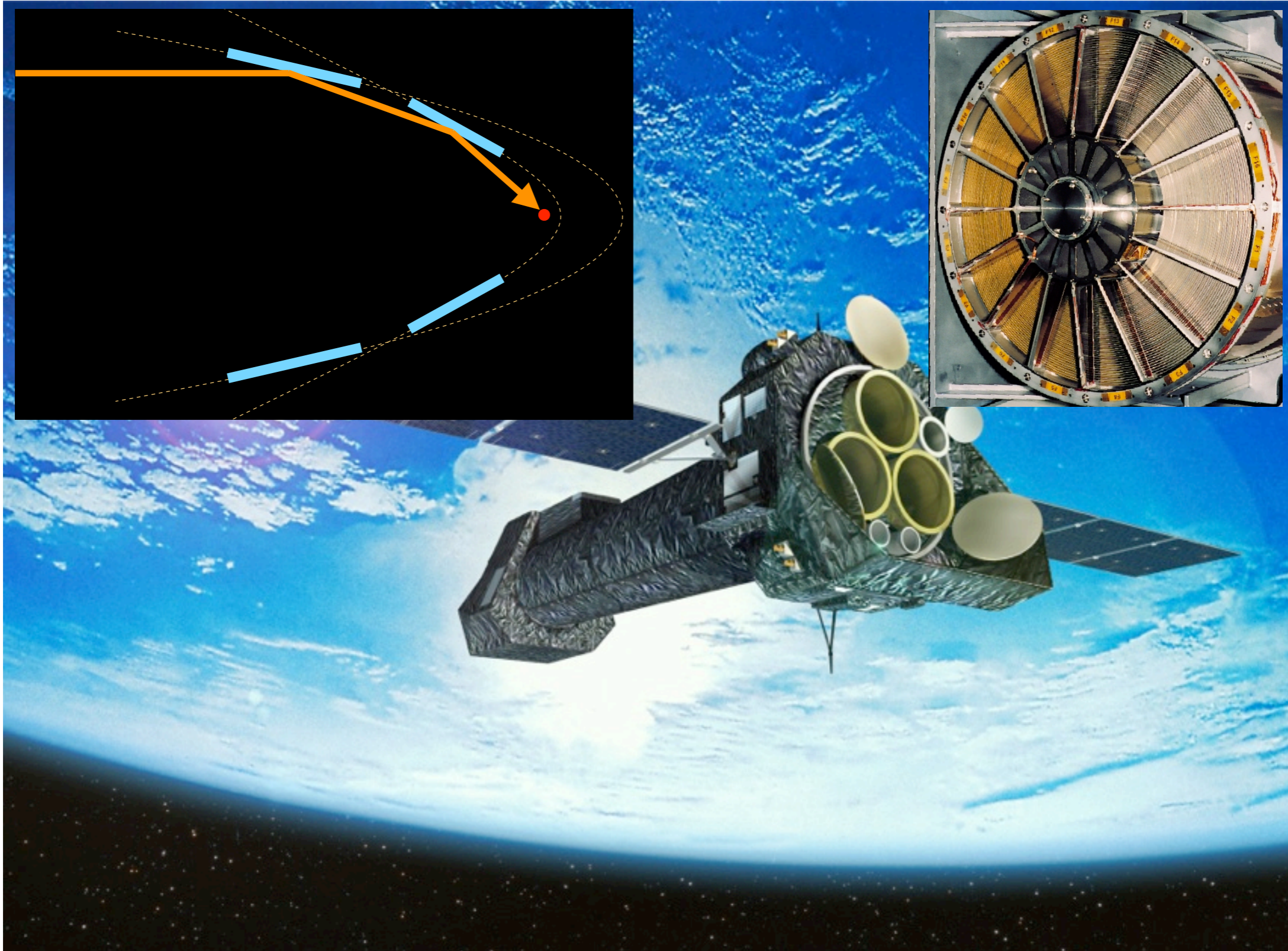
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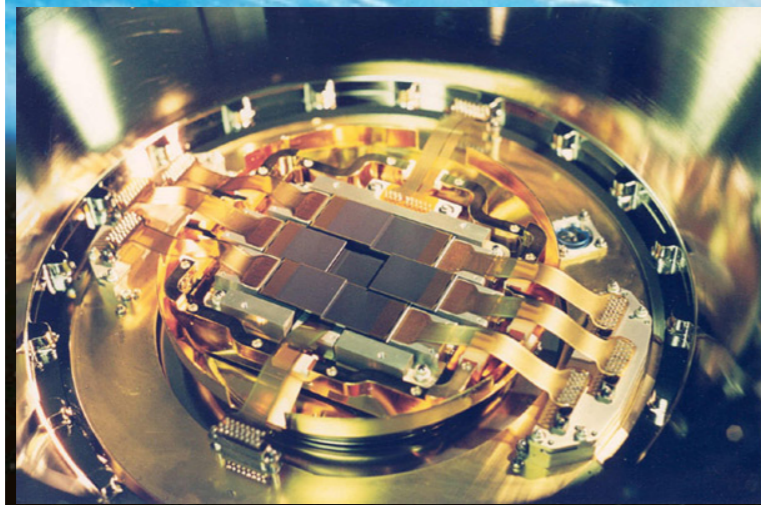
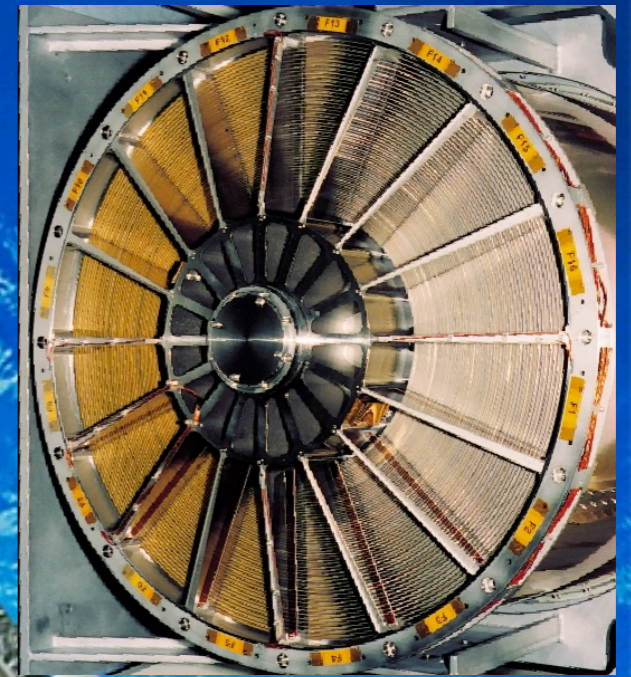
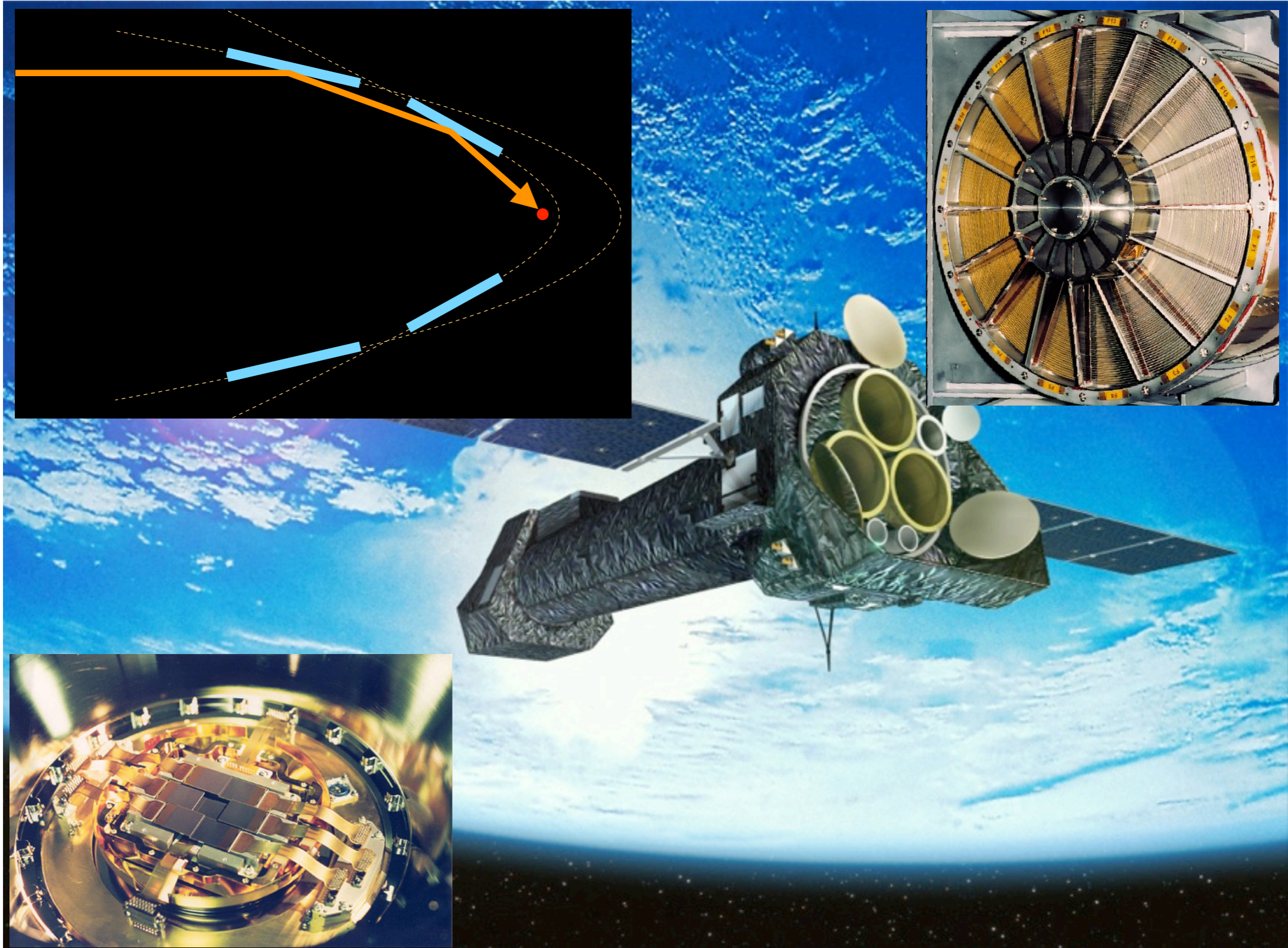
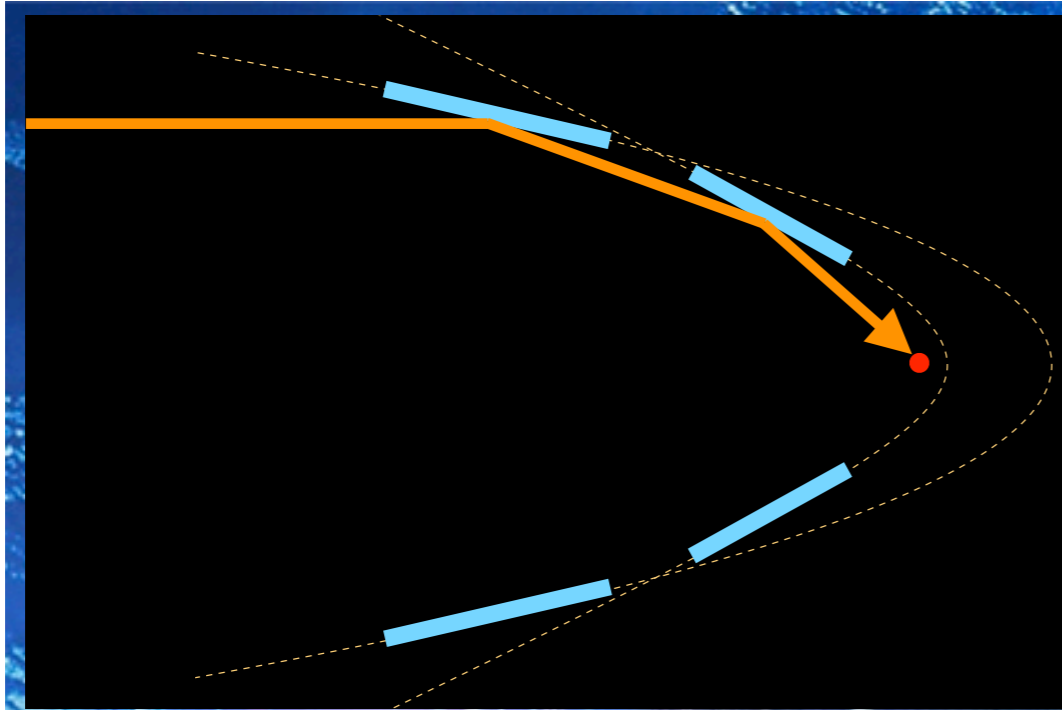
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XMM-Newton



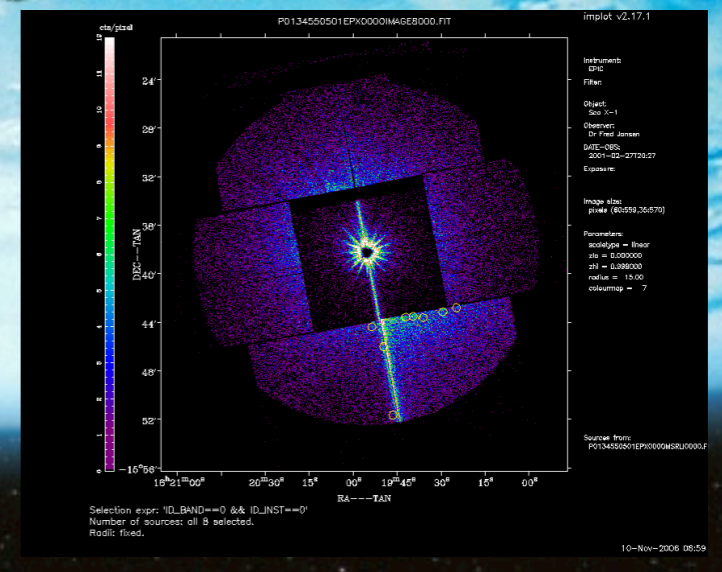
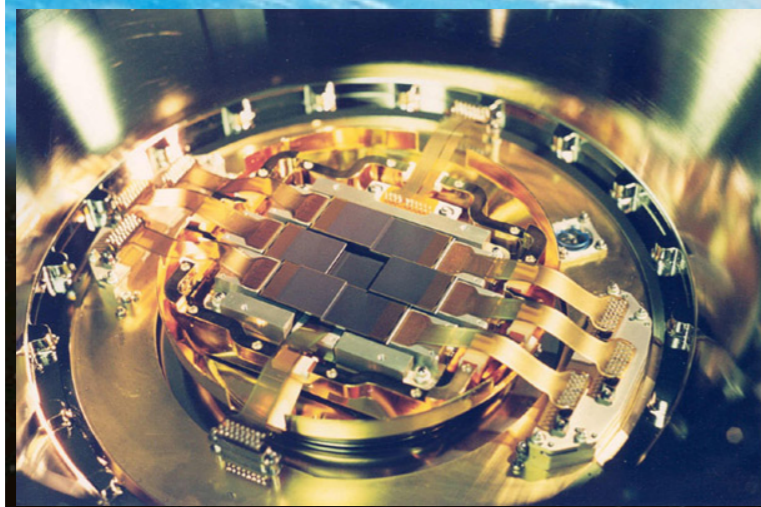
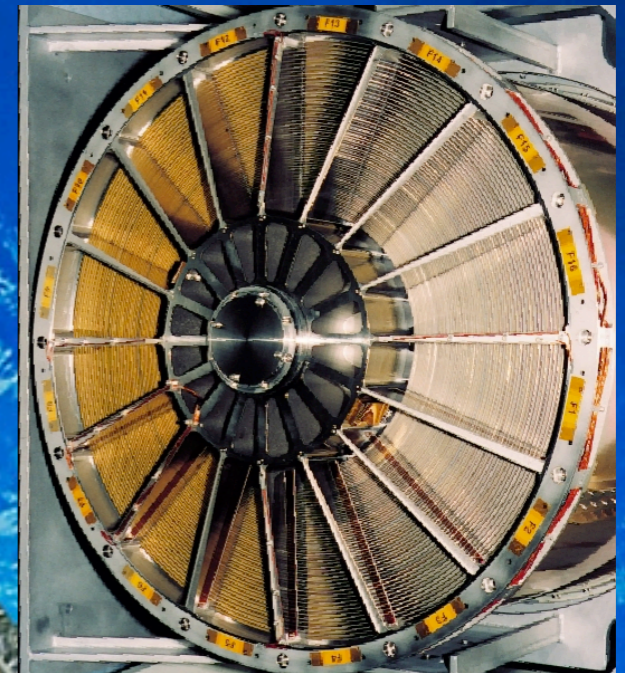
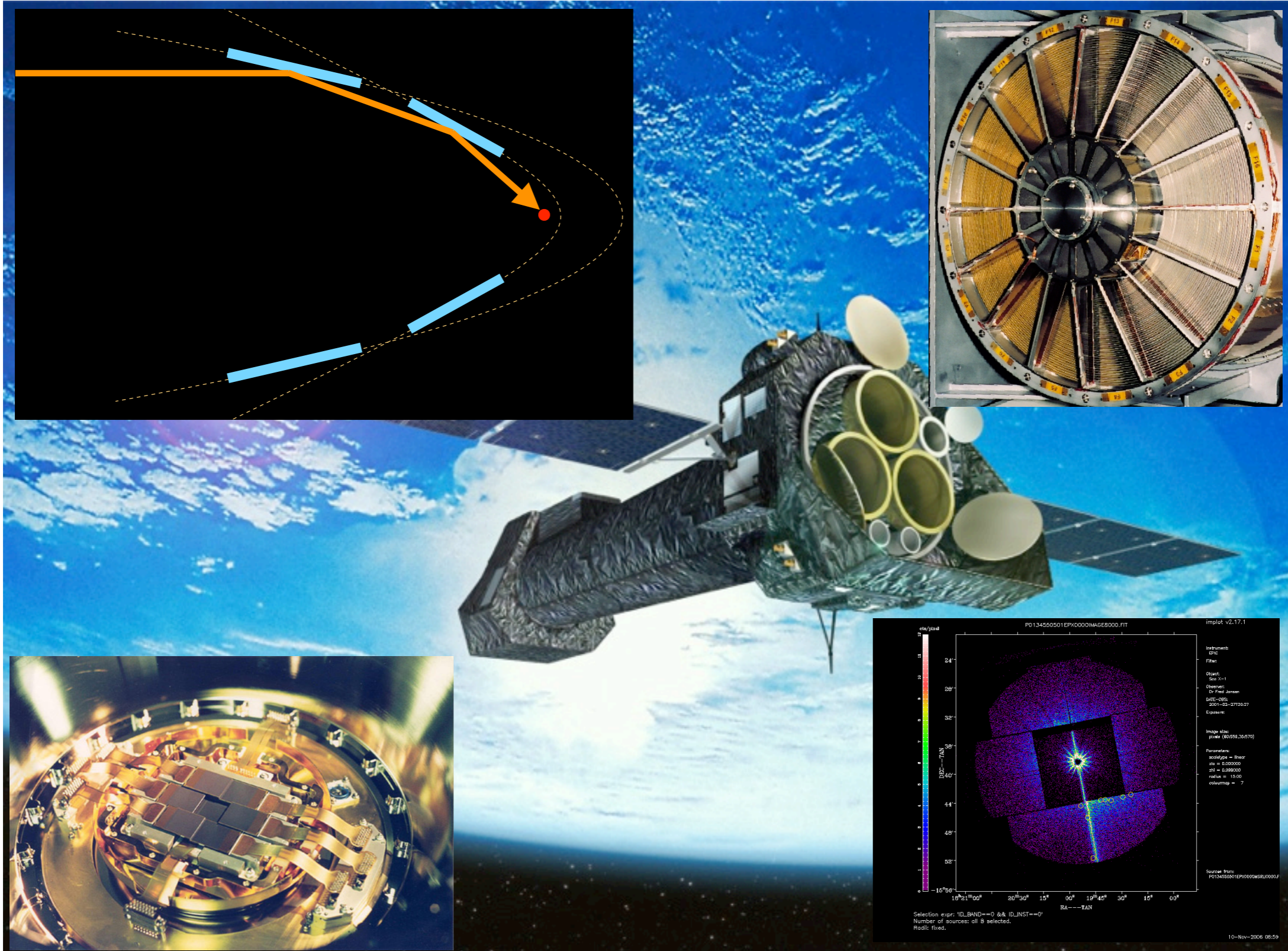
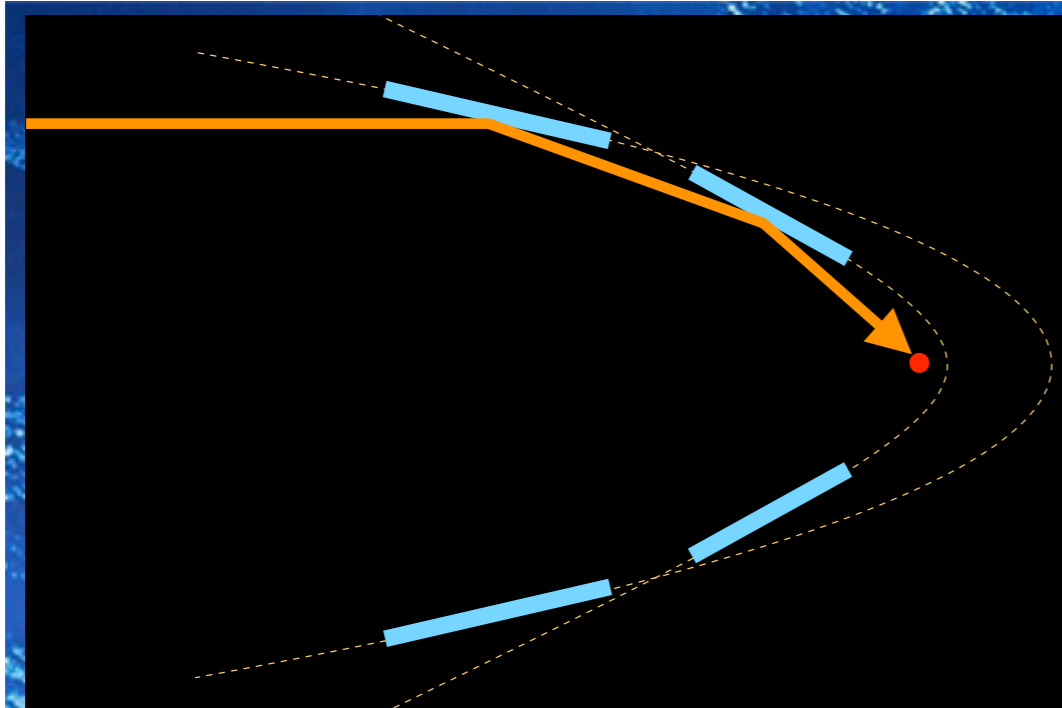
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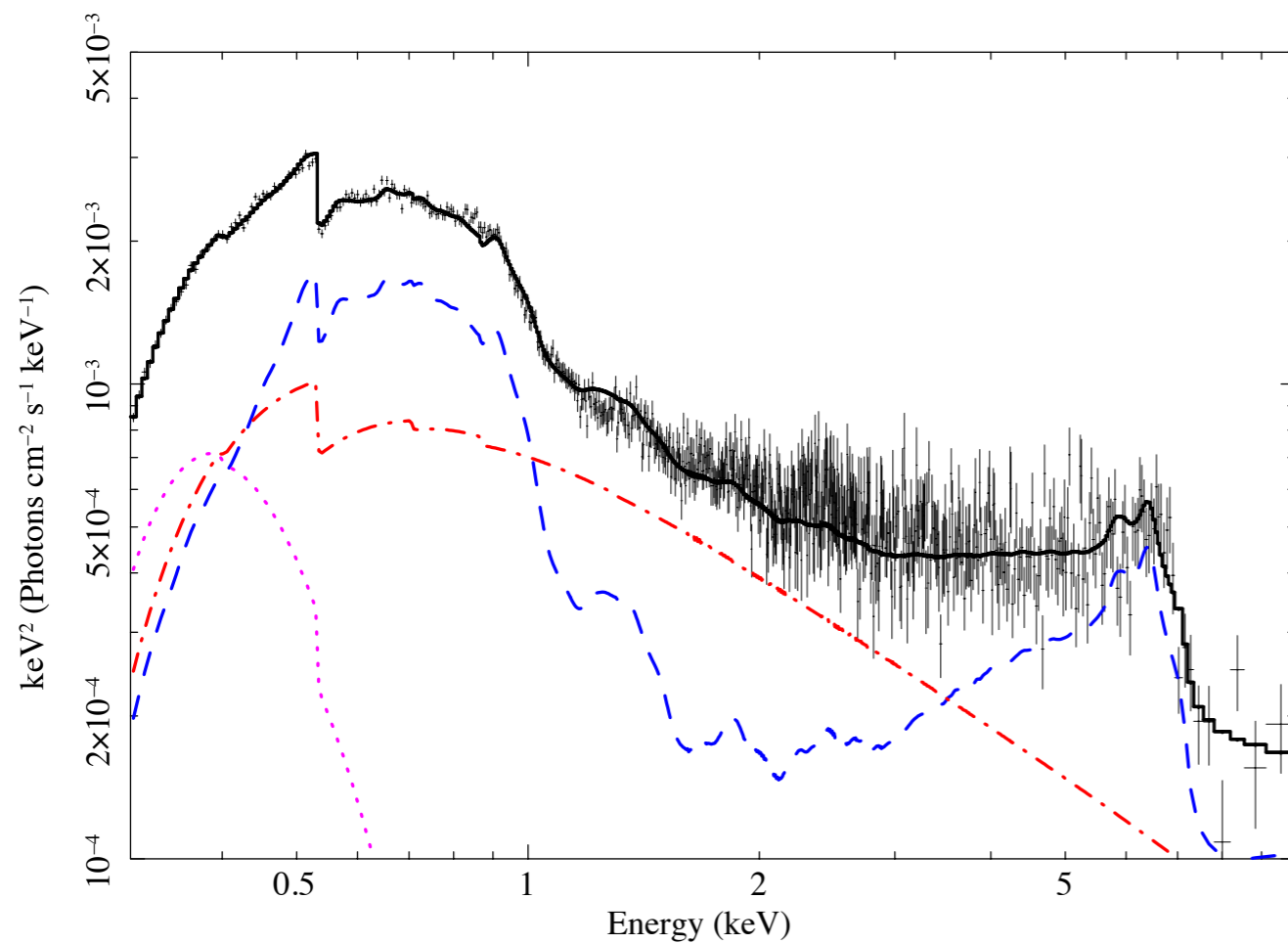
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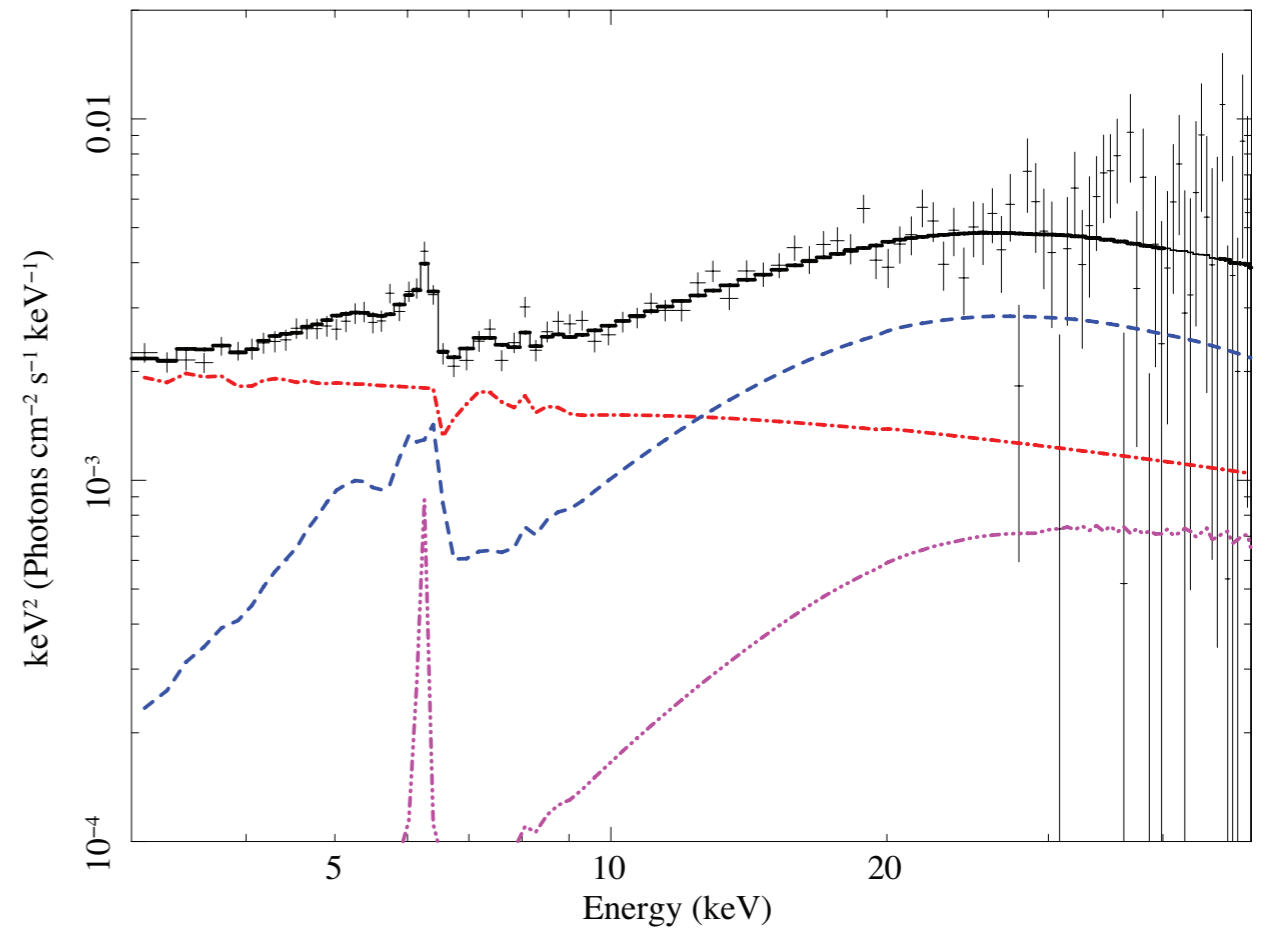


The X-ray Spectrum of an AGN

XMM-Newton

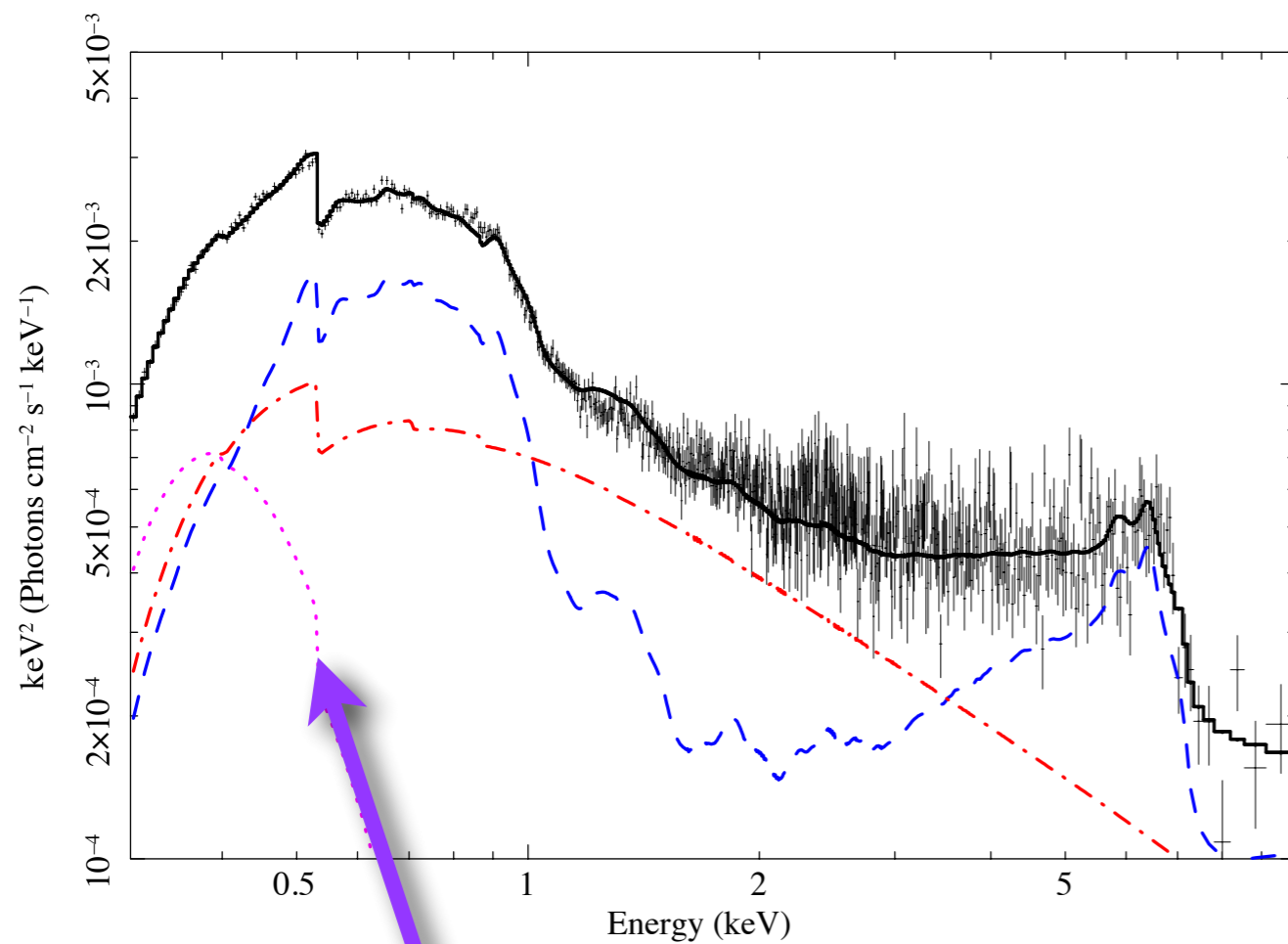


NuSTAR

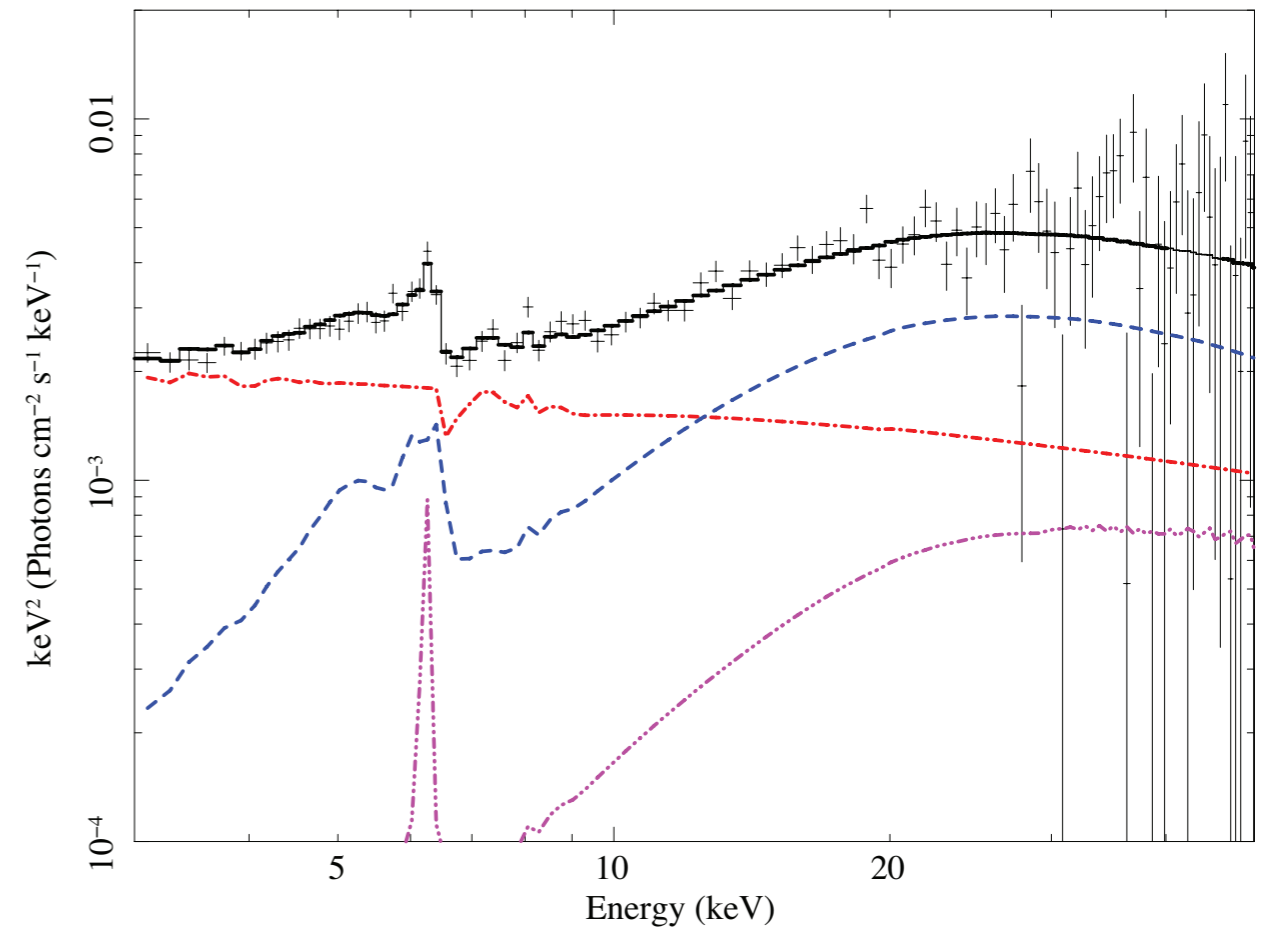


The X-ray Spectrum of an AGN

XMM-Newton



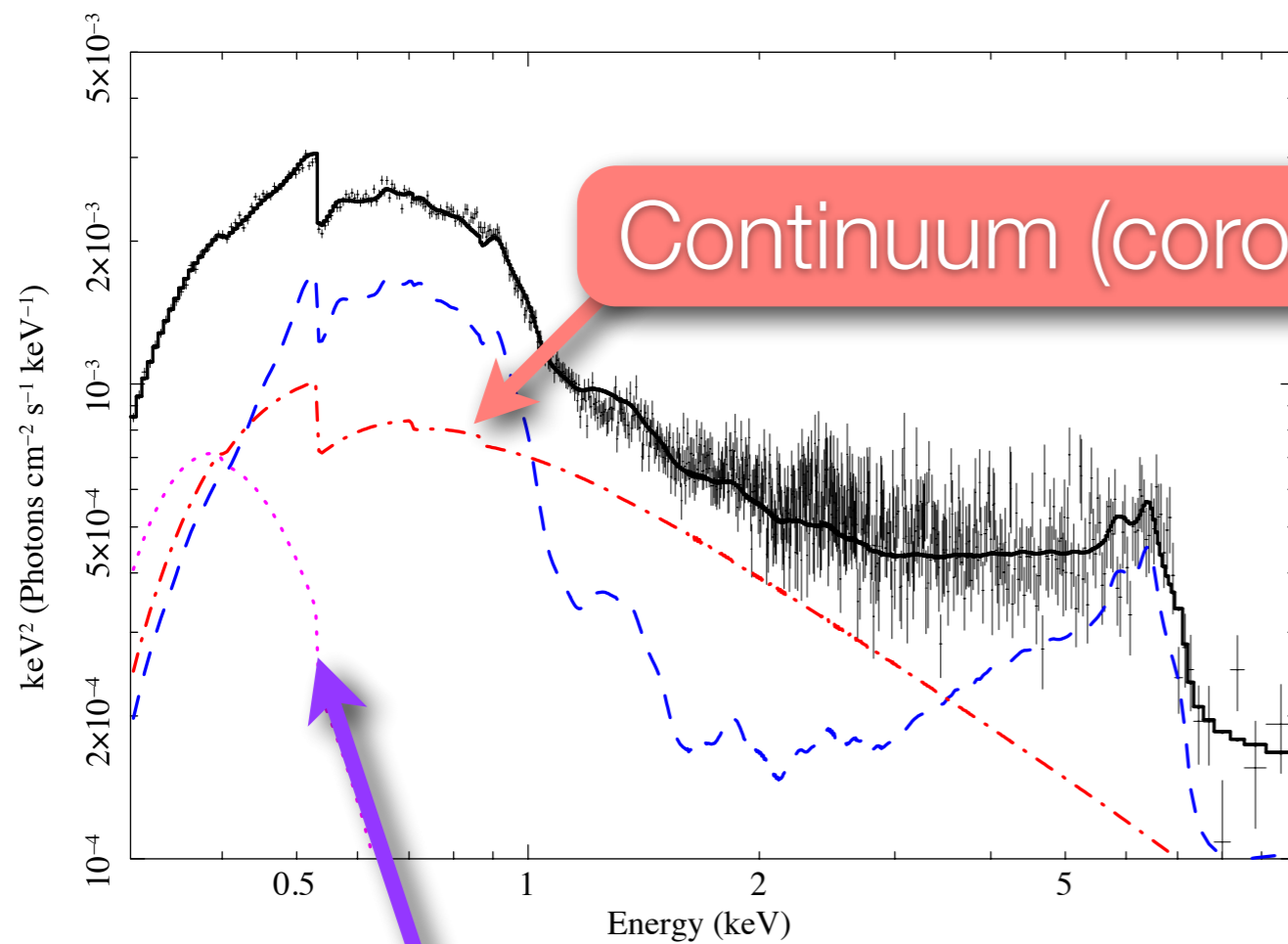
NuSTAR



Thermal Emission
(Accretion Disc)

The X-ray Spectrum of an AGN

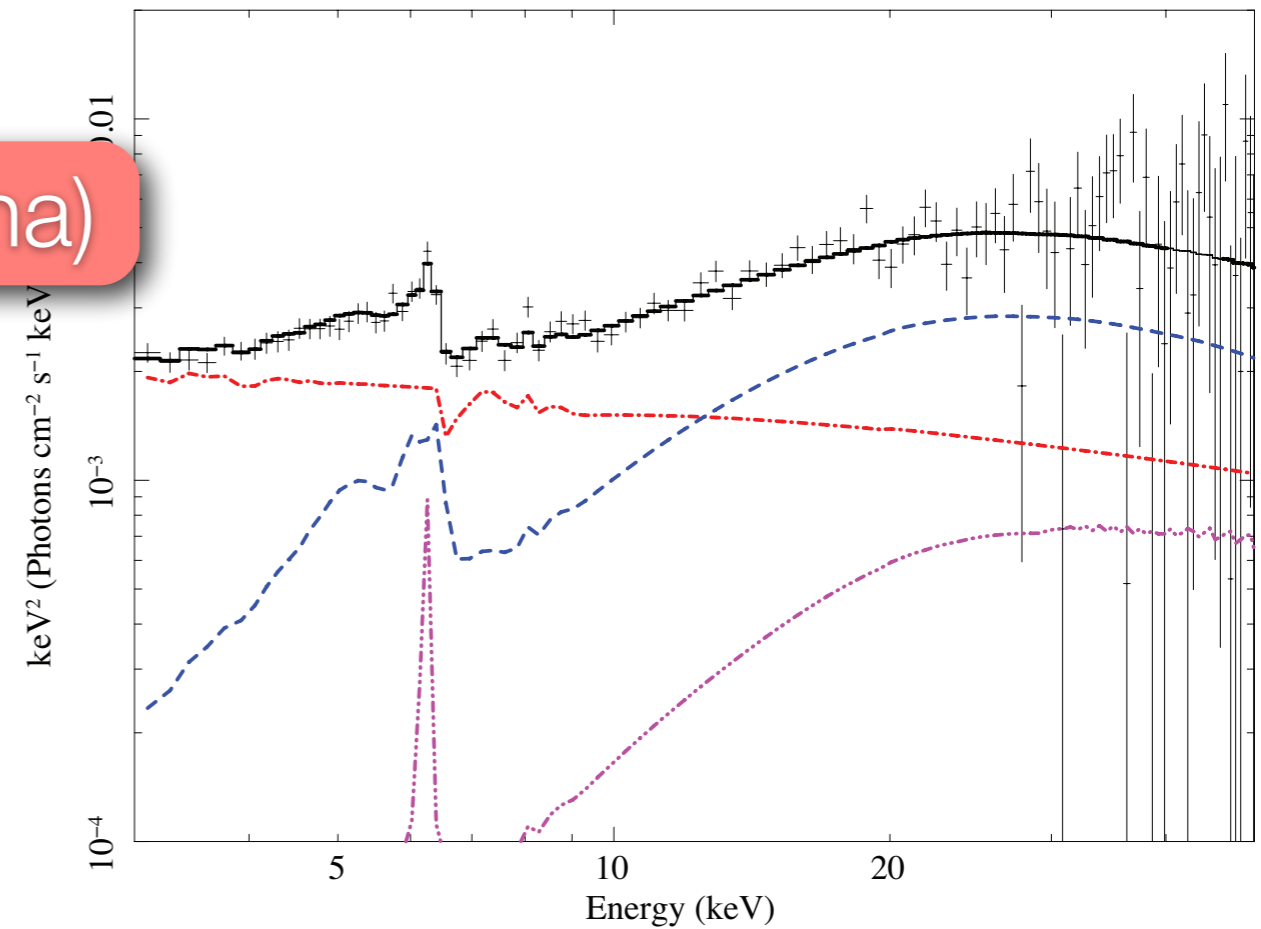
XMM-Newton



Continuum (corona)

Thermal Emission
(Accretion Disc)

NuSTAR

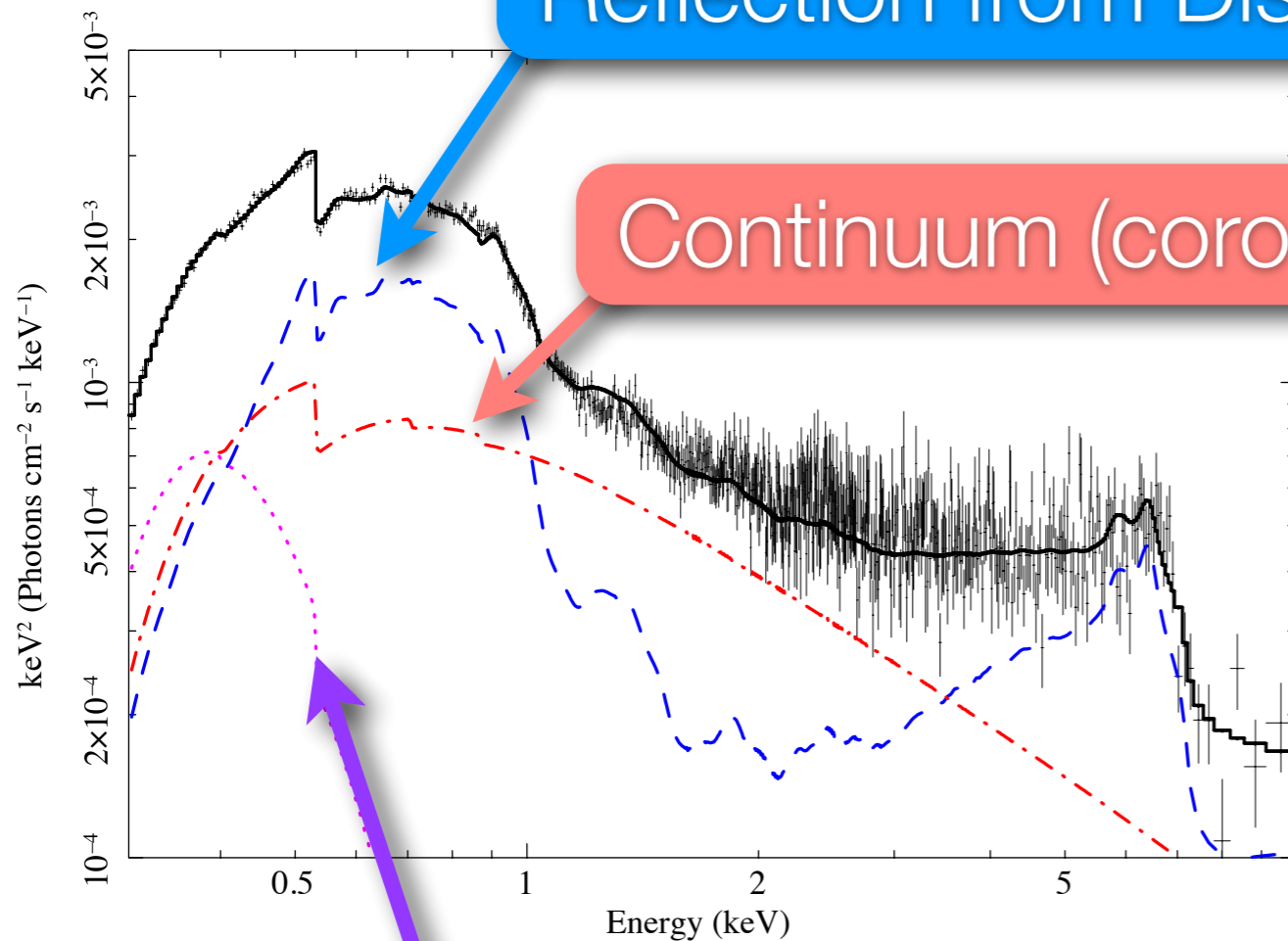


The X-ray Spectrum of an AGN

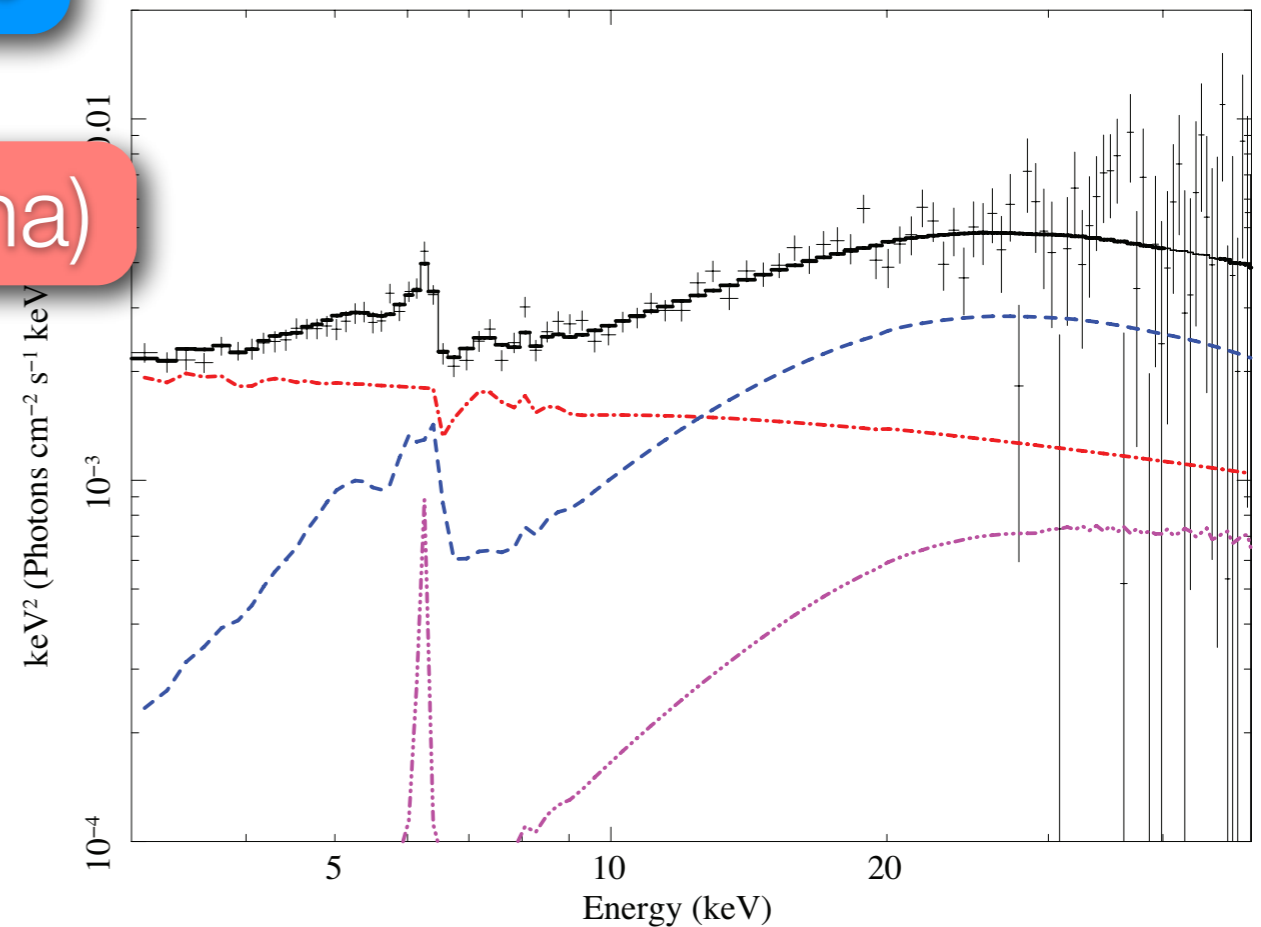
XMM-Newton

Reflection from Disc

Continuum (corona)



NuSTAR

Thermal Emission
(Accretion Disc)

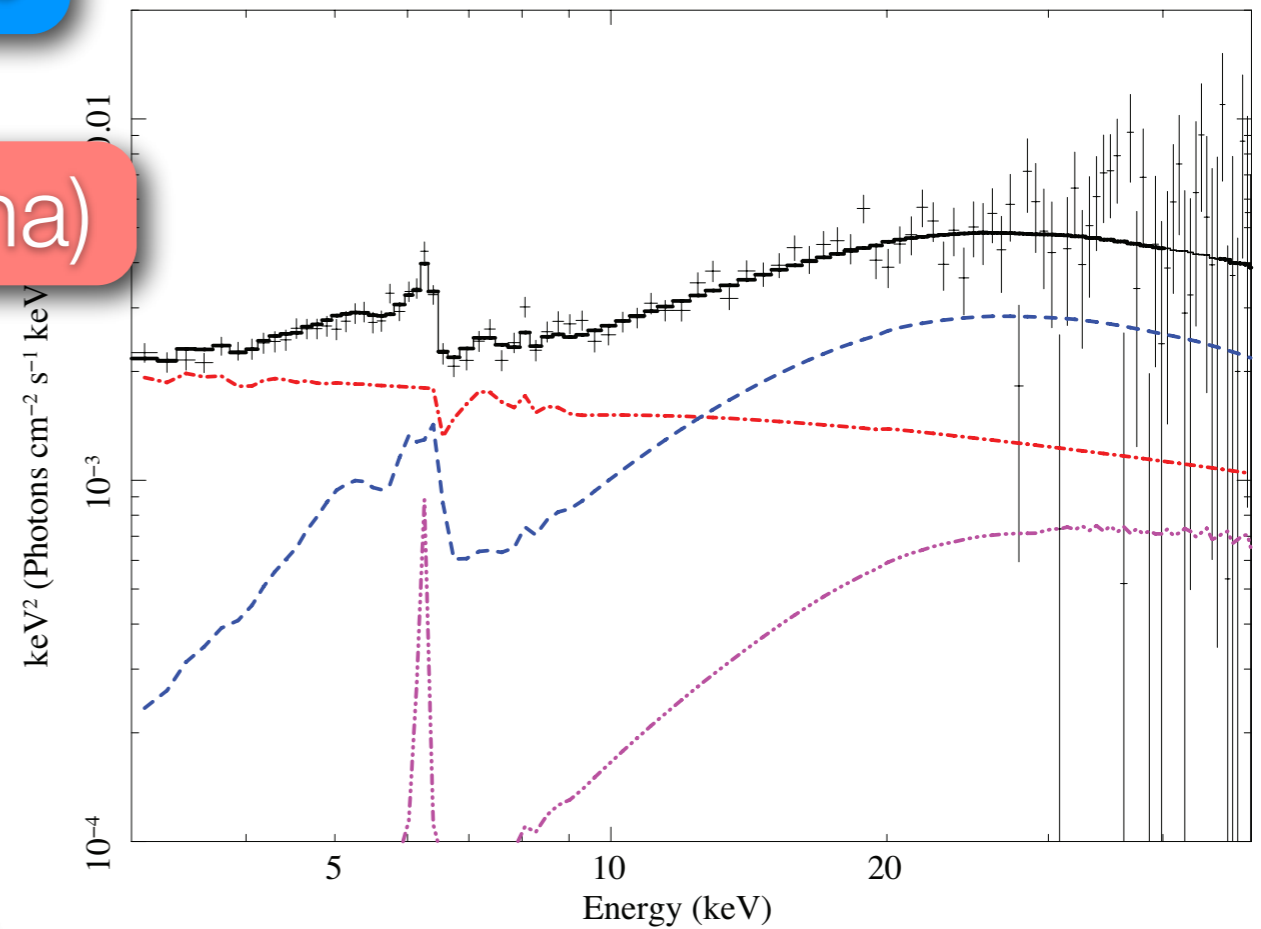
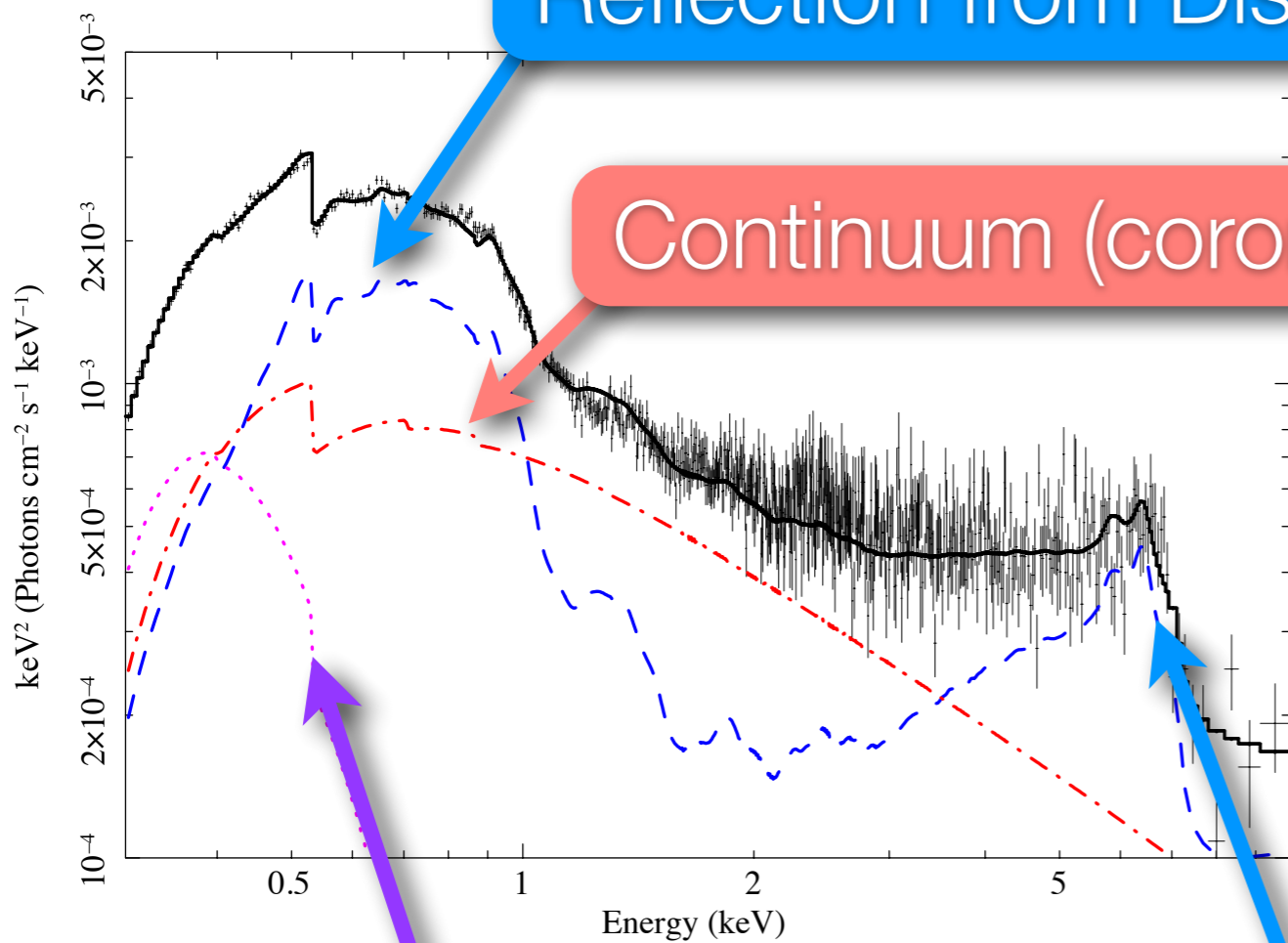
The X-ray Spectrum of an AGN

XMM-Newton

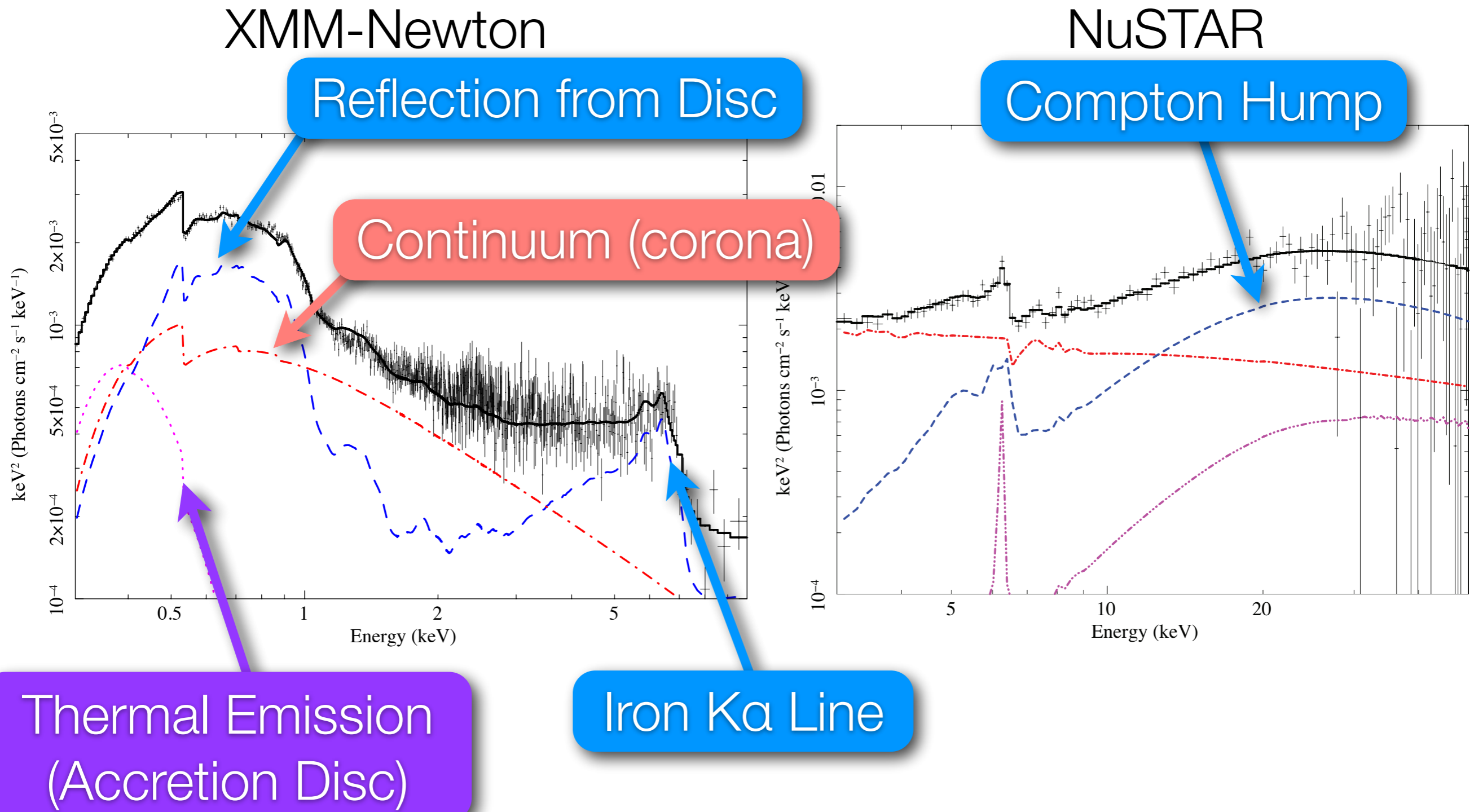
NuSTAR

Reflection from Disc

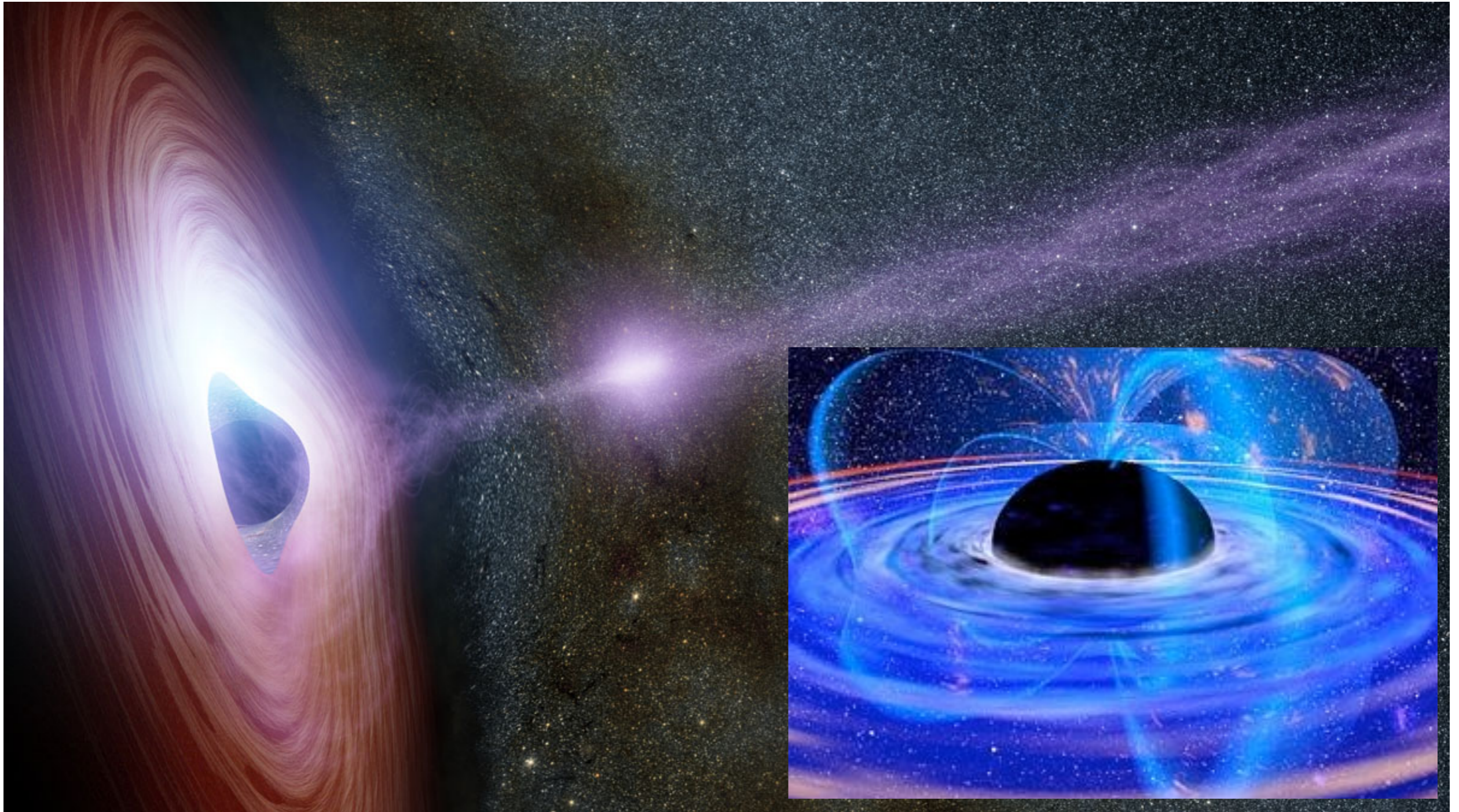
Continuum (corona)

Thermal Emission
(Accretion Disc)Iron K α Line

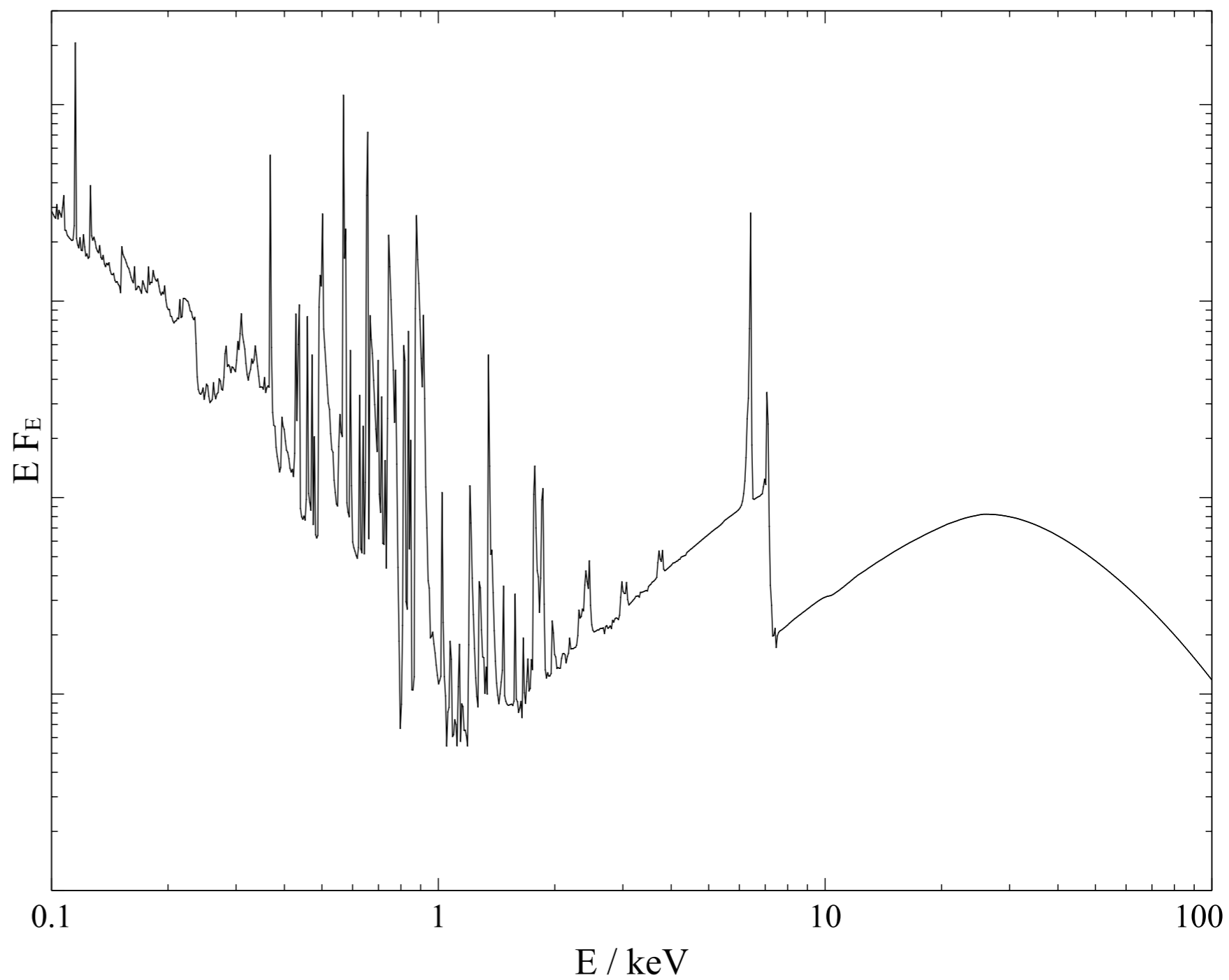
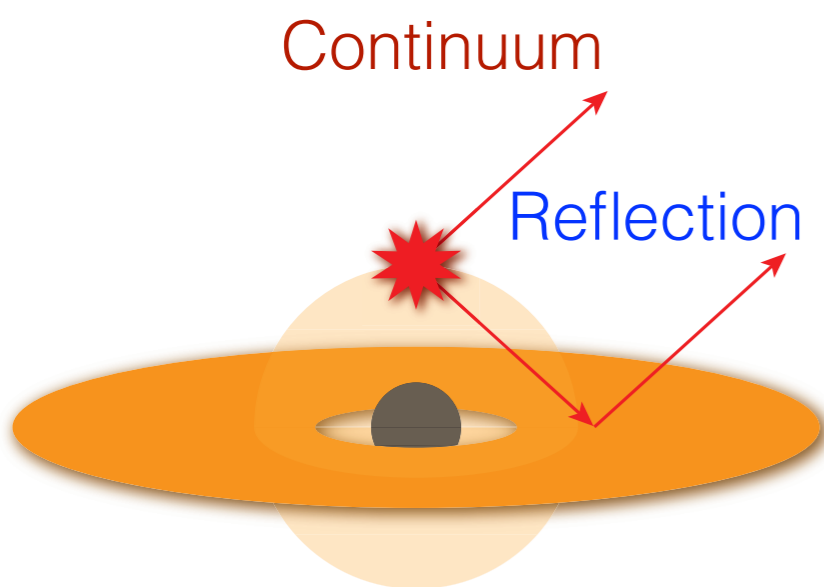
The X-ray Spectrum of an AGN



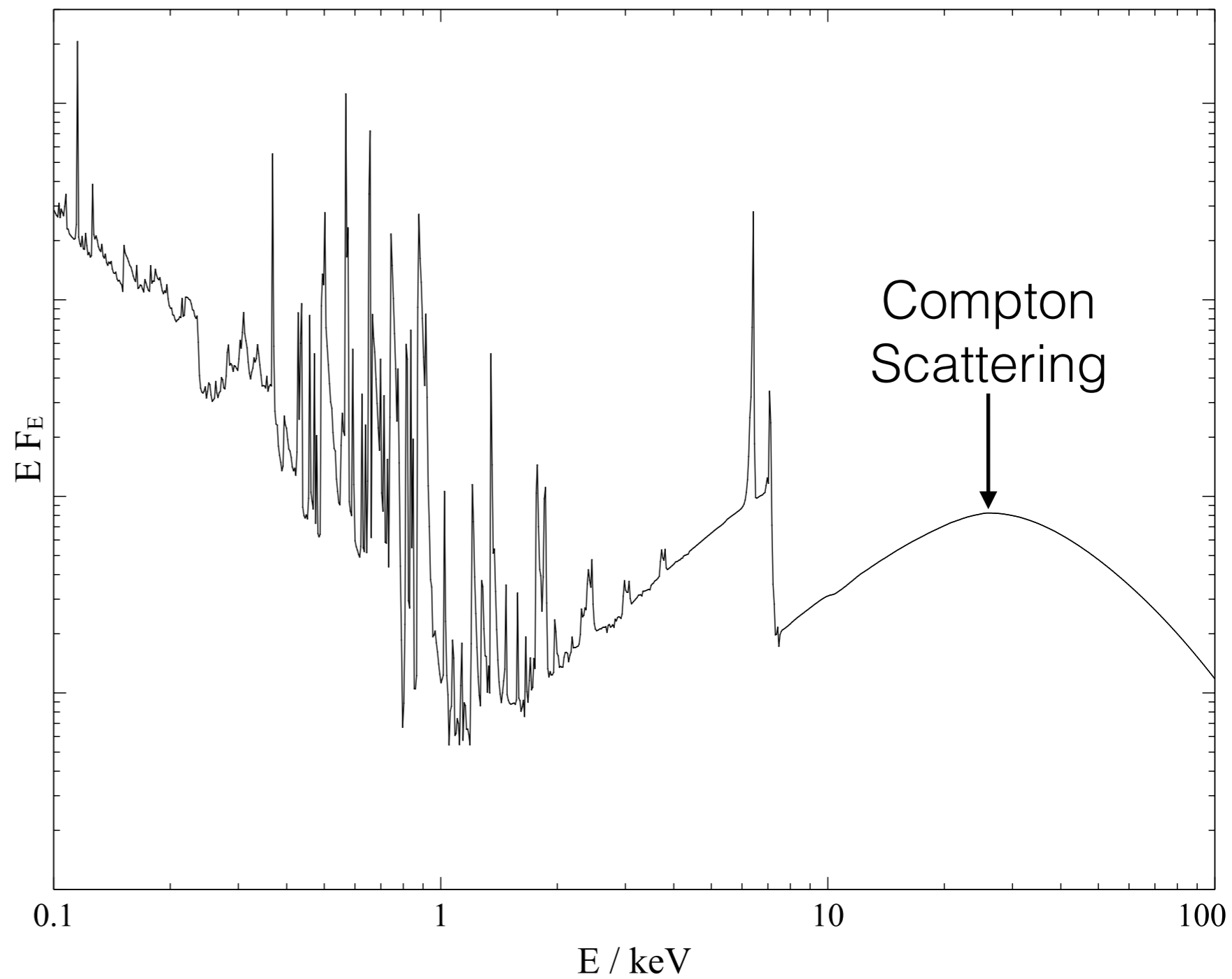
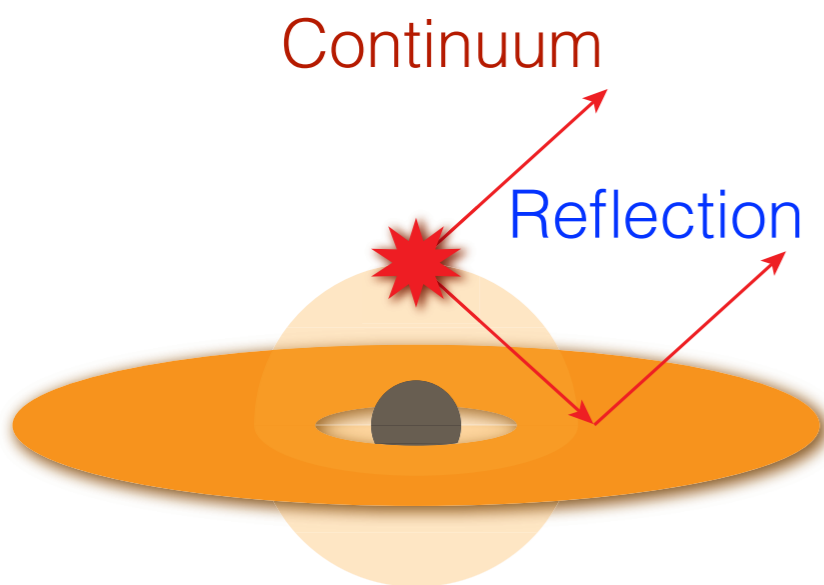
Corona and X-ray Continuum



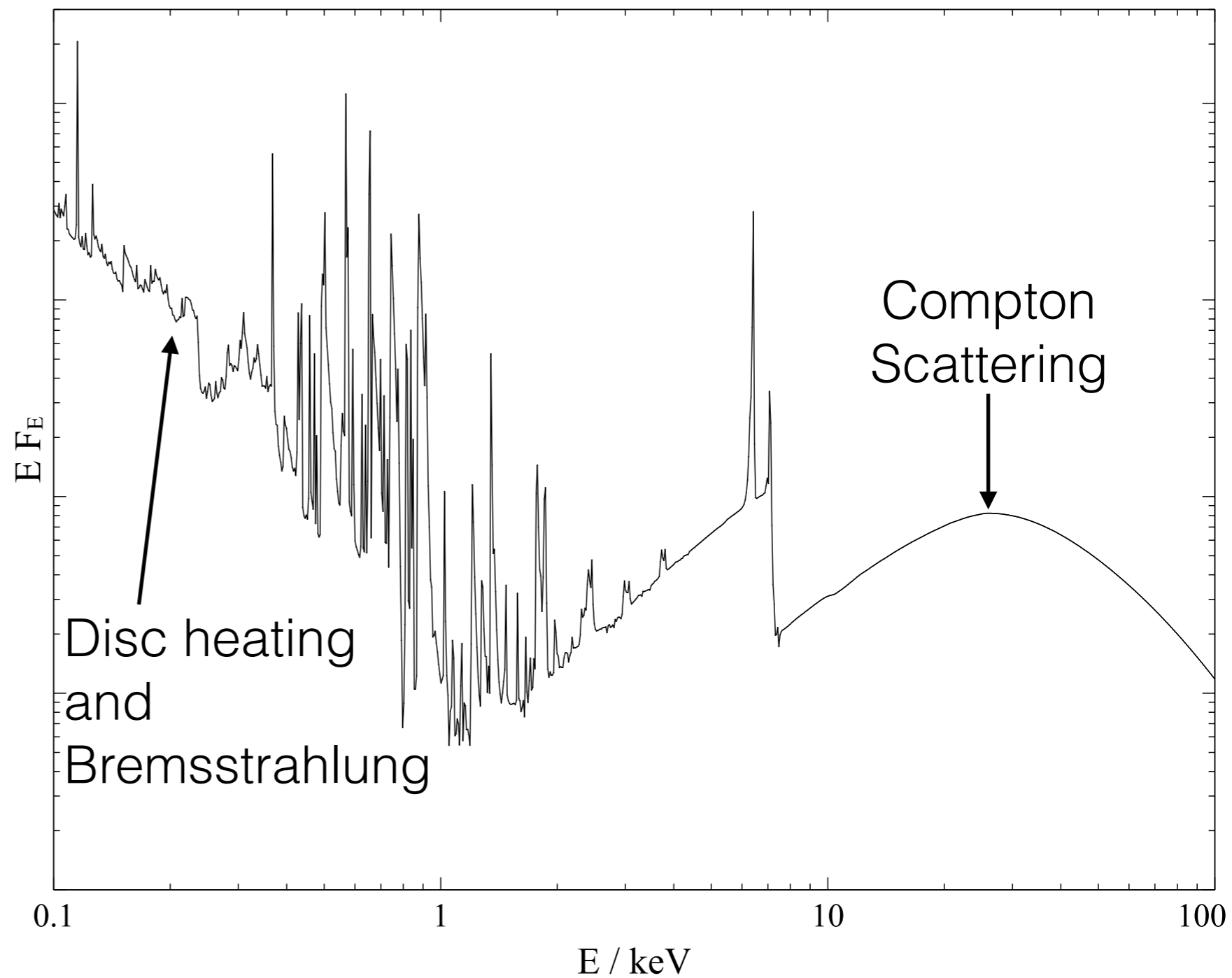
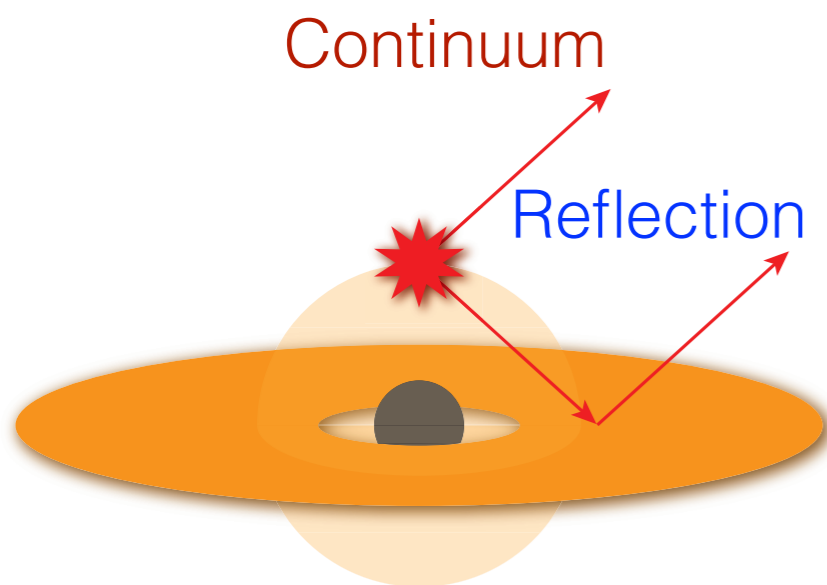
X-ray Reflection



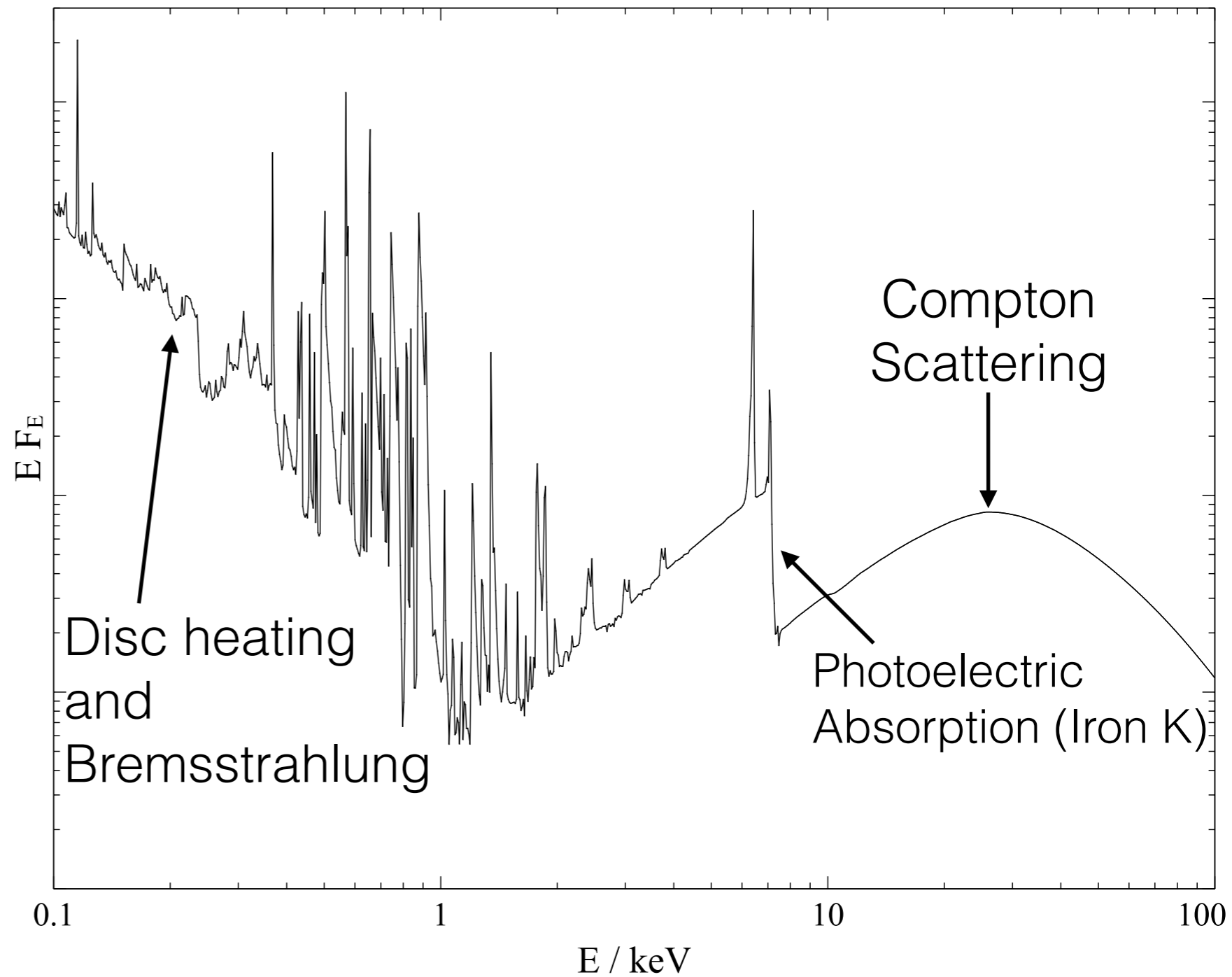
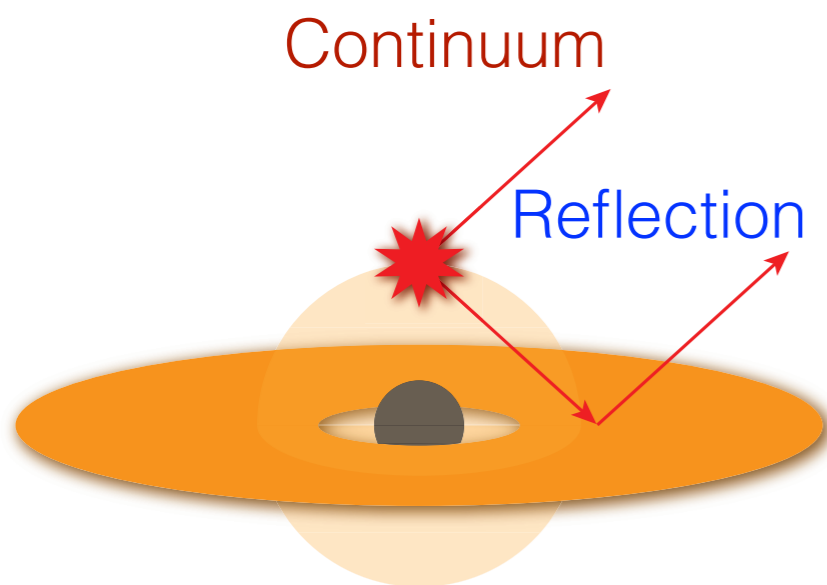
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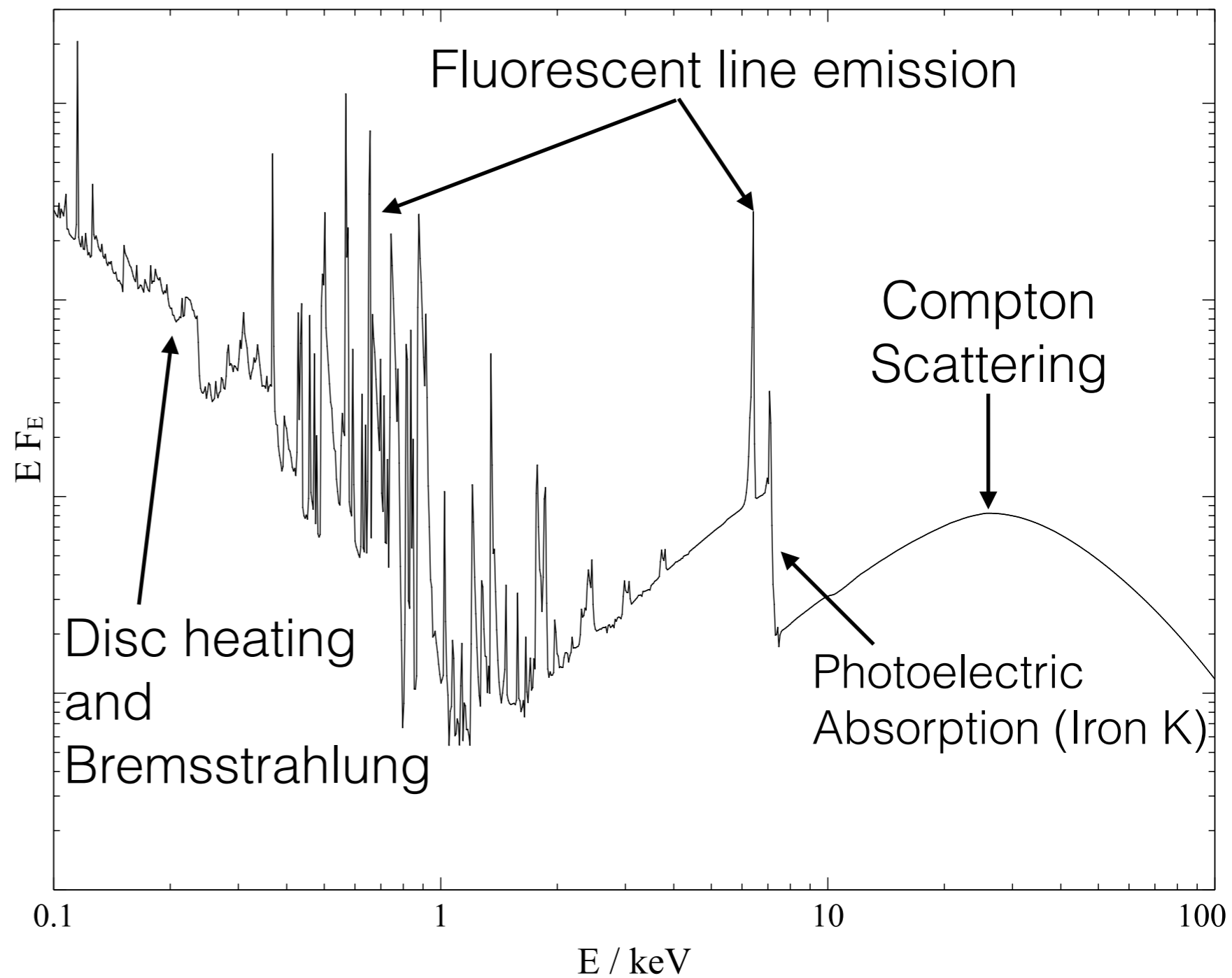
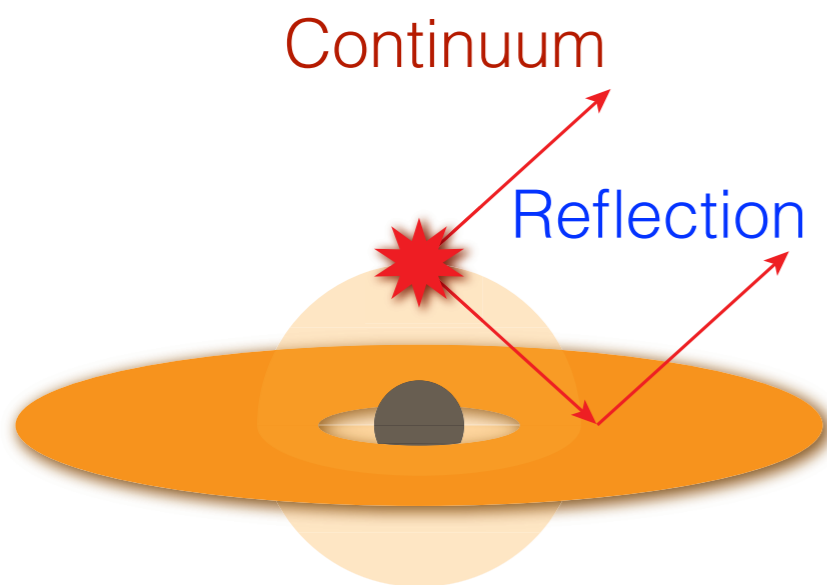
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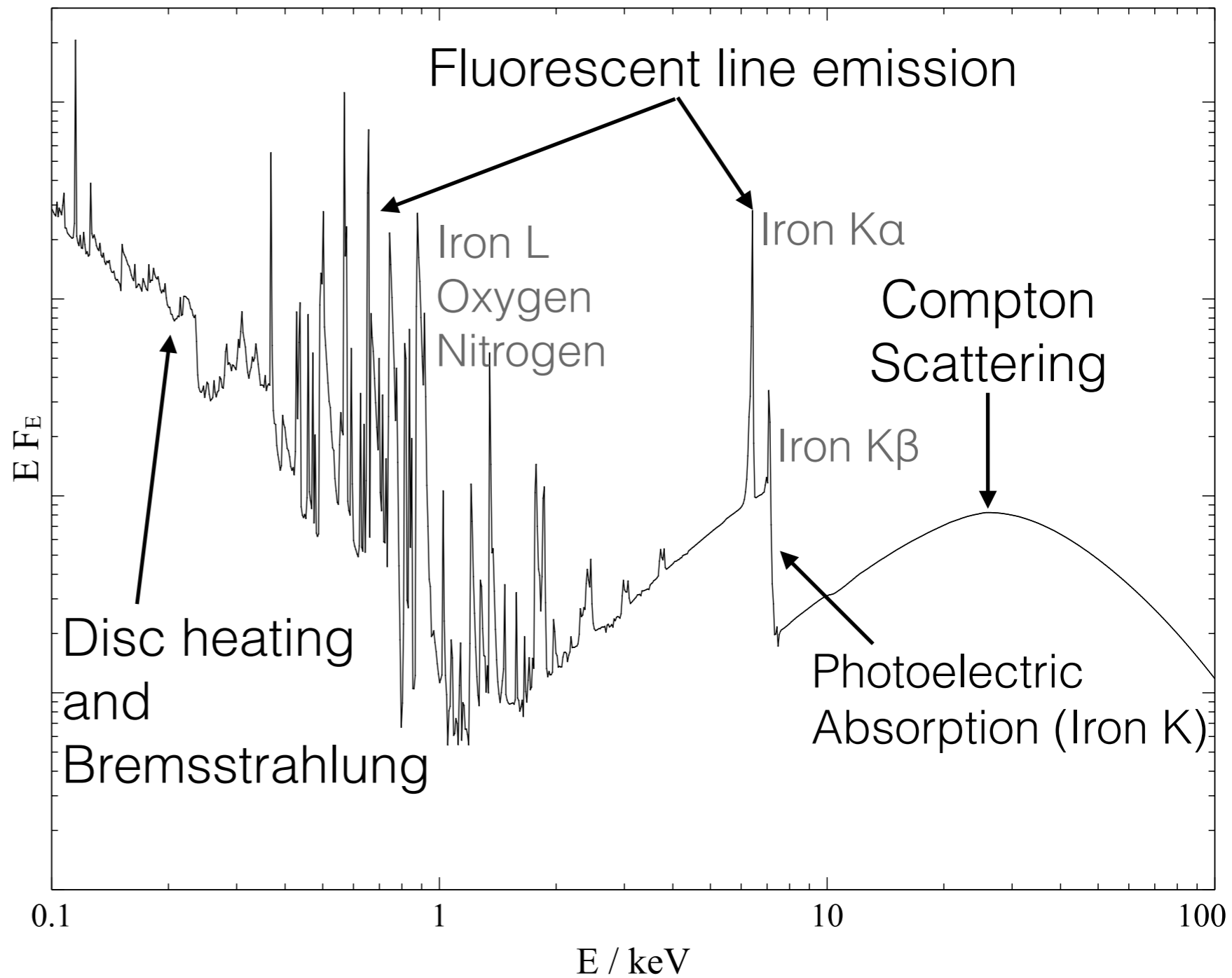
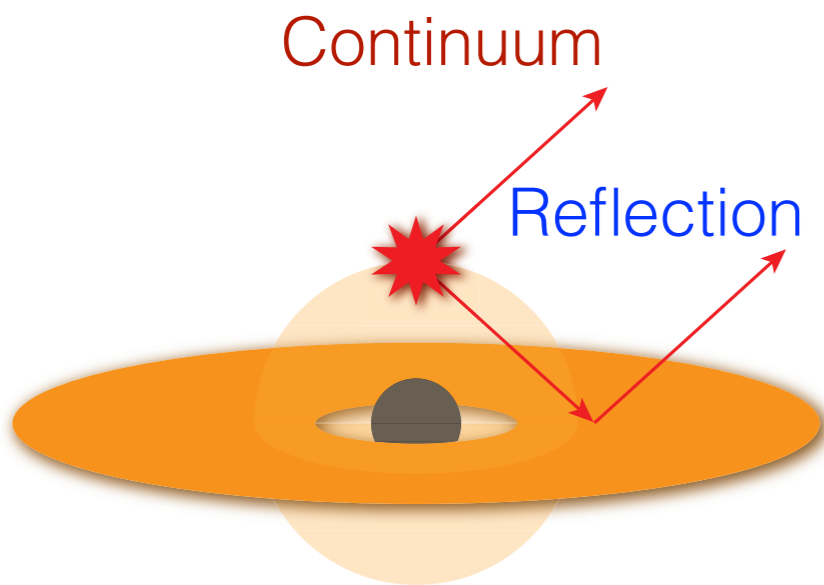
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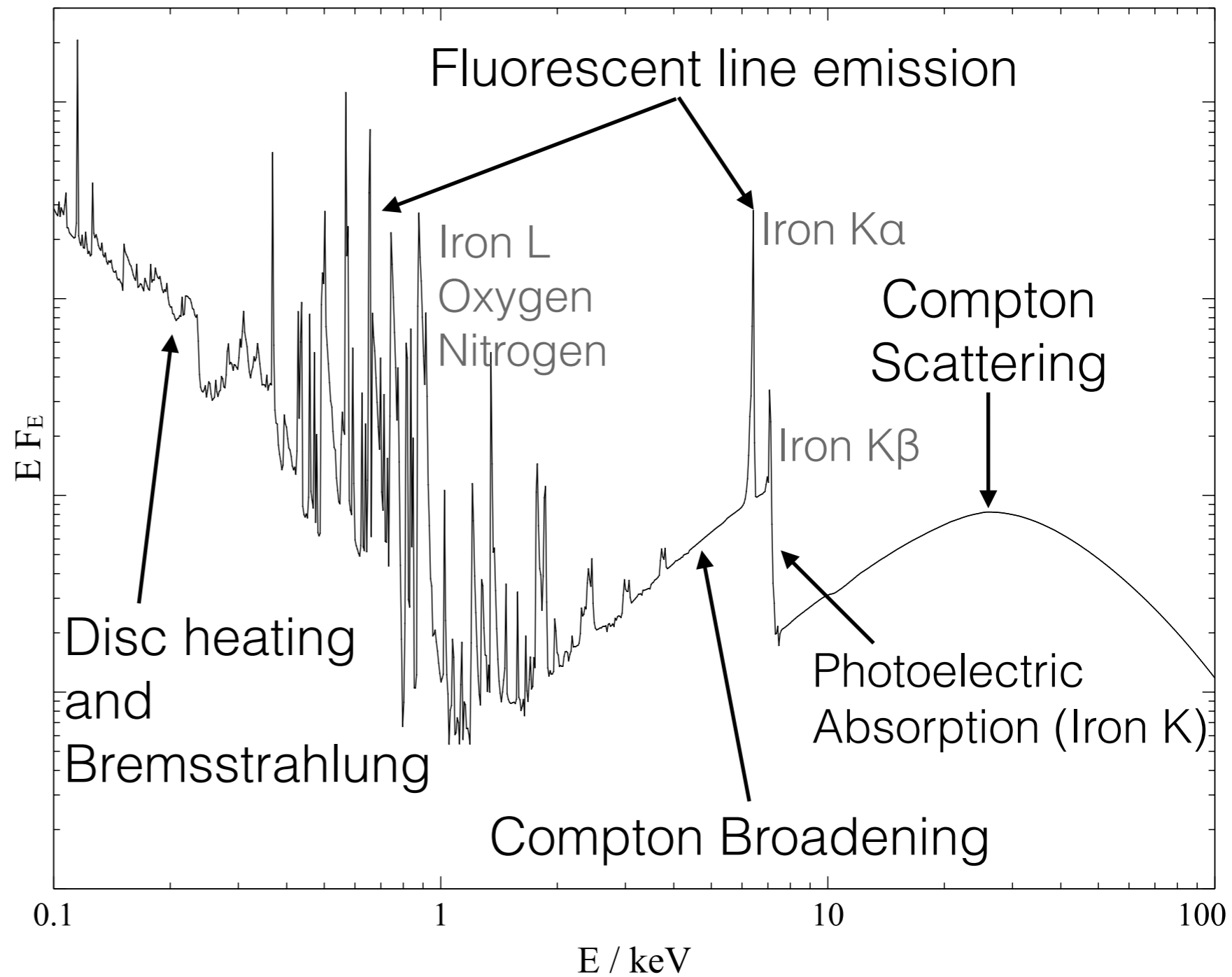
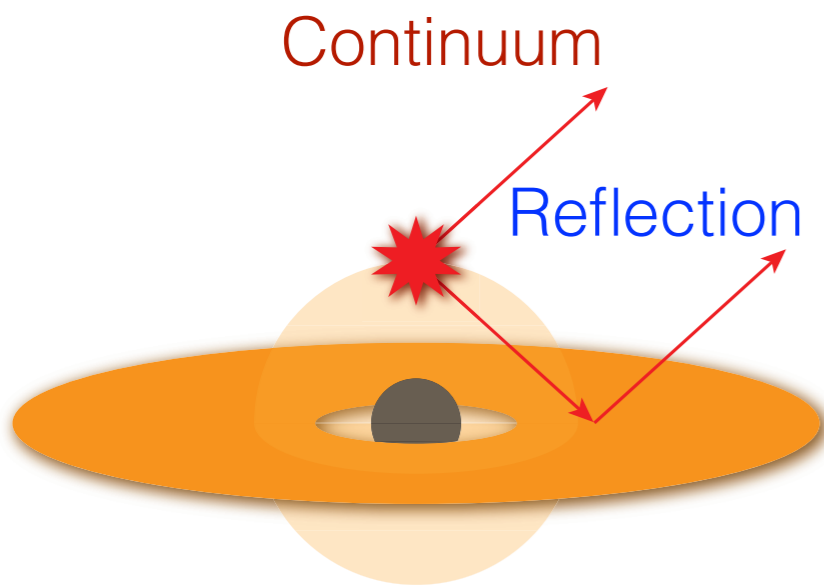
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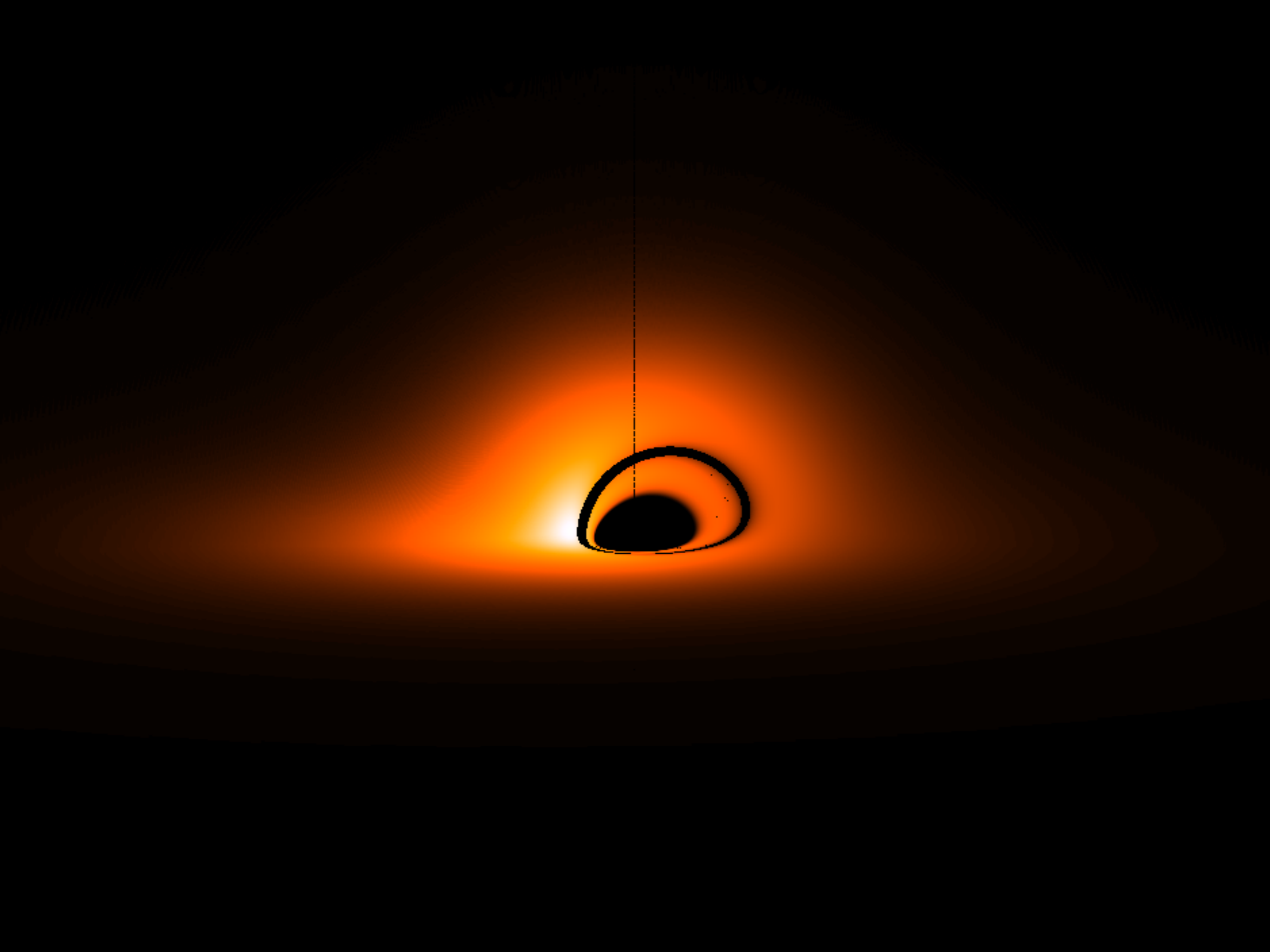


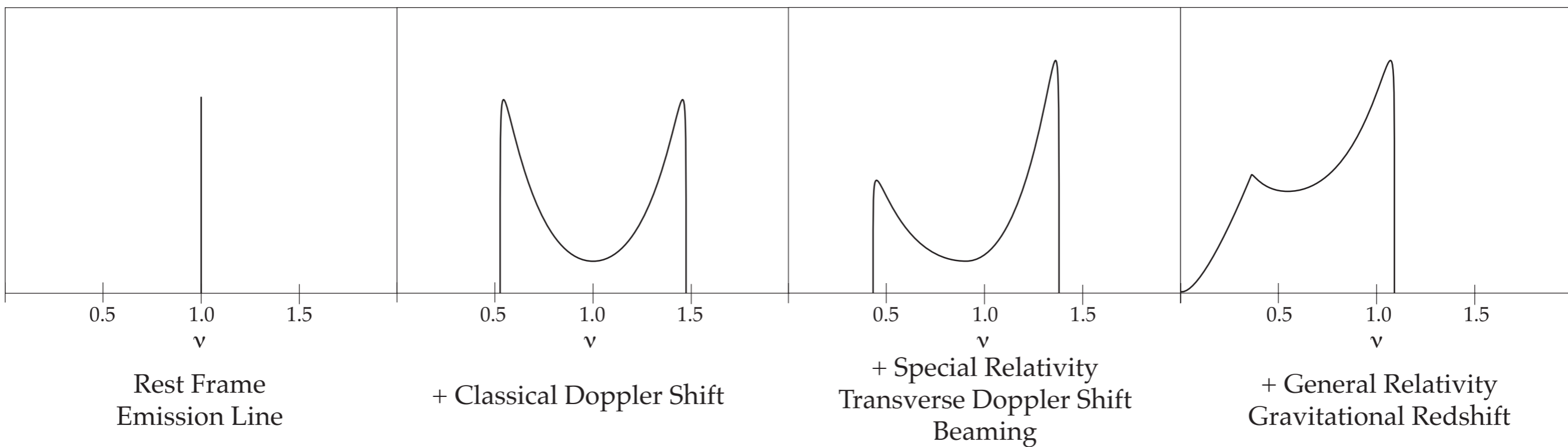
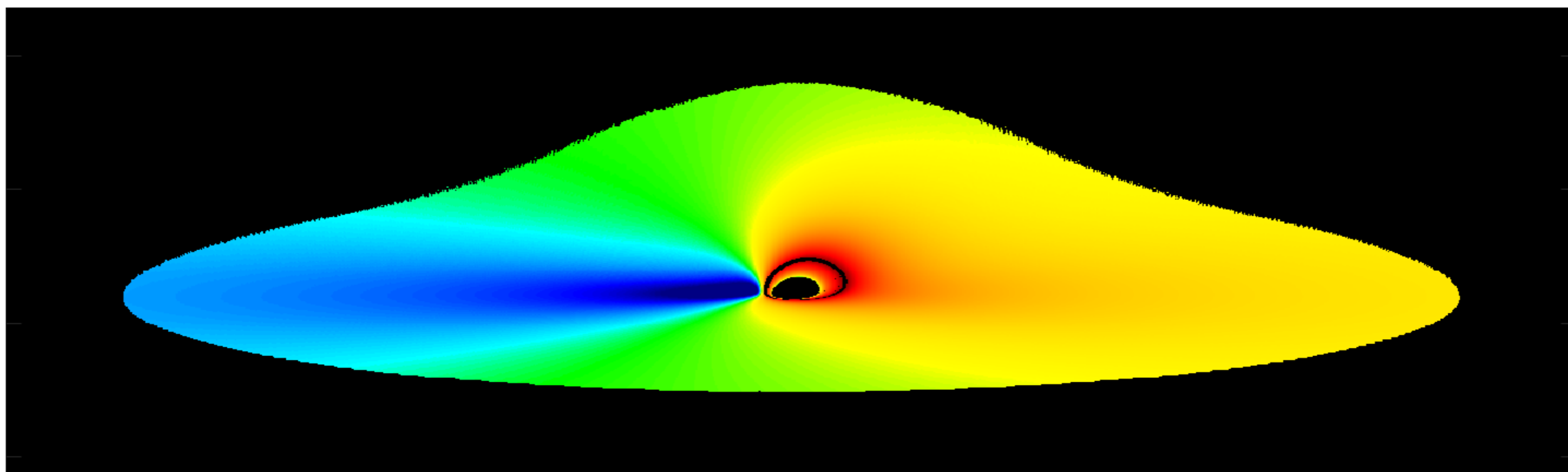
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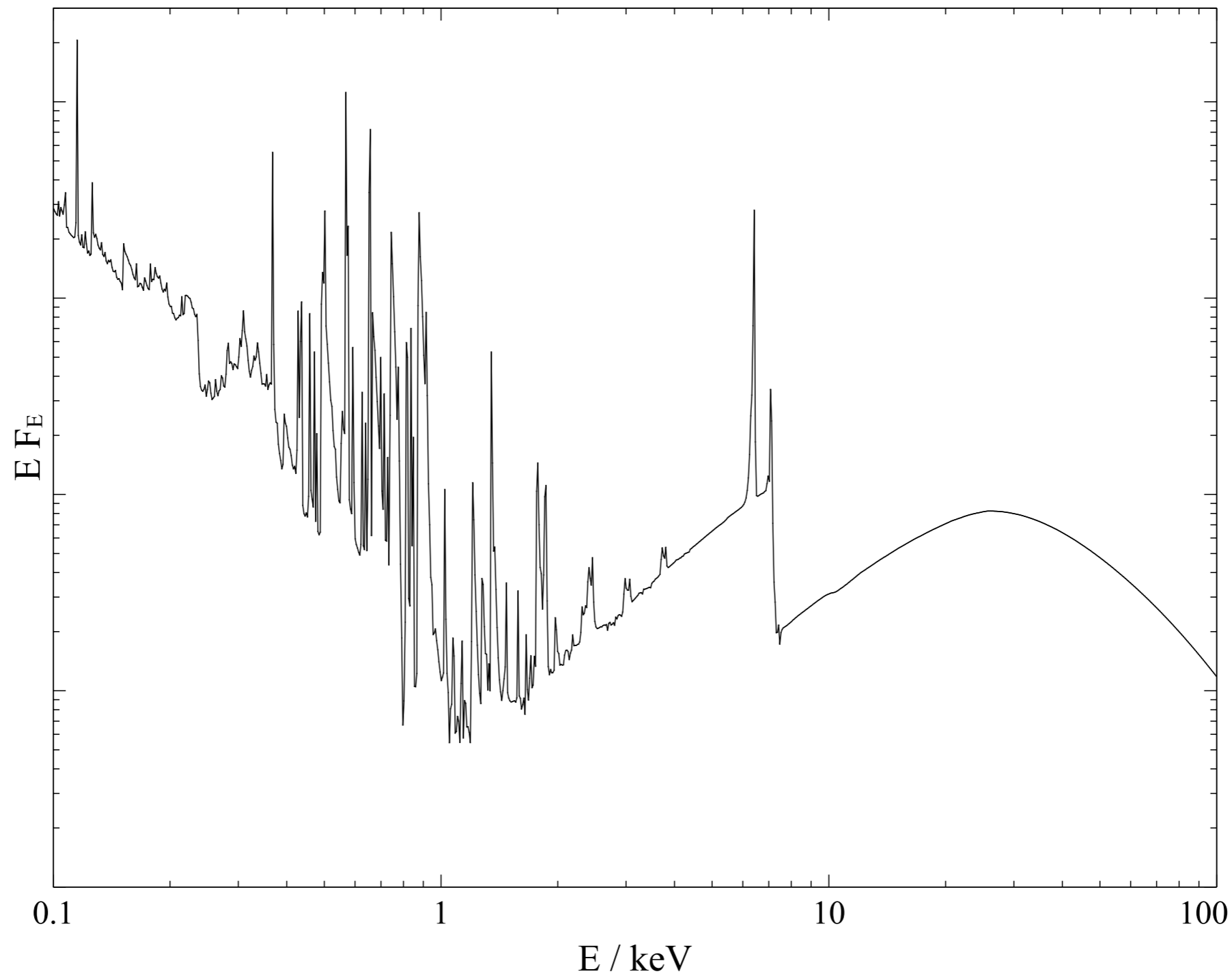
X-ray Reflection



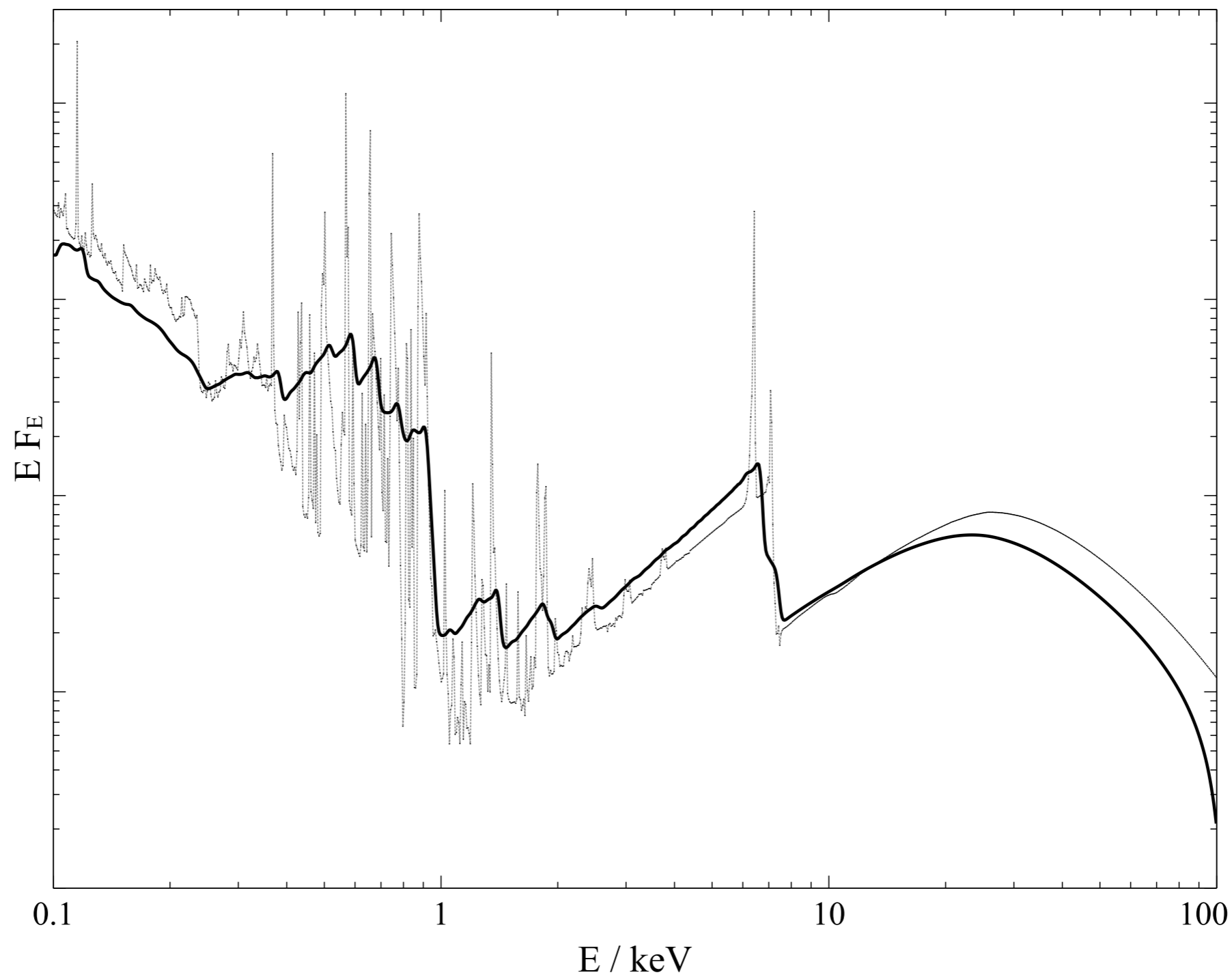




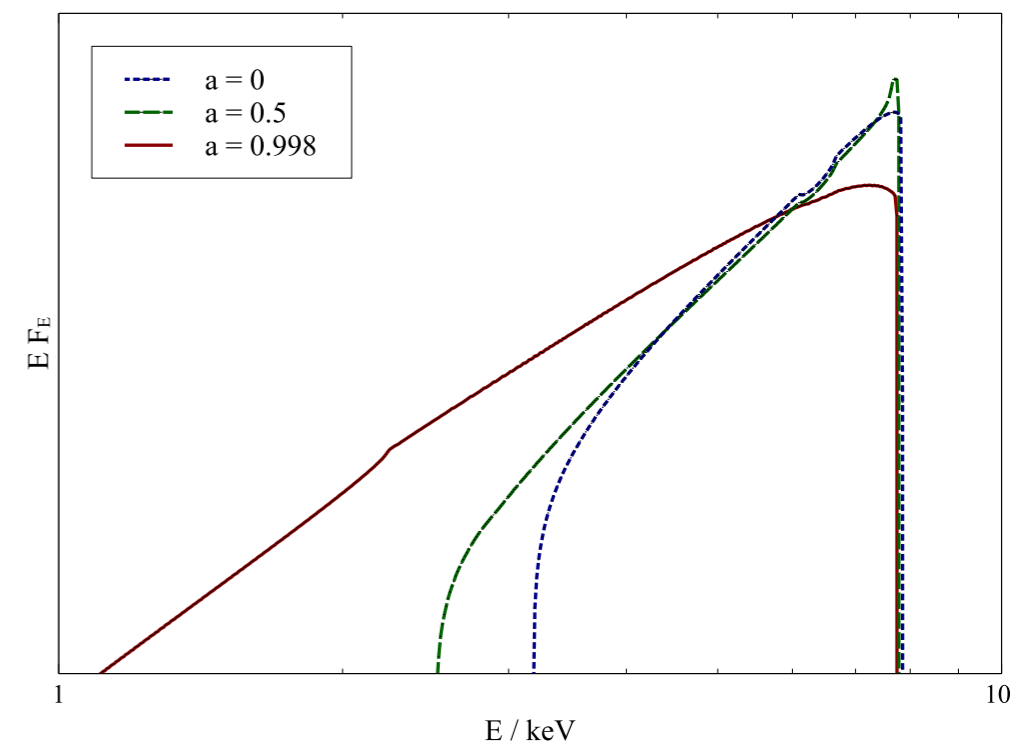
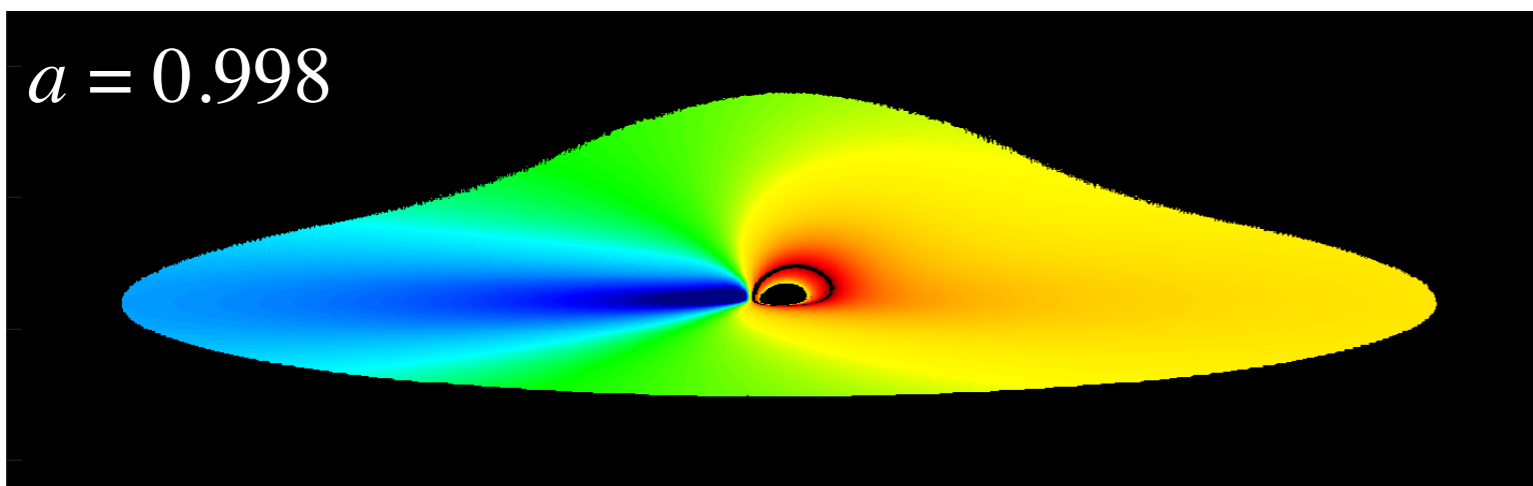
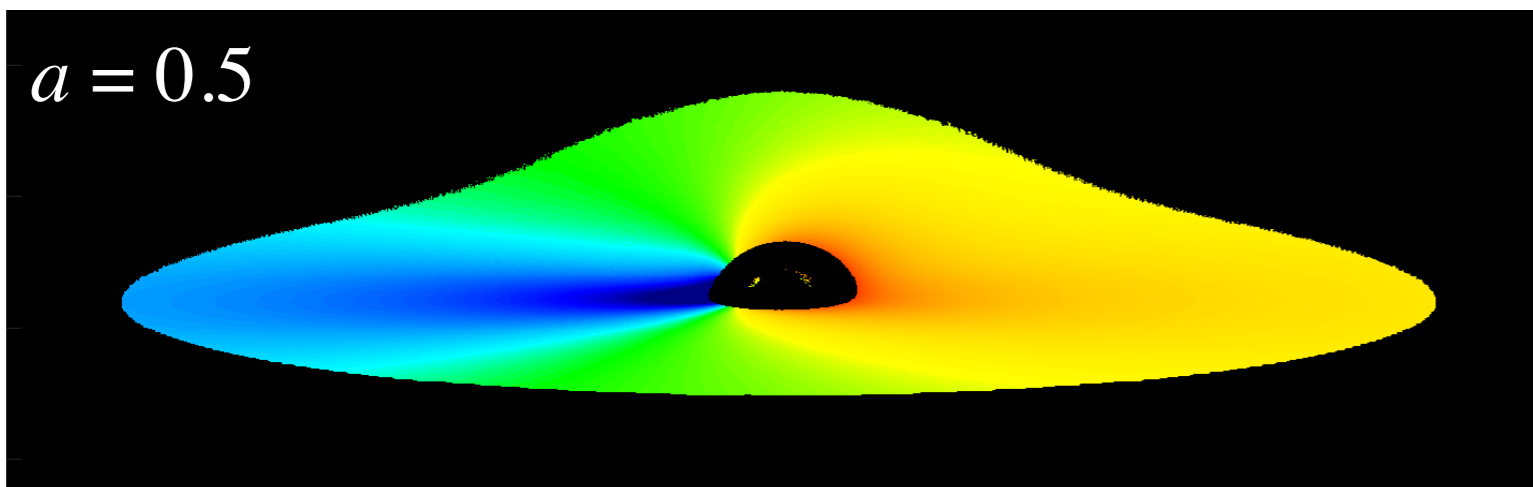
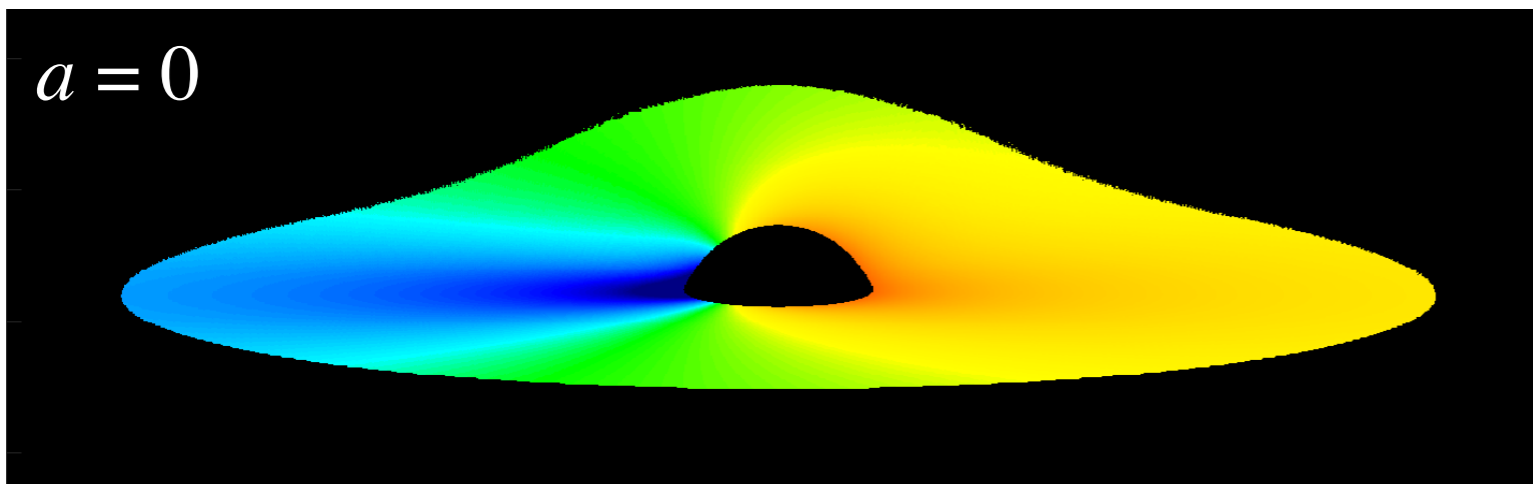
Relativistically Blurred Reflection



Relativistically Blurred Reflection



Measuring Black Hole Spin



Summary

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- Black holes power some of the most luminous objects in the Universe – liberation of gravitational potential of inflating material
- Observing (accreting) black holes across all wavelengths teaches us about their properties, their environments and the accretion process
- Can apply basic physics to interpret observations – black hole mass, temperature and extent of disc, spin
- Detailed analysis of X-ray spectra and variability and comparison with detailed models lets us understand detailed physics of accretion